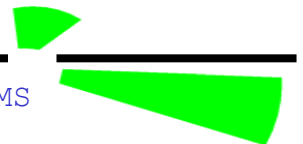


Proton and anti-proton spectra and stopping

Peter Christiansen, NBI

1. Data selection and PID
2. Results
3. Publication



Data selection

Global cuts :

- Interaction point (BB & ZDC agrees, and close to nominal IP)
- Centrality : 0-5 %, (5-10 %, 10-20 %)

Track cuts :

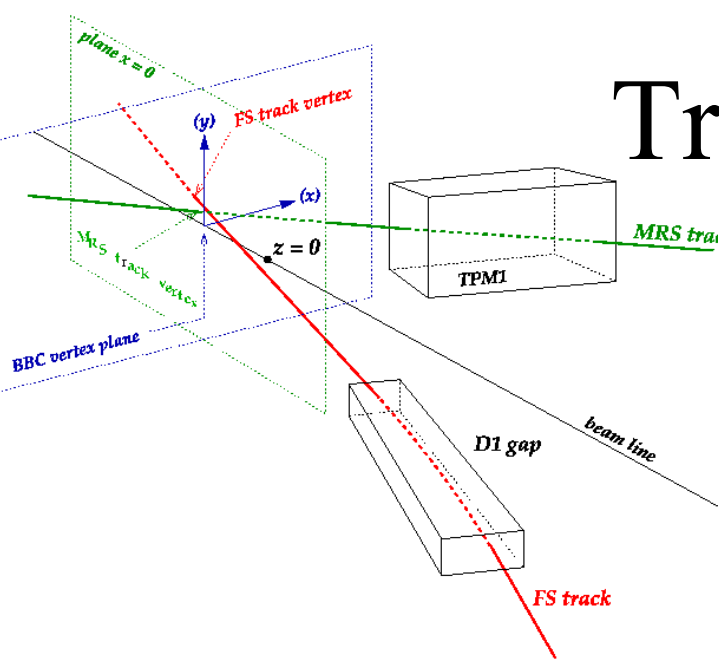
- Pointing (Track points back to the IP)
- Magnet fiducial cut (track status = 1)

PID cuts :

- TOF (TOFW, H1, H2) and RICH

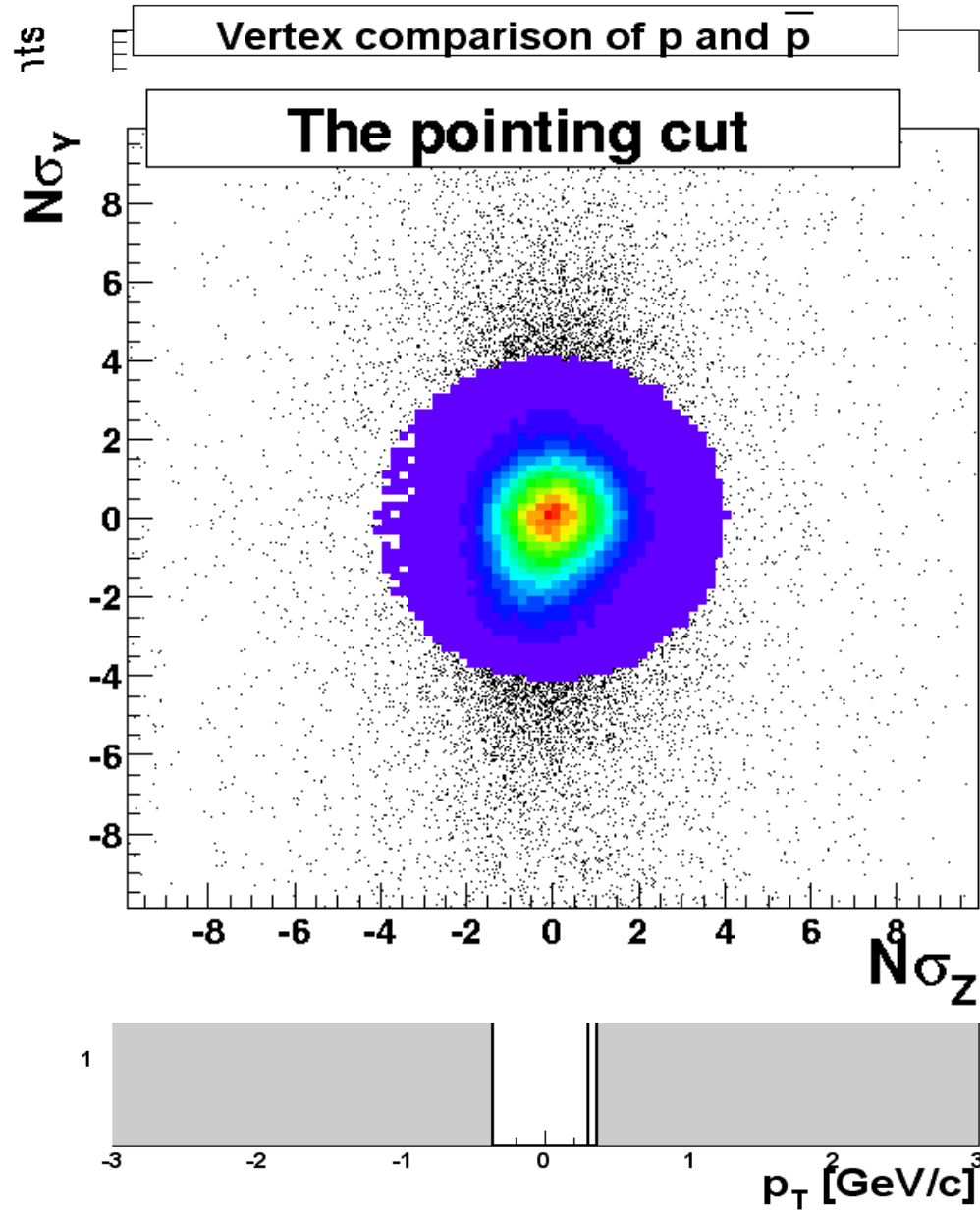


Track pointing



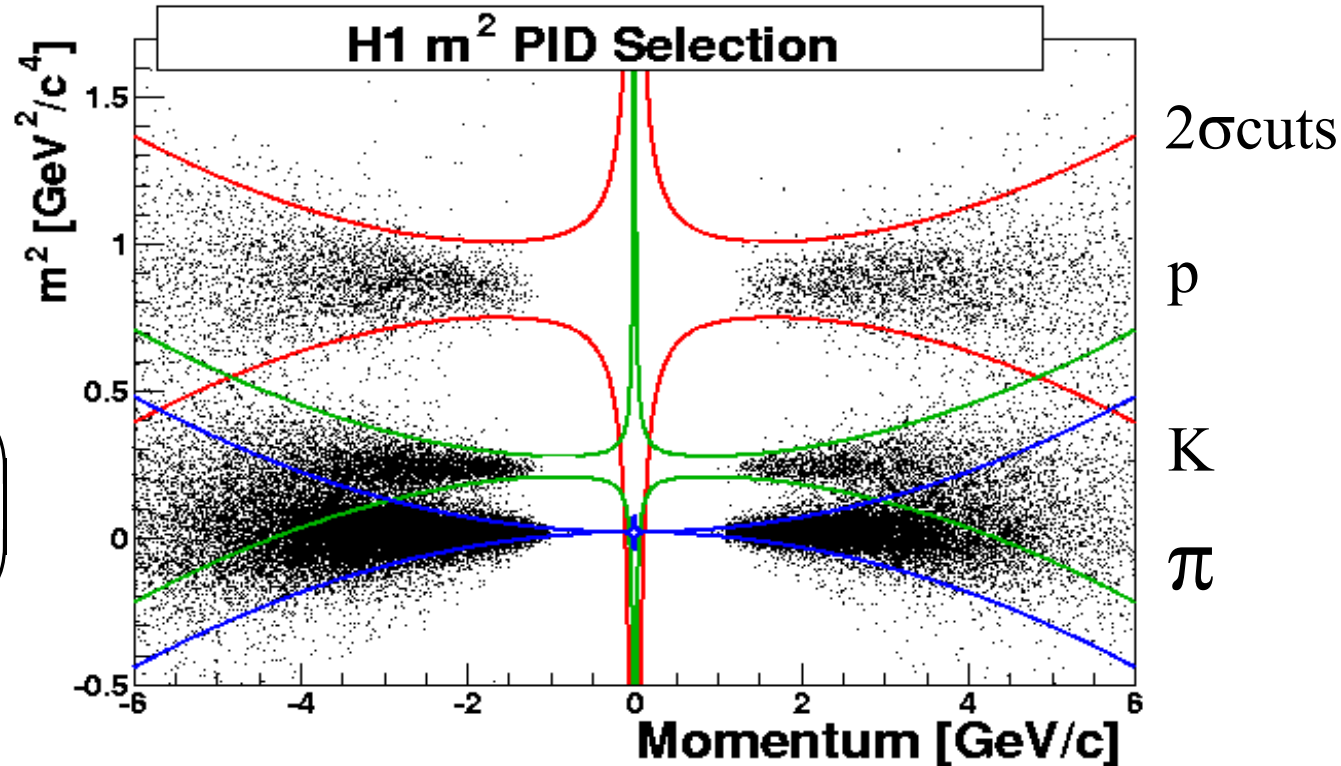
Pointing the track back to the interaction point to reject background tracks.

Might learn more from Monte Carlo simulations about where to set cut and momentum dependence.



Proton PID using TOF

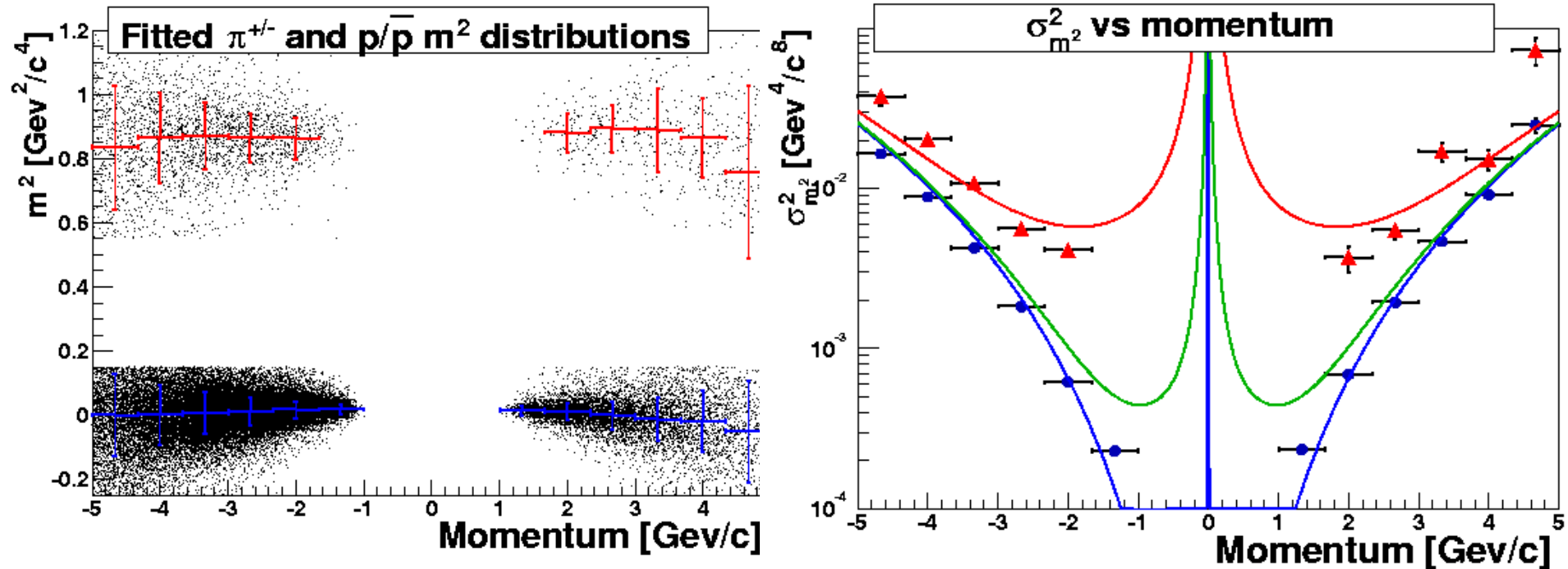
$$m^2 = p^2 \left(\frac{1}{\beta^2} - 1 \right)$$



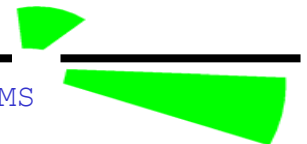
m² momentum dependence parameterized by :

$$\frac{\sigma_{m^2}^2}{4} = m^4 p^2 \sigma_{p_{angle}}^2 + m^4 \sigma_{p_{multi}}^2 \left(1 + \frac{m^2}{p^2} \right) + p^2 (m^2 + p^2) \sigma_{TOF}^2$$

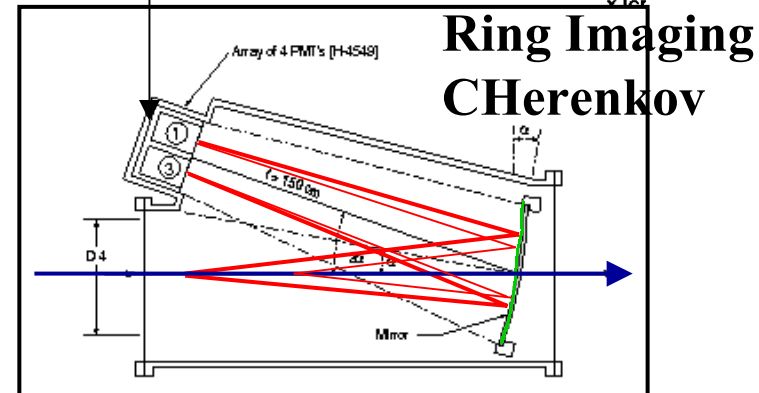
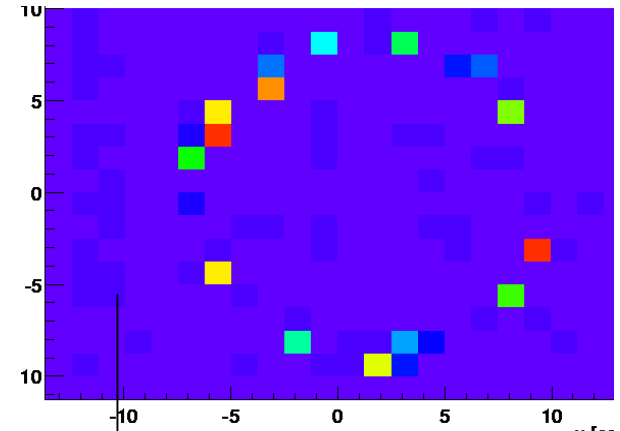
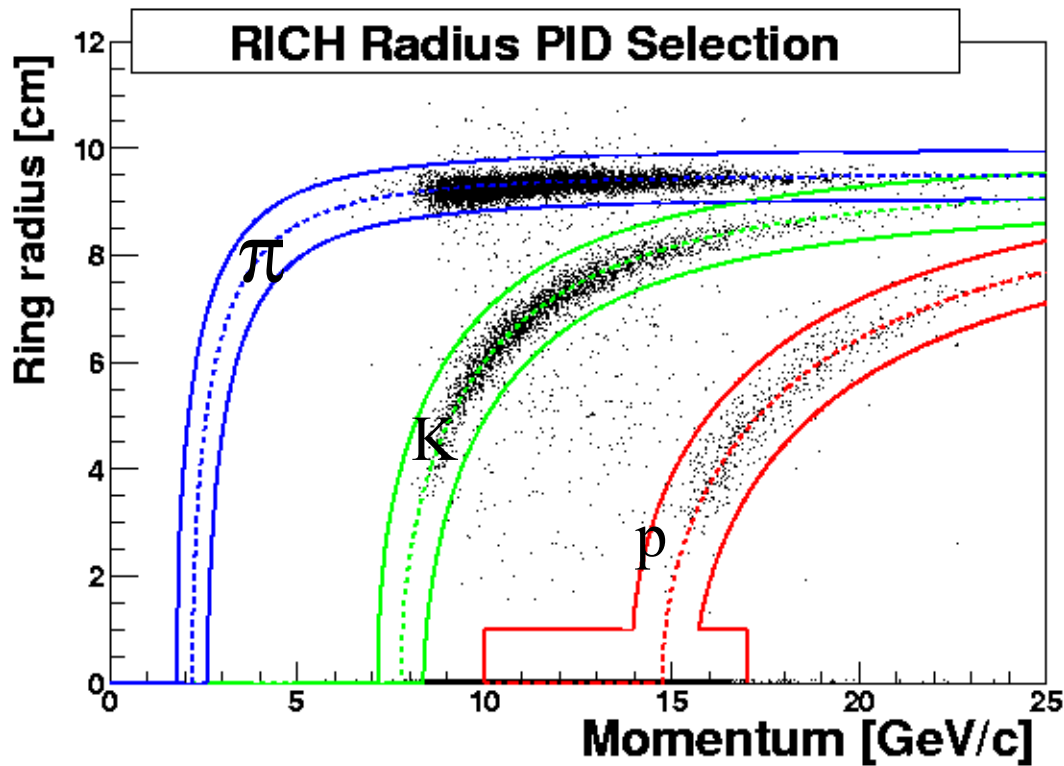
How to parameterize TOF



Can we determine the parameterization without fitting ???

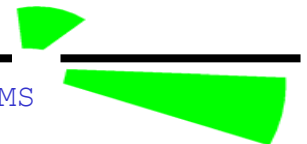


Proton PID in the FS

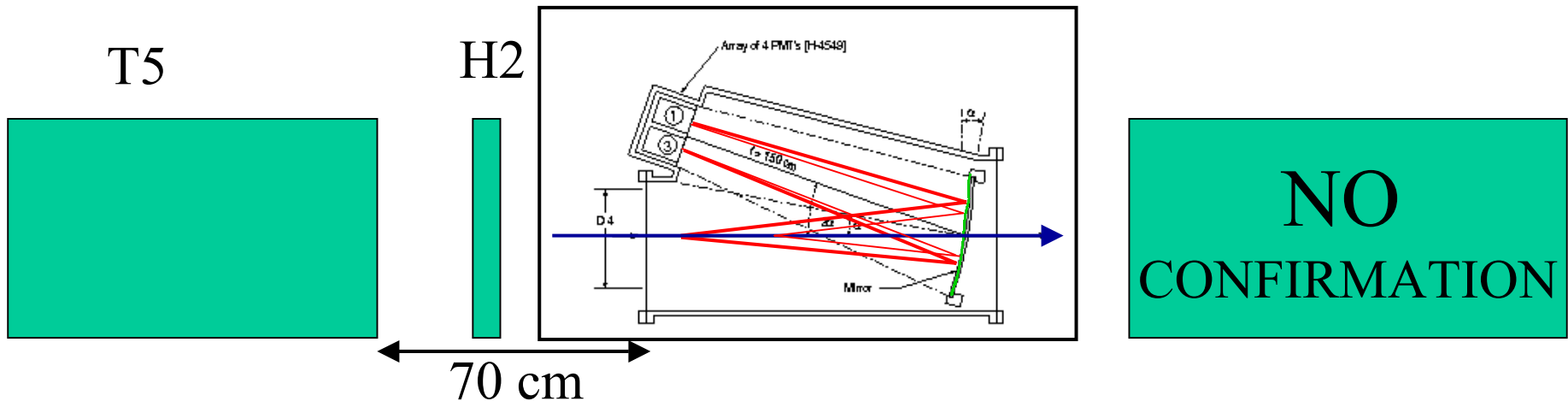


The ring radius in the RICH depends on the velocity.

We could take same approach as for TOF since the radius gives us the velocity \Rightarrow mass² cuts.



Rich efficiency 1



Focus on veto method (essentially all yield) :

1) Particle absorption or decay after T5 and decay product is not identified in the RICH.

$p=10\text{GeV}/c$, length=1m, $P(\pi)=0.2\%$, $P(K)=1.3\%$

But decay product could be identified

2) Algorithm inefficiency.



Rich efficiency 2

Use H2 to estimate contamination. $1/\beta - 1/\beta(\text{proton})$.

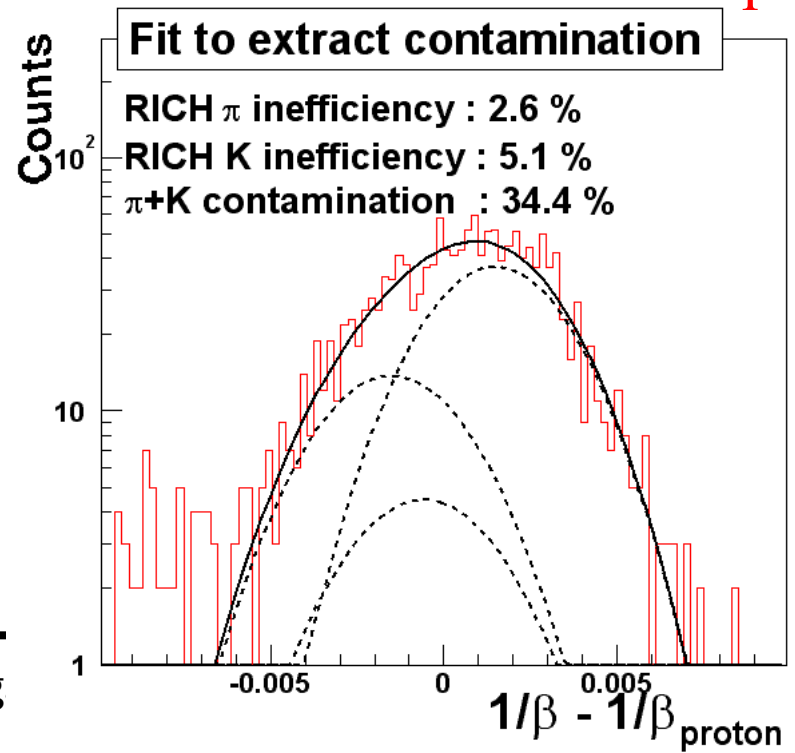
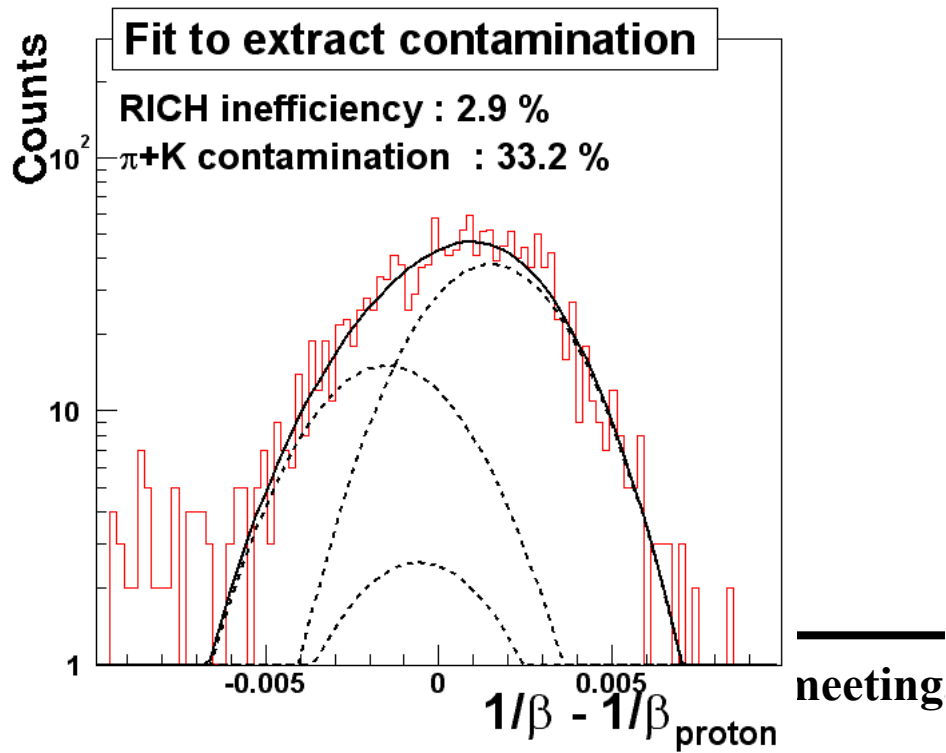
Shape of pion and kaon dist from those identified by the RICH.

Shape of protons from directly identified at higher momentum.

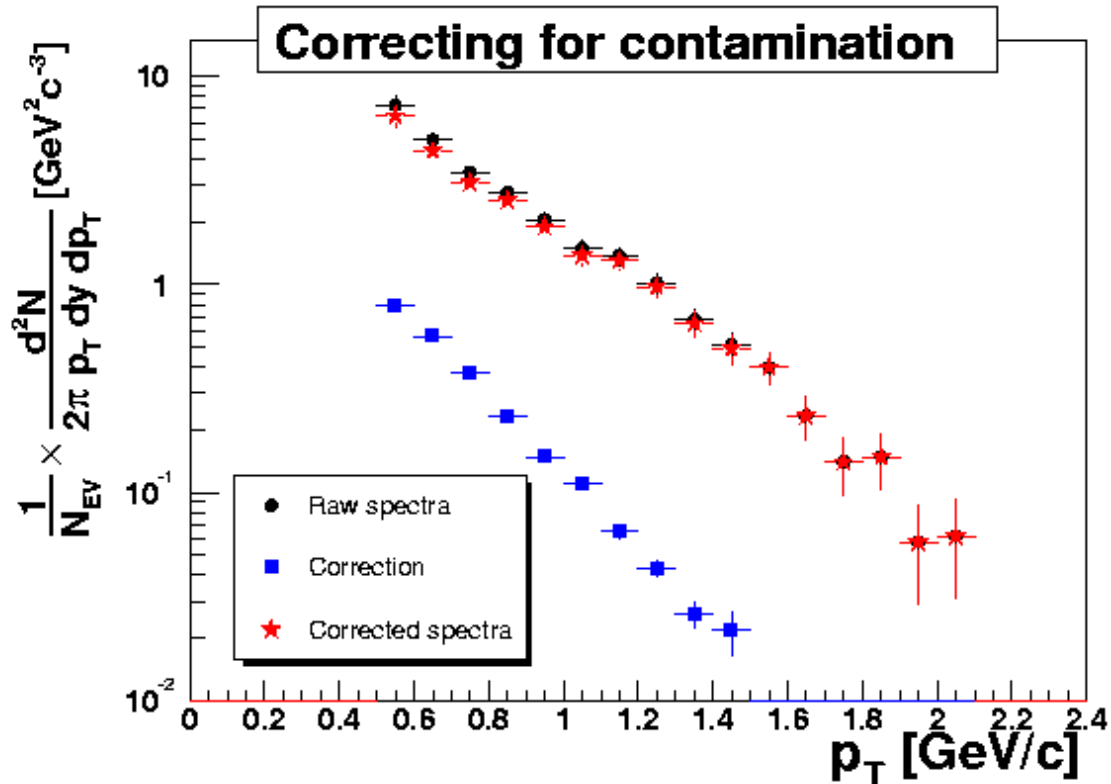
Fit H2 distribution of vetoed protons with sum of π, K, p .

Fixed $\pi+K$ contamination(thesis)

Different contamination of π, K



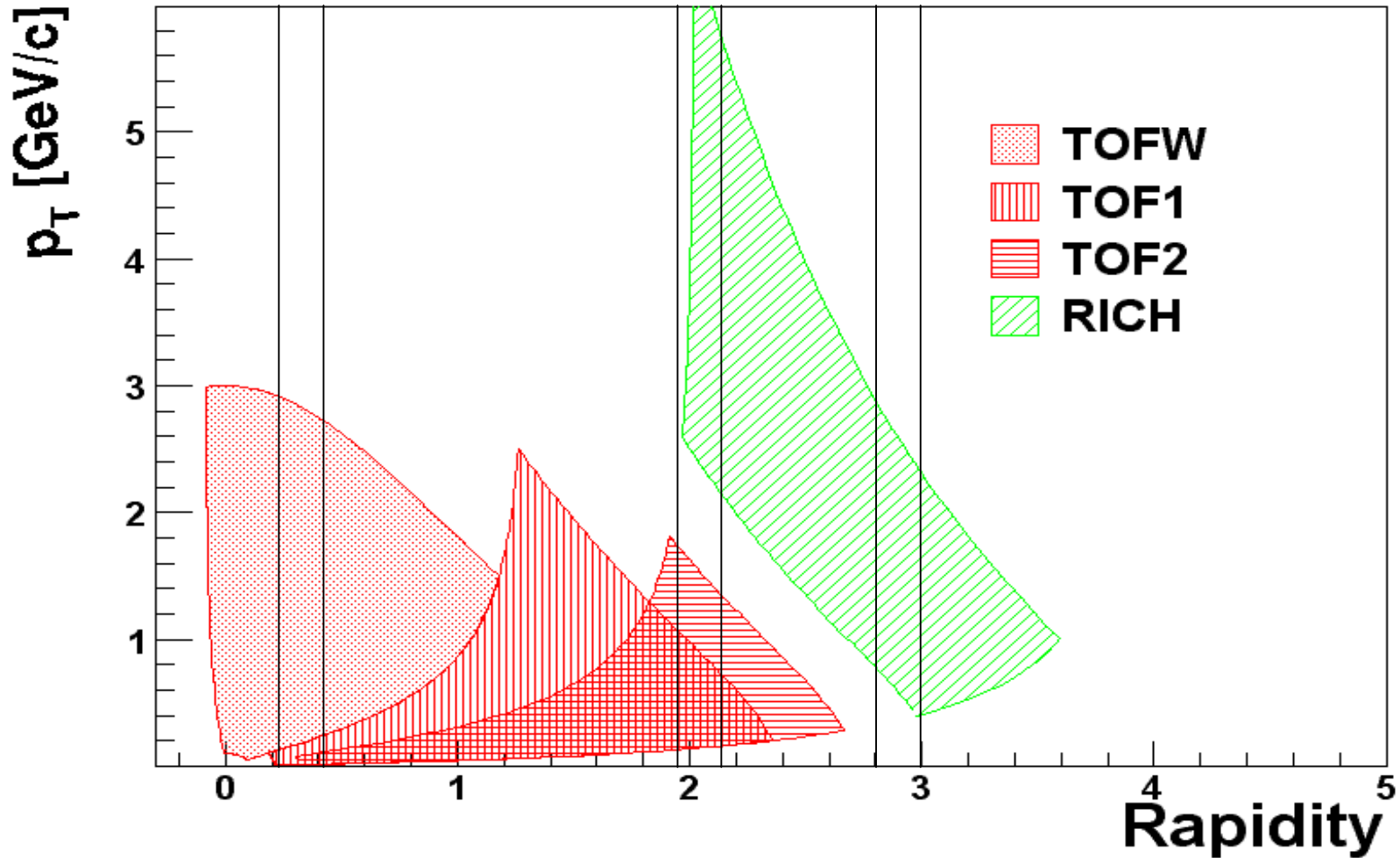
Rich efficiency 3



Do we understand the RICH (algorithm) performance and could it be enhanced ??? Does it depend on momentum. The effect of the correction is small for net-protons.



Proton and anti-proton acceptance



Constructing p_T -spectra

Invariant yield : $E \frac{d^3 N}{dp^3} = \frac{d^3 N}{p_T dp_T d\phi dy}$

$$\frac{1}{2\pi p_T} \frac{d^2 N}{dy dp_T} = \frac{1}{2\pi \cdot p_T \cdot N_{\text{events}} \cdot \text{NORM}_{\text{bin}}} \cdot \frac{\text{CORR} \cdot \text{DATA}}{\text{ACC}}$$

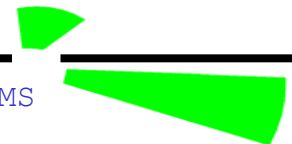
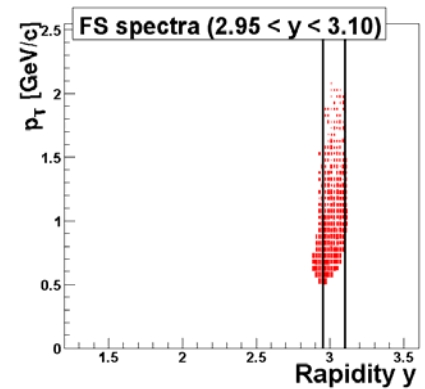
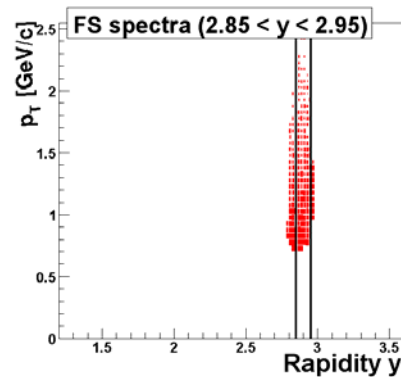
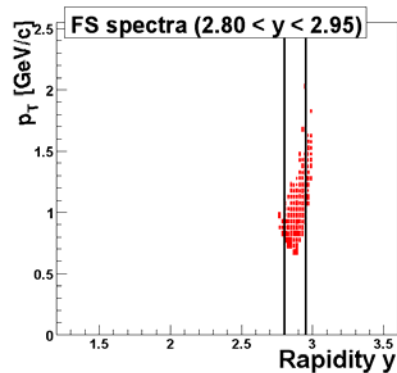
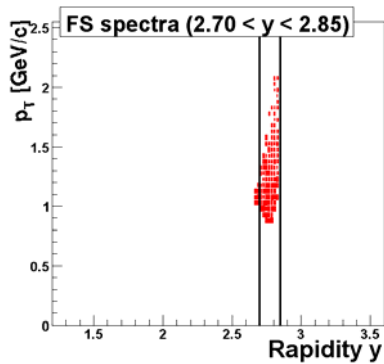
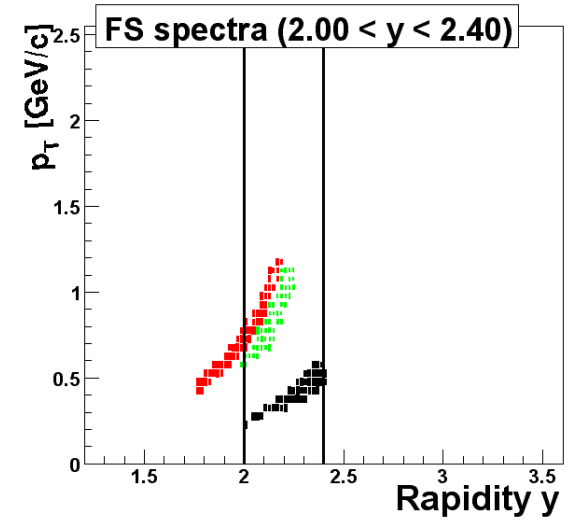
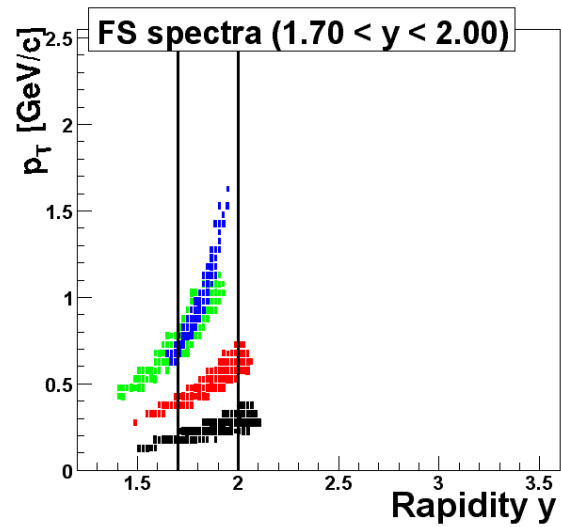
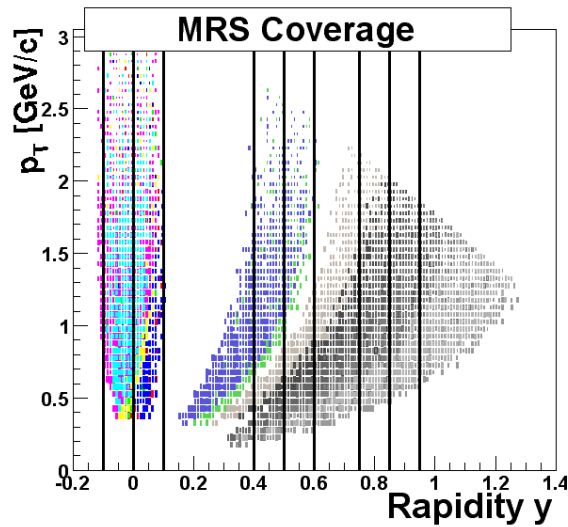
DATA : Measured protons and anti-protons

ACC : Geometrical acceptance

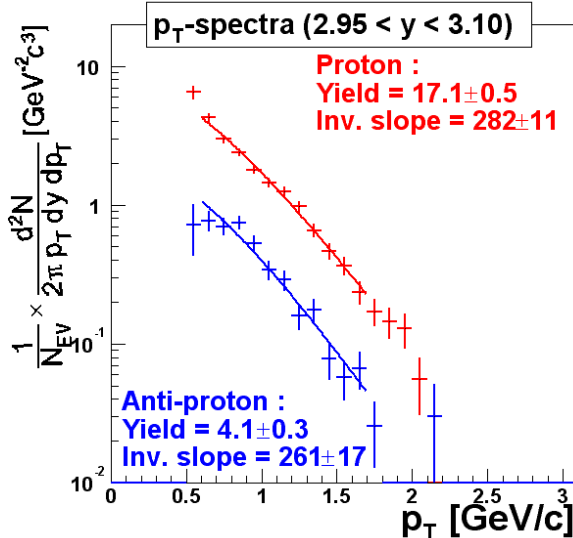
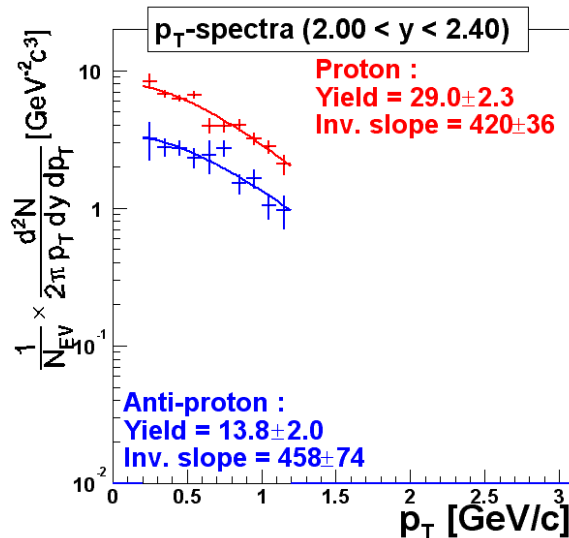
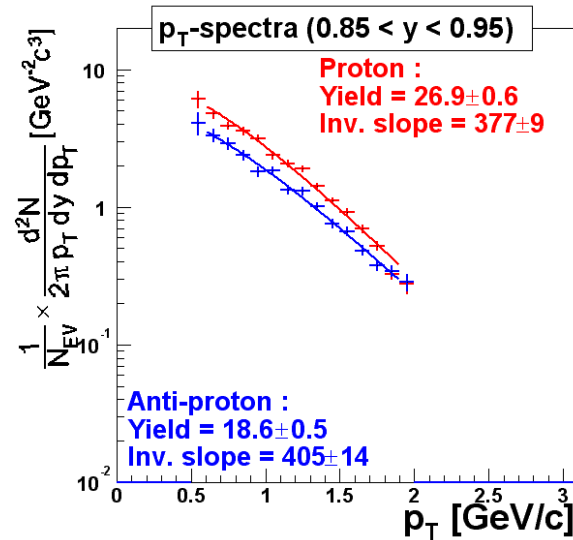
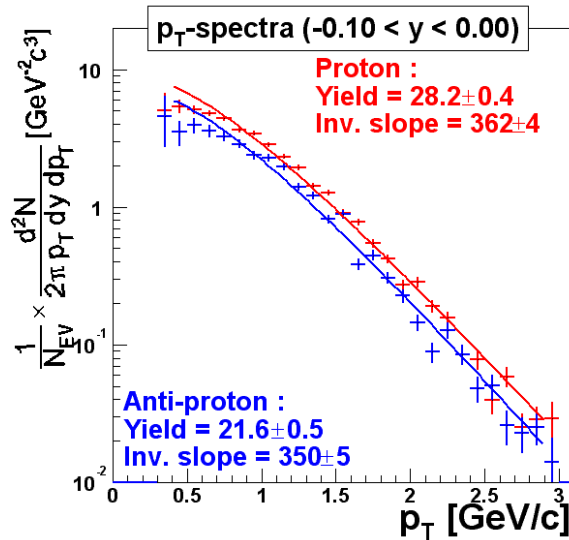
CORRections

- Tracking efficiency
- PID efficiency (slat efficiency)
- Multiple scattering and nuclear absorption correction

Rapidity Coverage

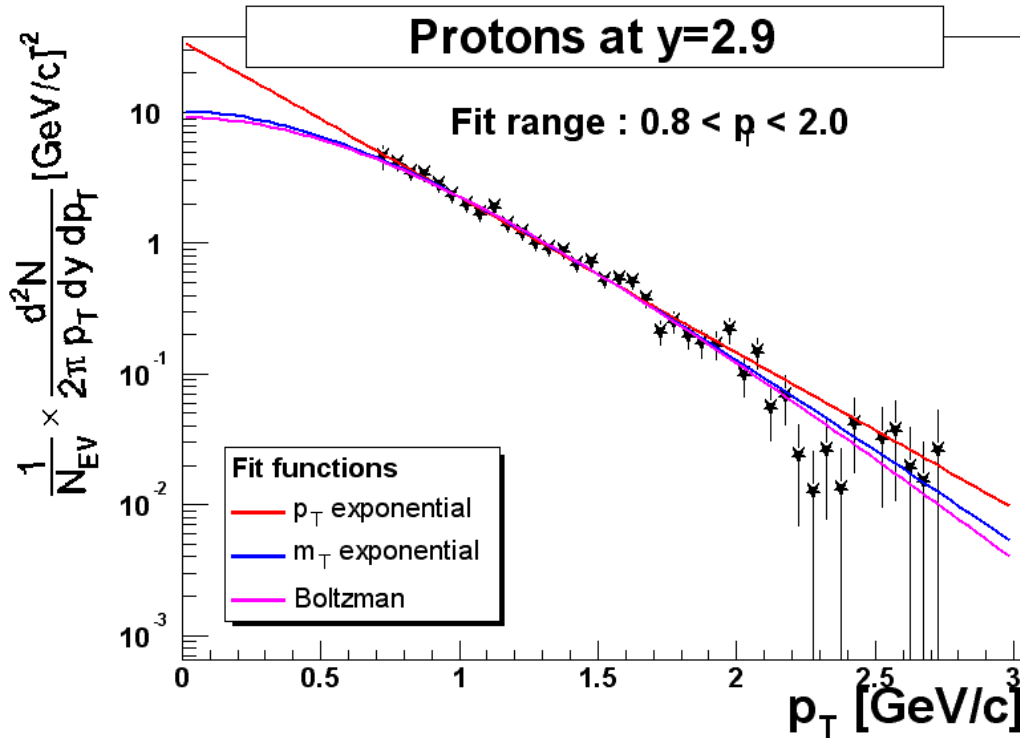


Examples of p_T -spectra



0-5%
central
collisions

Extracting dN/dy



Fit p_T spectra and use the fit to extrapolate into regions where we don't measure to get dN/dy.

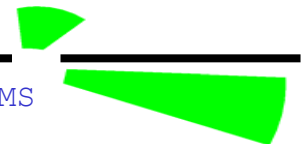
$$m_T = \sqrt{m^2 + p_T^2}$$

$$f(p_T) = N \cdot e^{-p_T/T}$$

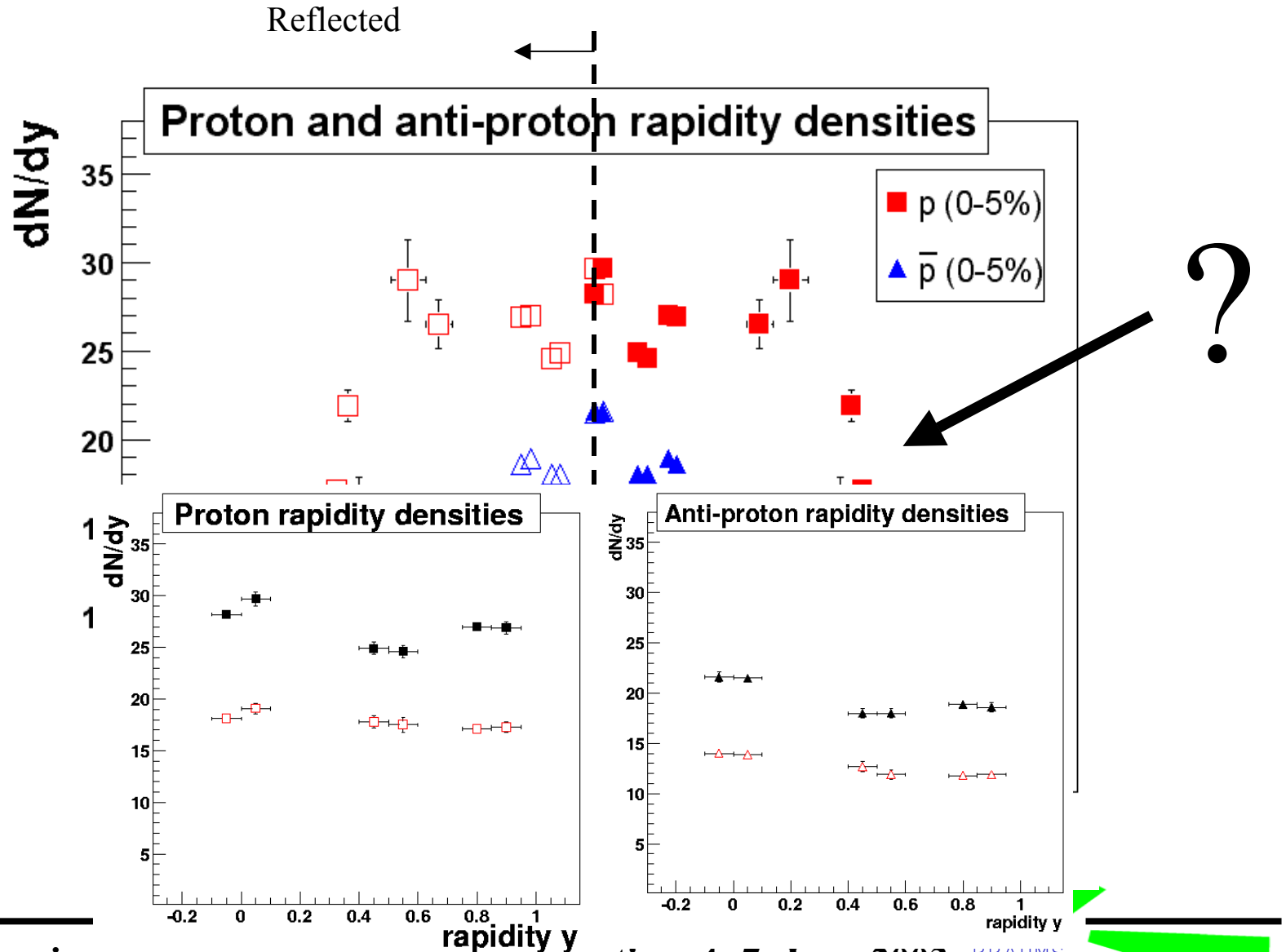
$$f(p_T) = N \cdot e^{-m_T/T}$$

$$f(p_T) = N \cdot m_T \cdot e^{-m_T/T}$$

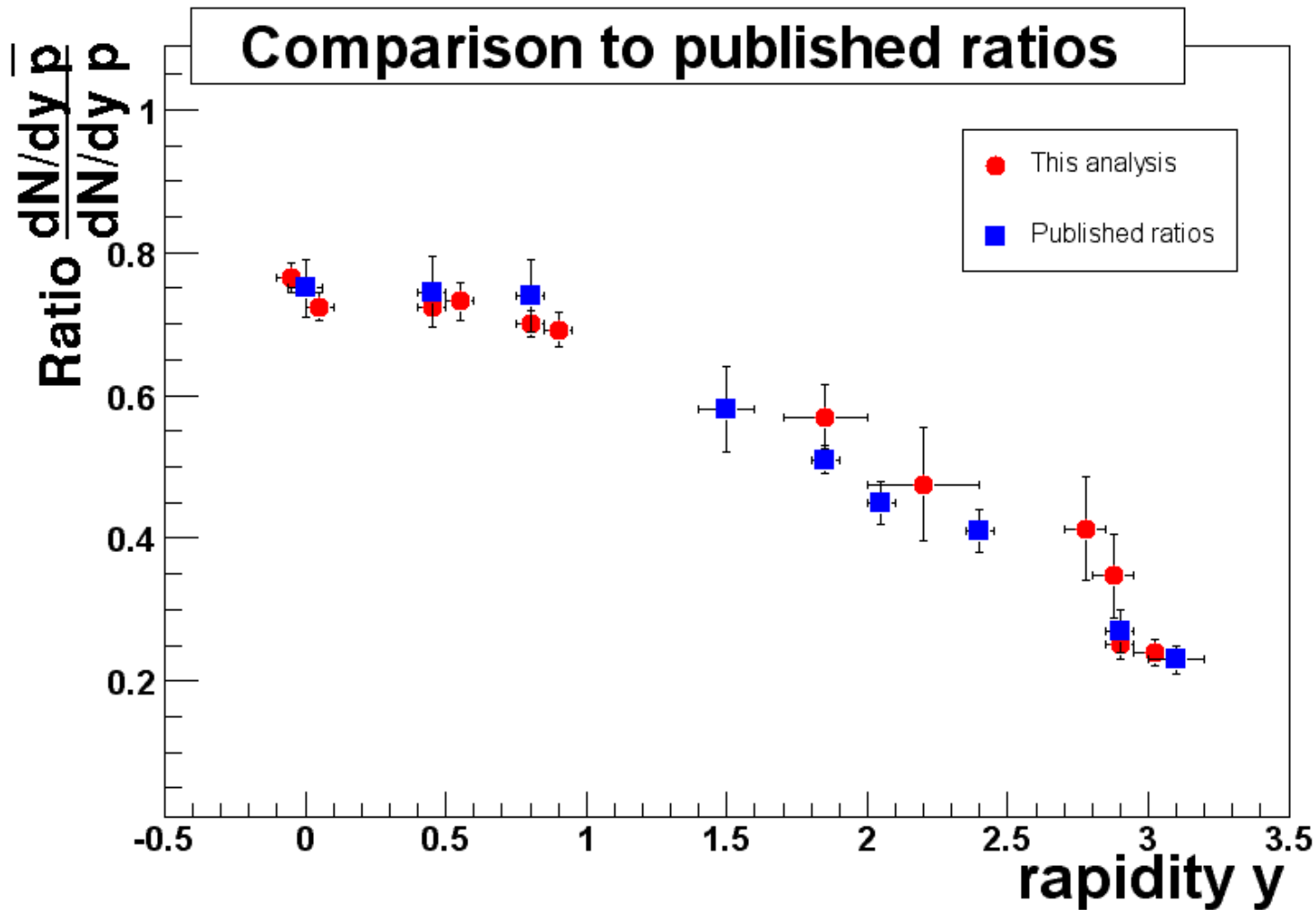
Here m_T -exponentials are used at all rapidities, but could we do better : Blast wave or free m_T exponent



Rapidity densities dN/dy



Compare to ratios



Systematic errors

Quality of data \Rightarrow Can we improve. $Y=3$ needs this

- Data : Discrepancy between measurements in the same phase space
- Fit : Variations

10% difference between efficiency methods. Do we understand our efficiencies = tracking. MC might tell us more

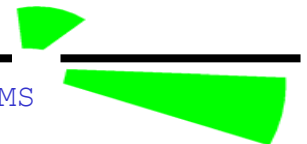
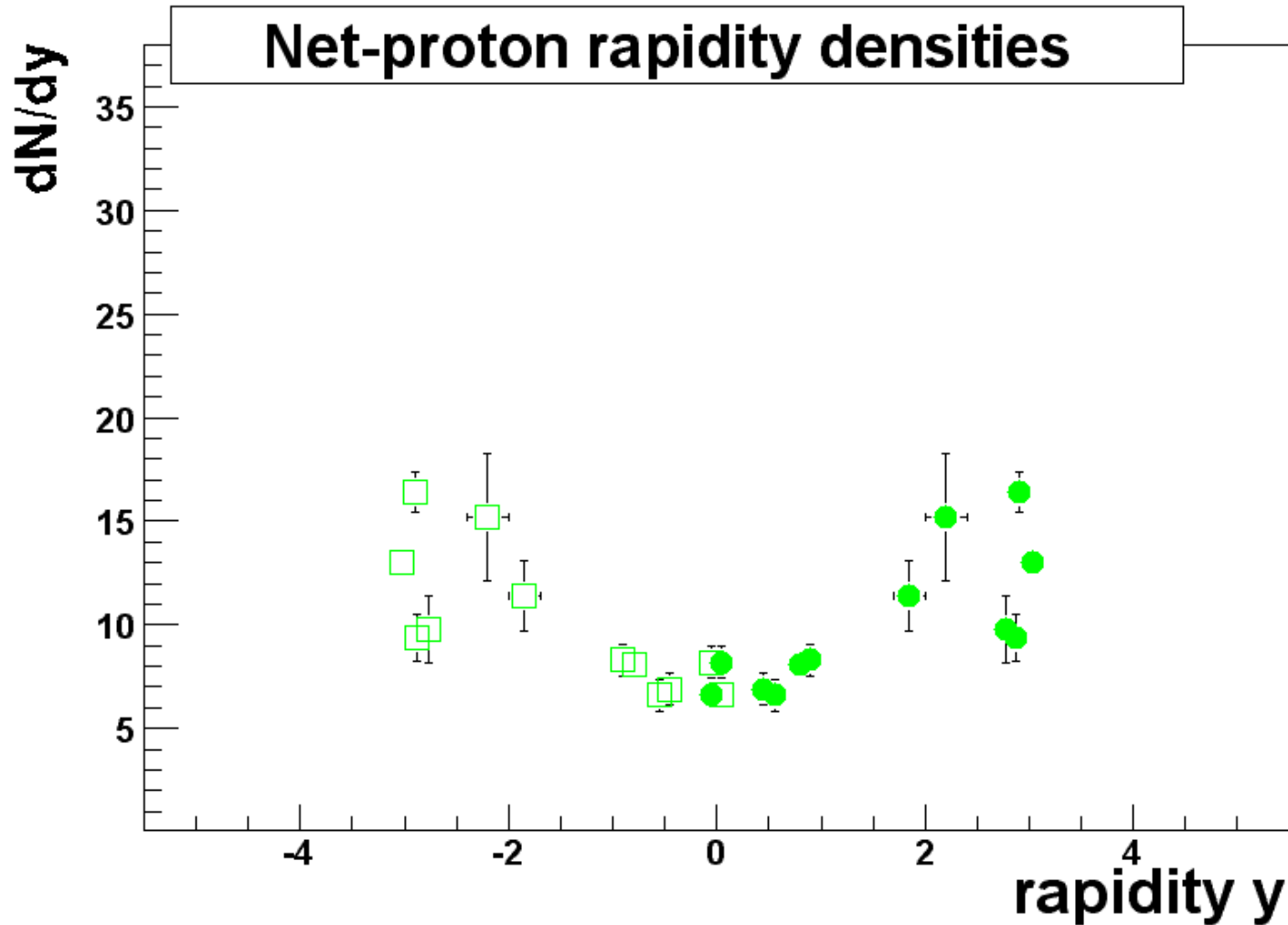
Do we understand TPC drift well enough

Sigma cut ?

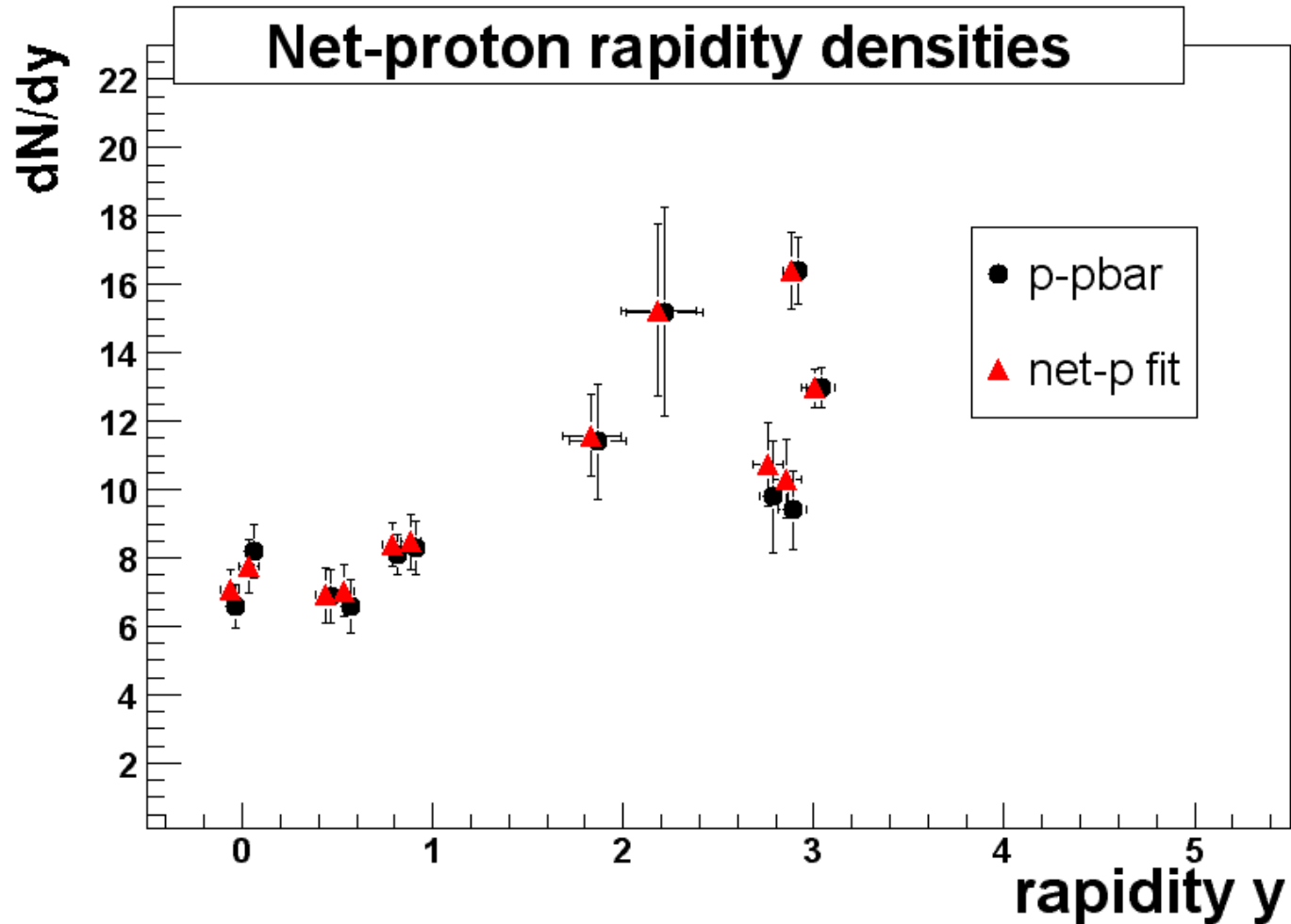
How does yields vary with cuts ?



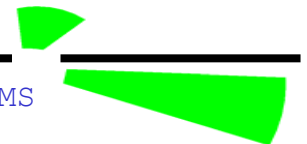
Net-proton dN/dy



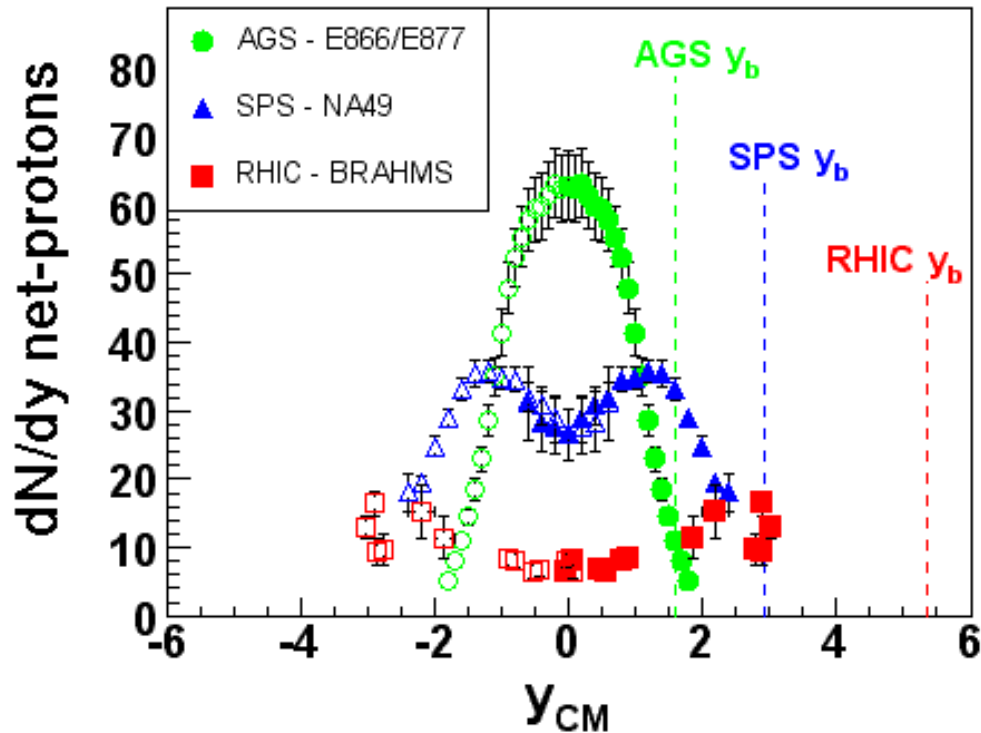
Test



Net-p fits has better chi2

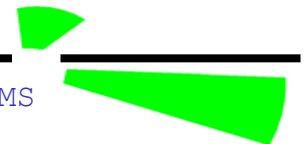


Net-proton energy dependence



The shape of the net-proton distribution measured at RHIC is different from what is observed at lower energies.

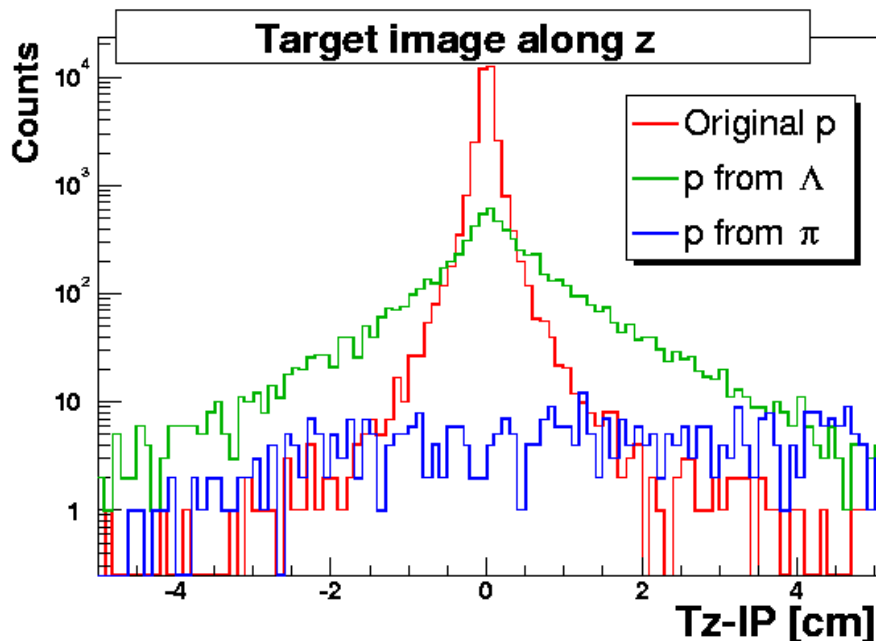
At RHIC the mid-rapidity region is almost net-proton free.
Pair production dominates at RHIC.



Comparison to Models I

Net-protons measured includes protons from hyperon decays
e.g. $\Lambda \rightarrow p + \pi^-$.

To compare with models the protons from hyperon decays
have to be removed. BRAHMS does not measure Λ , instead
we use models and simulations to correct :

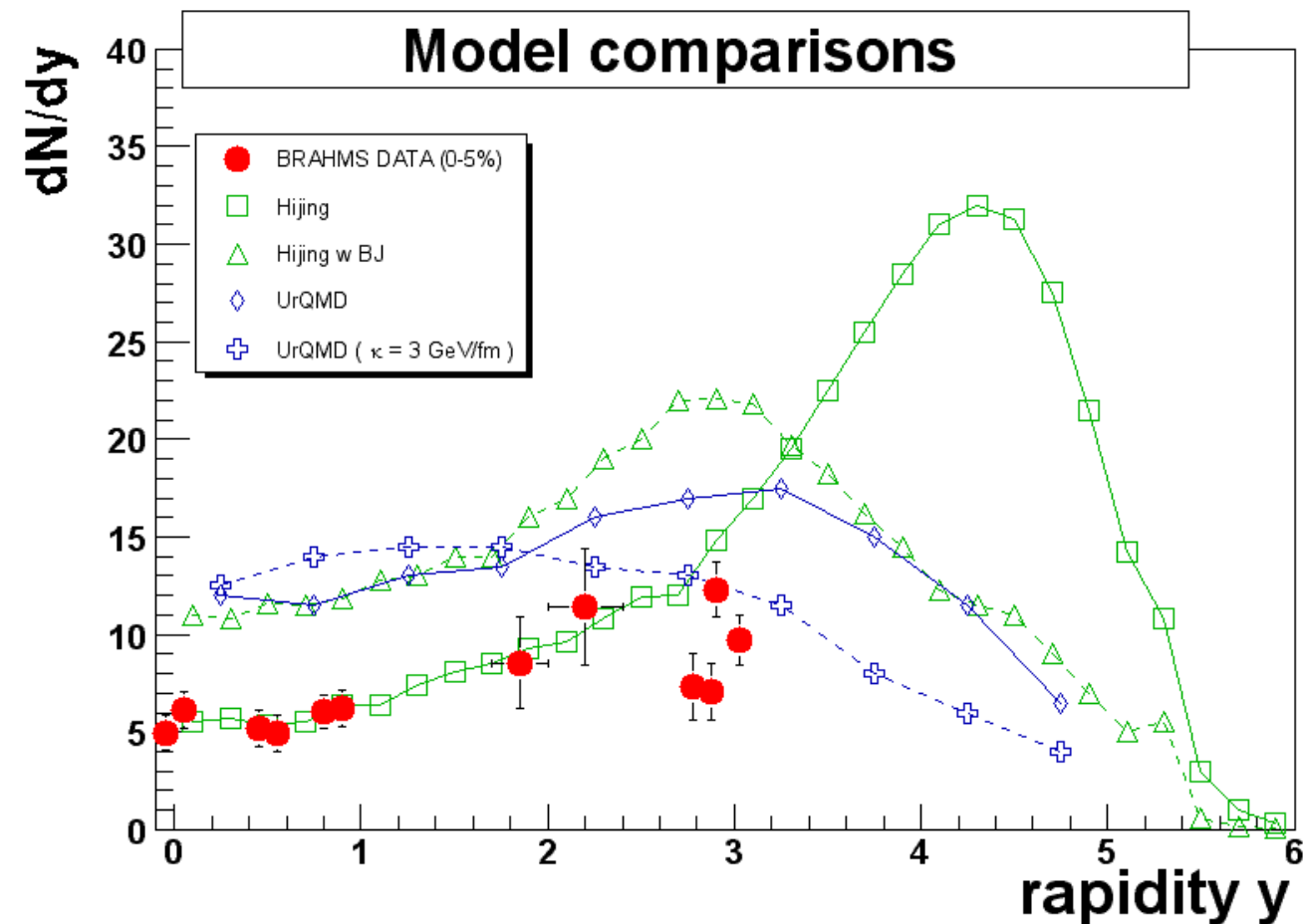


$$C = \frac{N_p}{N_p + s \cdot N_\Lambda + s \cdot N_{\Sigma^+}}$$

HIJING : $s = 0.9/0.4$

$C \sim 0.75$ at all rapidities

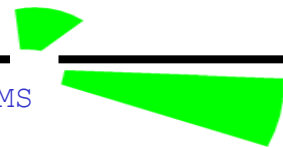
Comparison to Models II



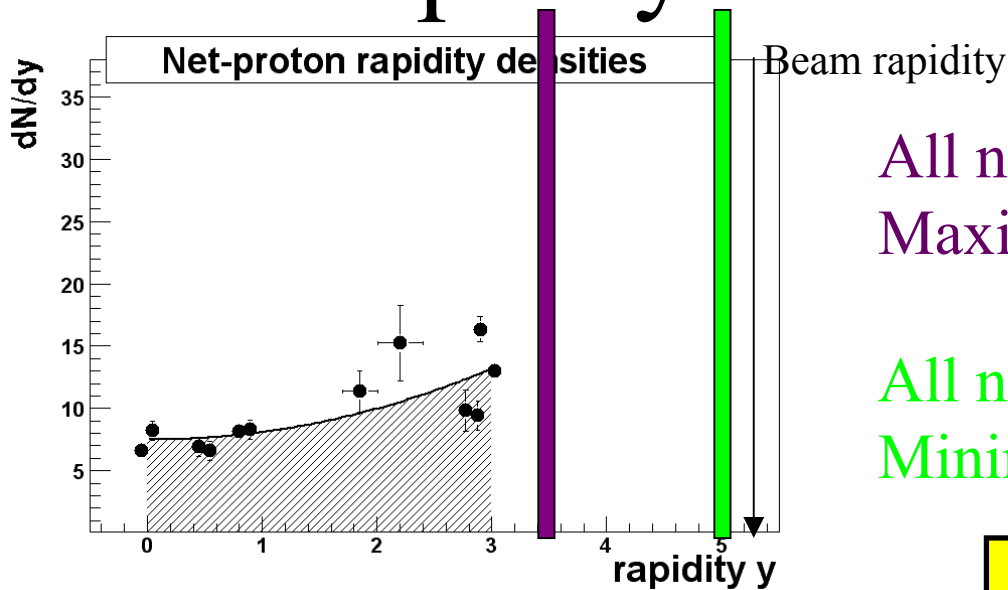
Hijing (Strings, no rescattering)

UrQMD (Transport calculation, resonance excitations, rescattering)

Hijing describes the data best, BUT Hijing does not reproduce Λ/p ($y=0$) or \bar{p}/p ($0 < y < 3$)



Rapidity Loss Estimates



All net-protons at $y = 3.5$
 Maximal rel. rap. loss = 0.24

All net-protons at $y = 5.0$
 Minimal rel. rap. loss = 0.16

29 net-protons measured ($0 < y < 3$)

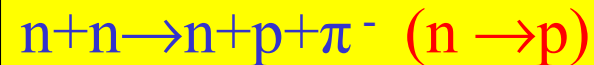
Estimate total :

350 participants 140 initial protons

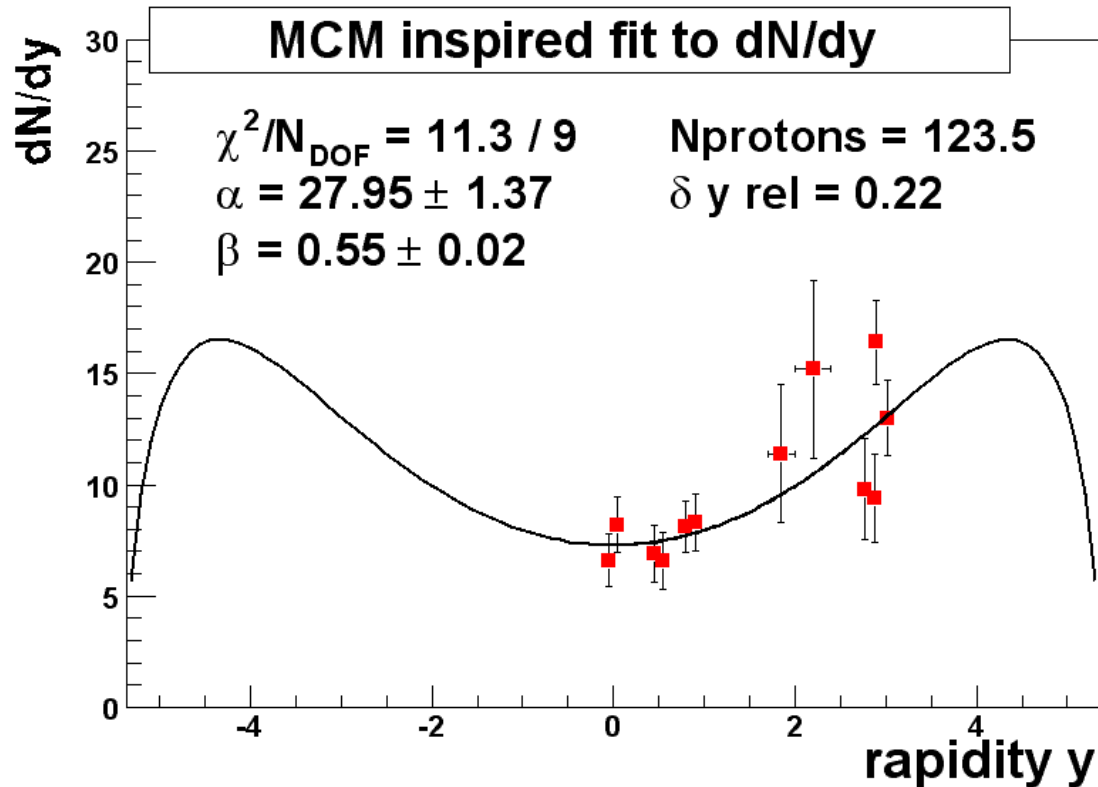
Assume 140 total \Rightarrow 70 ($y > 0$)

\Rightarrow 41 outside acceptance ($y > 3$)

Example of processes :



Rapidity Loss (MCM fit)

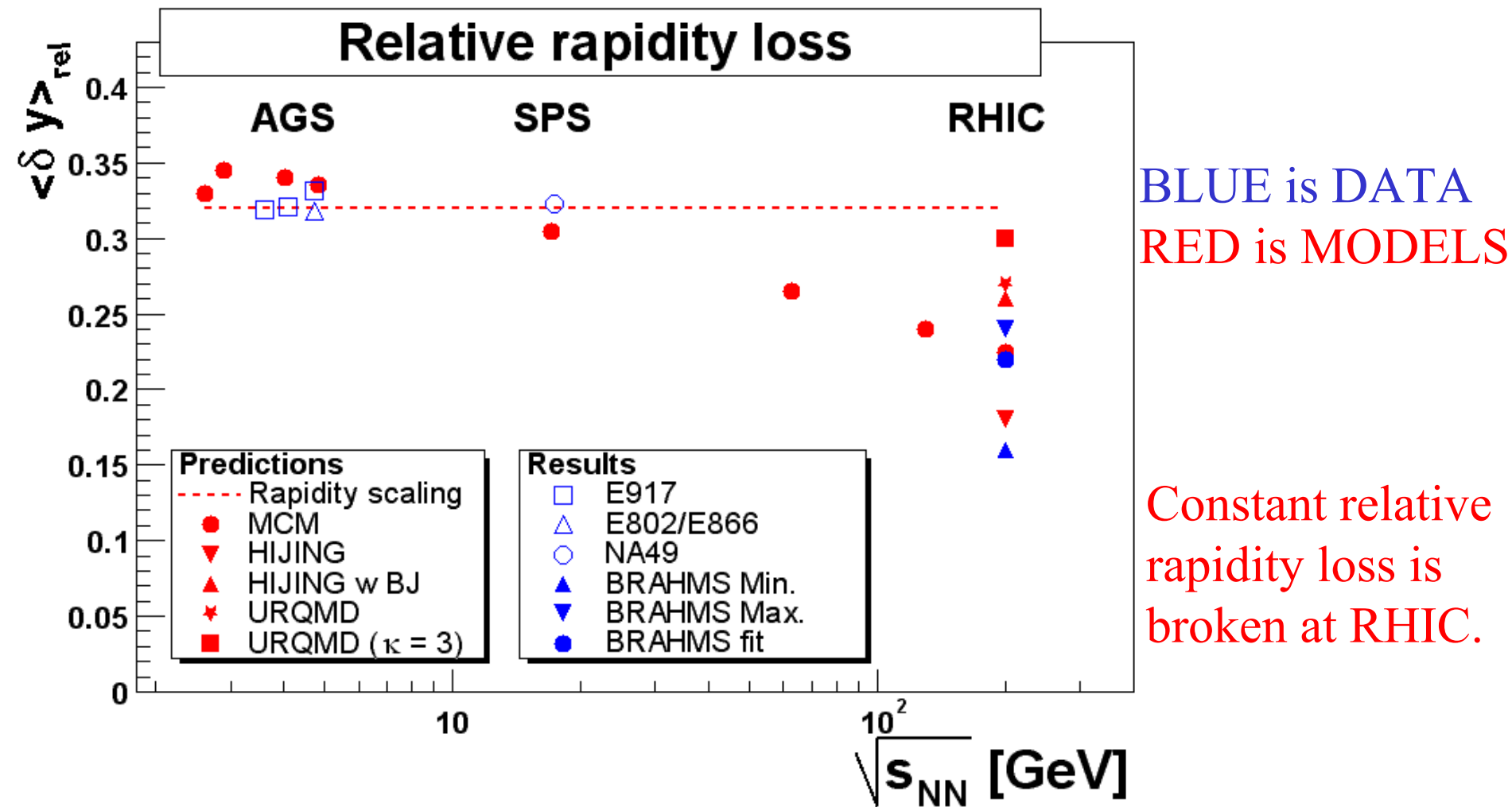


Fit the data with the MCM inspired function :

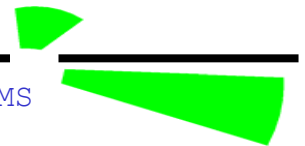
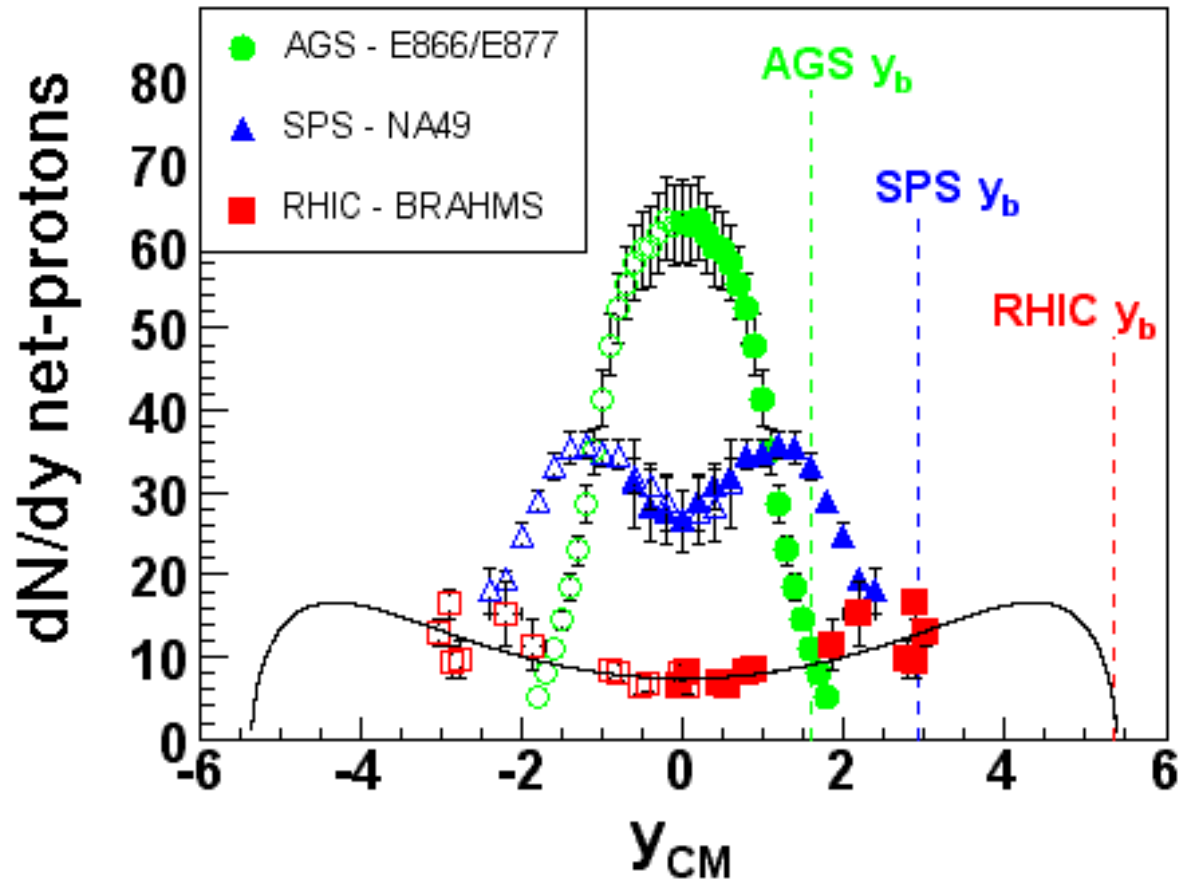
$$f(x) = N(x^\alpha e^{-\alpha} + (Y - x)^\alpha e^{-\alpha(Y-x)}) \quad \text{where } x = y + y_{\text{beam}}$$



Rapidity Loss Results



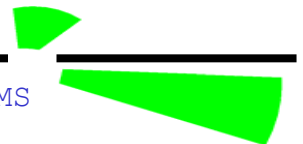
Net-proton energy dependence



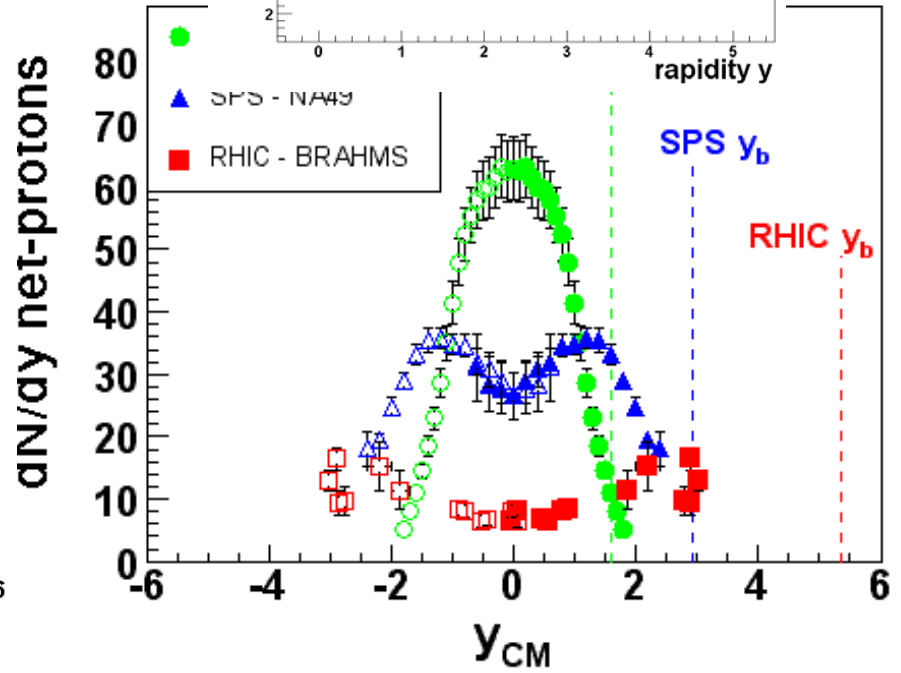
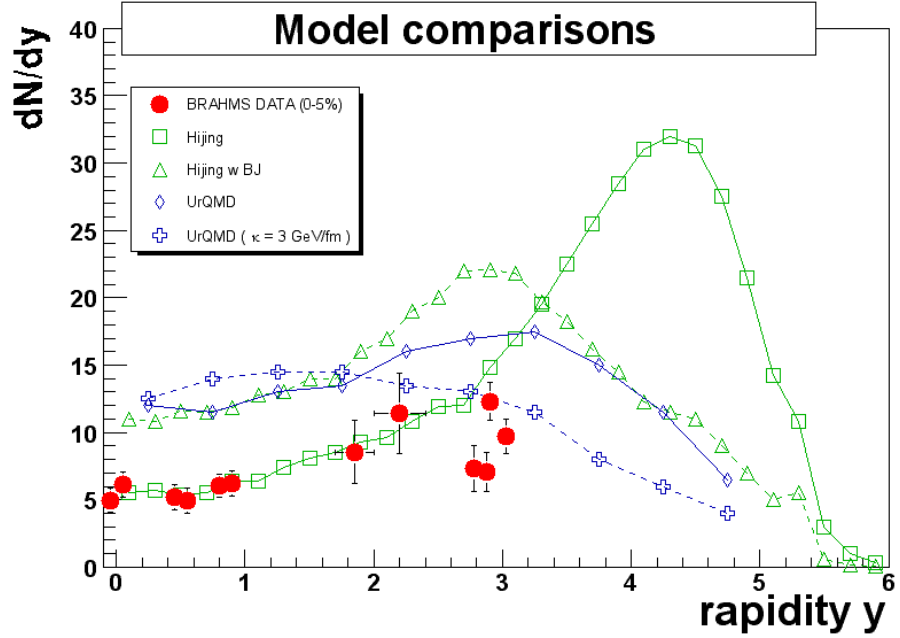
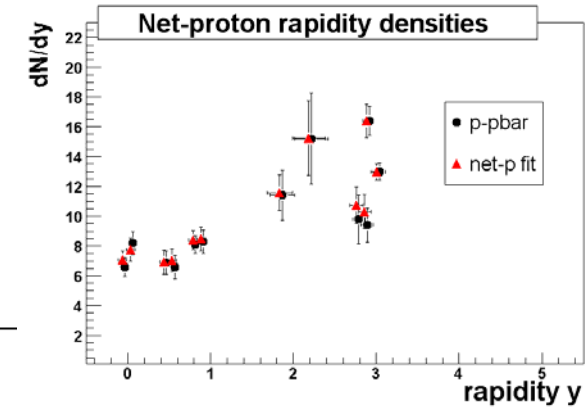
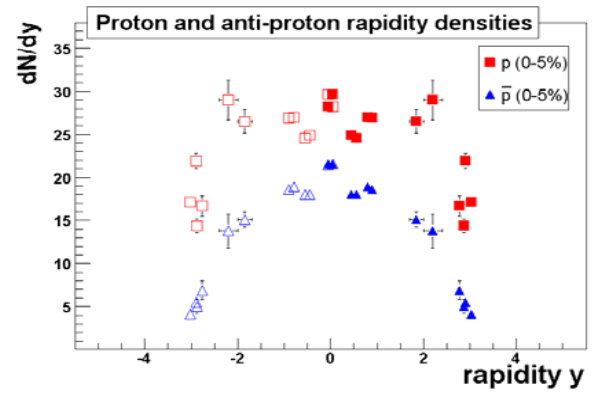
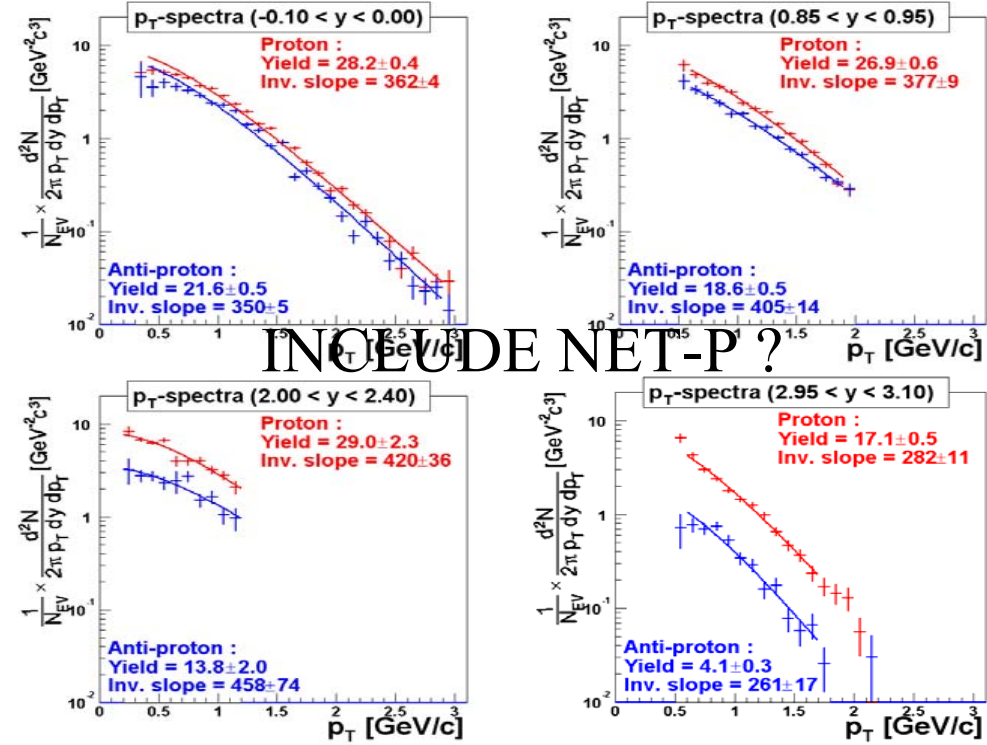
Four plots for a PRL

1. p_T spectra
2. Proton and anti-proton yields and Net-proton yields 2 methods
3. Net-p vs models
4. Net-proton vs energy
5. Net-baryons ? Rapidity loss

Should we try to get net-baryons ala NA49. The advantage is that then we know there is 350 from Glauber calculations.



INCLUDE NET-P ?



Conclusions

There should be a BRAHM web page with thesis's!!!!

Data shows :

Transparency (Bjorken)

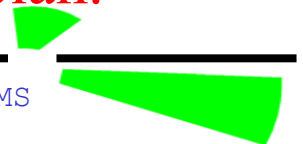
Rapidity scaling broken

Problems :

Y=3 discrepancy

Estimating systematic errors

SHOULD WE PUBLISH SOON ?????????? Make plan.



Model predictions

- Geometric Glauber model calculations can be used to calculate the collision geometry.
- Most interactions are *soft* so pQCD can not be used.
- The physics learned from p+p collisions can be used as a starting point, but there are important differences :

Formation times, Off-shell cross sections, Rescattering

The models chosen are :

- MCM (Simple)
- Hijing (Strings)
- UrQMD (Transport)



Multi Chain Model I

$$\frac{dN^{BA \rightarrow pX}}{dy}(y) = r_B W_B \sum_{n=1}^{N_A} P_{B/A}(n) Q_n(Y-y) + r_A W_A \sum_{m=1}^{N_B} P_{A/B}(m) Q_m(y)$$

B is the projectile(y=Y),
A is the target(y=0)

r is the ratio of protons to nucleons

W is the number of participants

P(n) is the fraction of nucleons that
has n binary collisions

Q are the fragmentation functions that
contains the physics

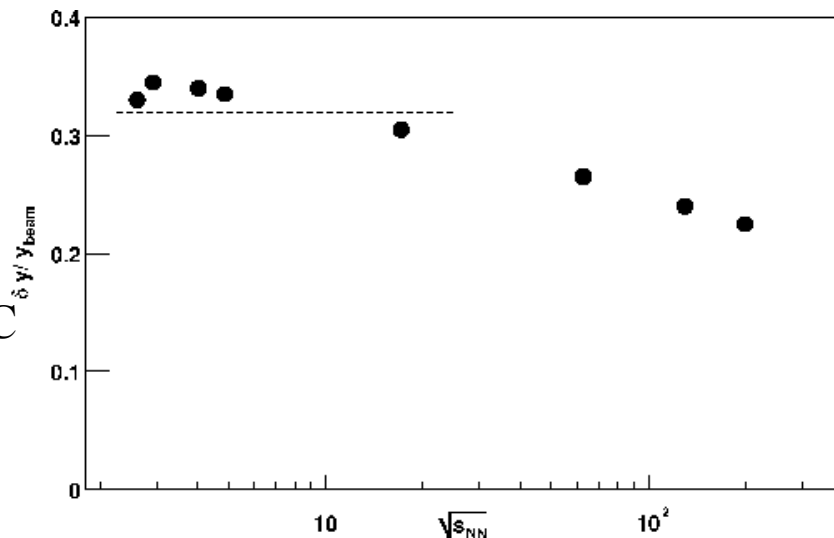
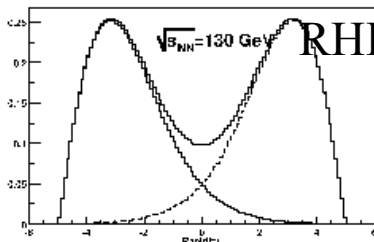
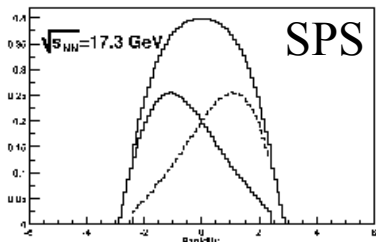
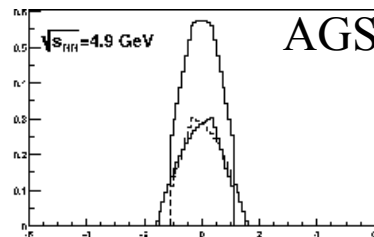
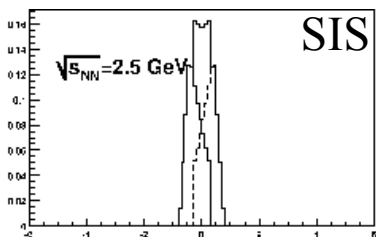
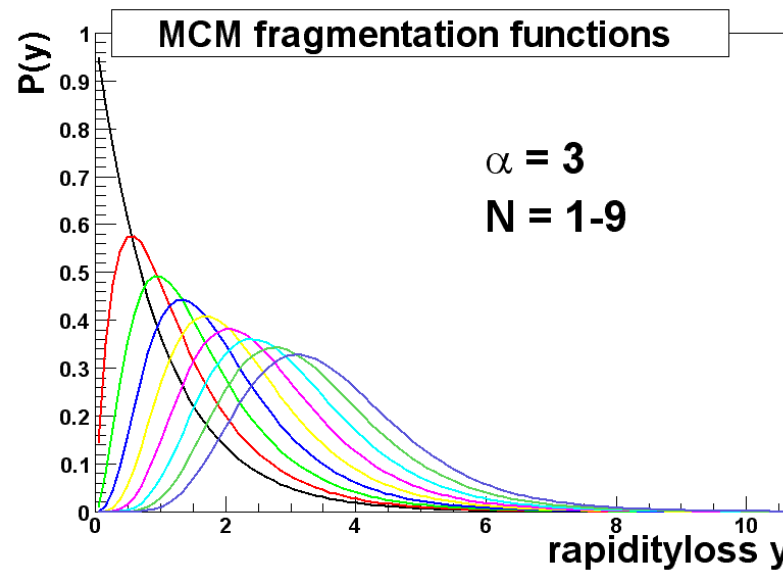
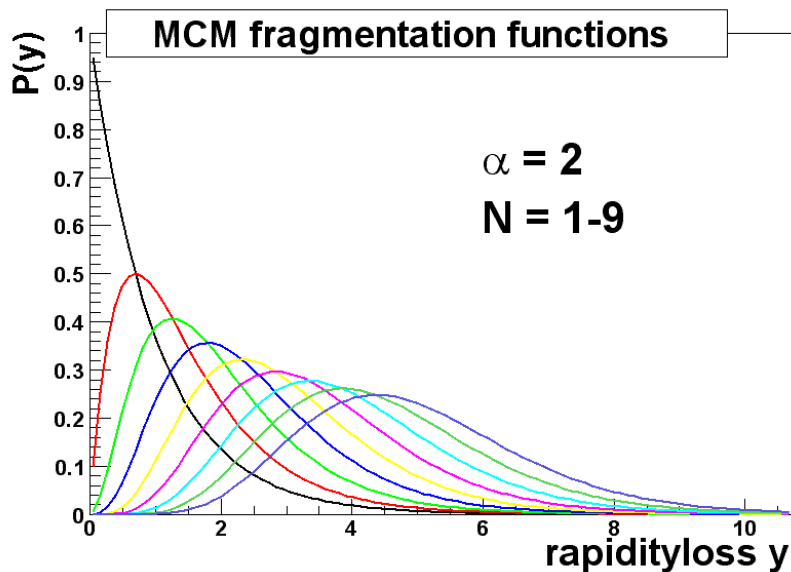
Q₁(y) is the p+p fragmentation function Q₁(y)=e^{-y}

Q₂(y) is in the simplest case made from Q₁(y₁)Q₁(y-y₁)

But in general a different fragmentation function is used for collisions after the first Q₁^{*}(y)=e^{-αy}. This gives the general

$$Q_n(y) = \left(\frac{\alpha}{\alpha-1} \right)^{n-1} \left[e^{-y} - e^{-\alpha y} \sum_{m=1}^{n-2} \frac{1}{m!} (\alpha-1)^m y^m \right]$$

Multi Chain Model II



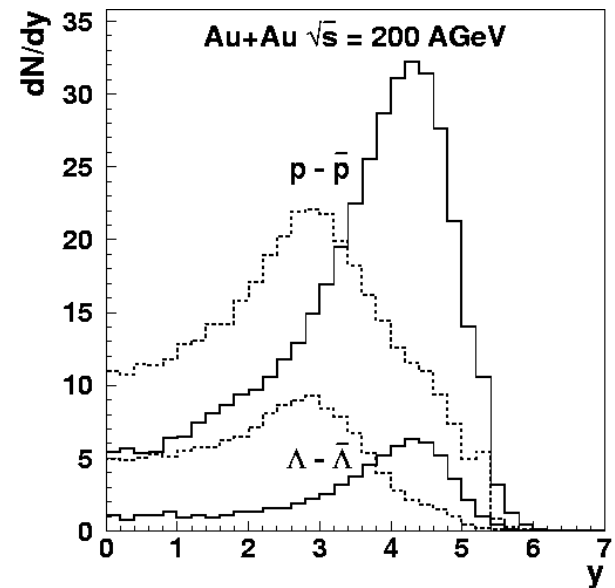
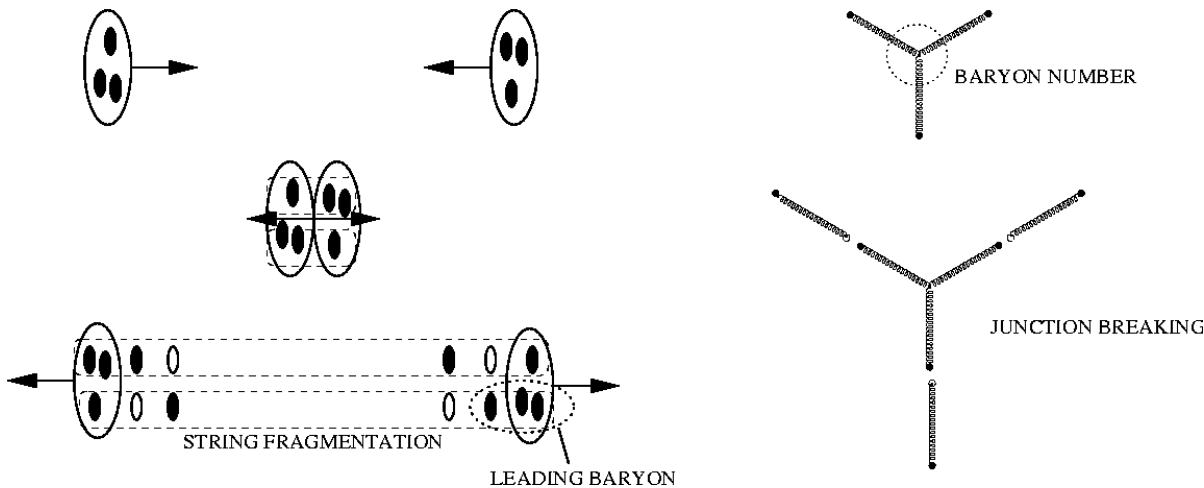
Hijing

Energy lost in hard scatterings is resolved first.

All the soft scatterings results in string excitations.

The strings decays after all collisions have been resolved according to Lund string model (JETSET).

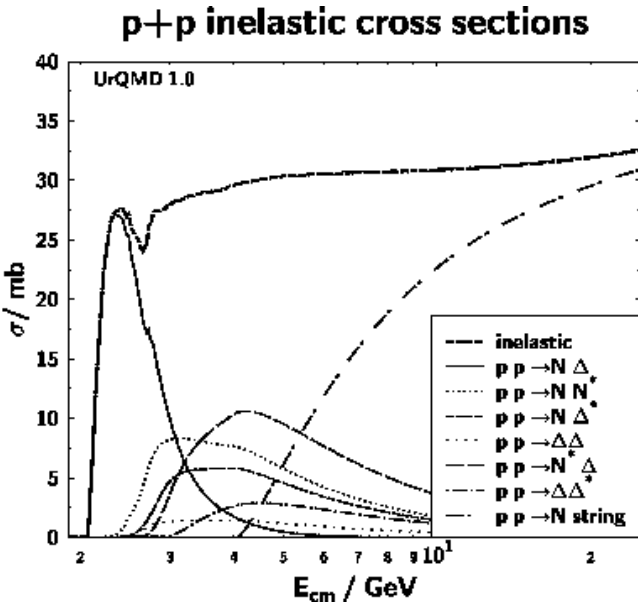
The strings can be (de)excited by more scatterings after they are created with a modified probability.



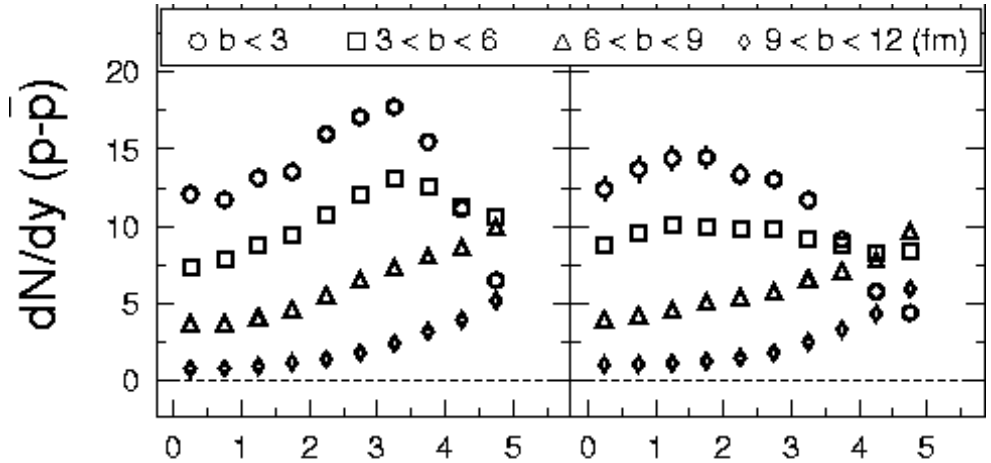
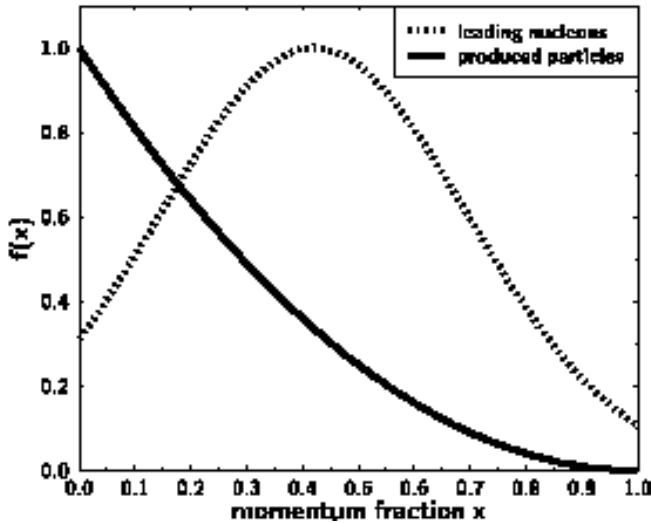
UrQMD

Transport theory. Only 12→34 scatterings. All particle production from decays. Propagate as free particle between scatterings.

Reduced cross section of strings and decay time of strings is important. Strings decay time $\propto 1/\sigma$.



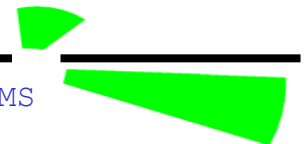
Fragmentation functions



$\sigma = 1 \text{ GeV/fm}$

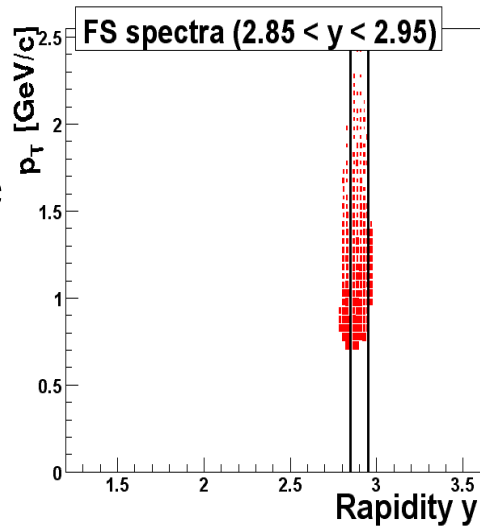
Rapidity

$\sigma = 3 \text{ GeV/fm}$

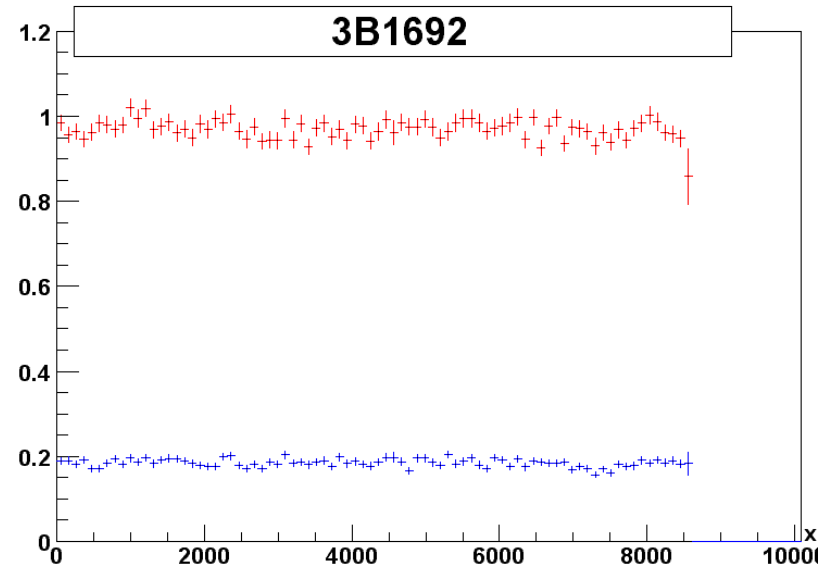
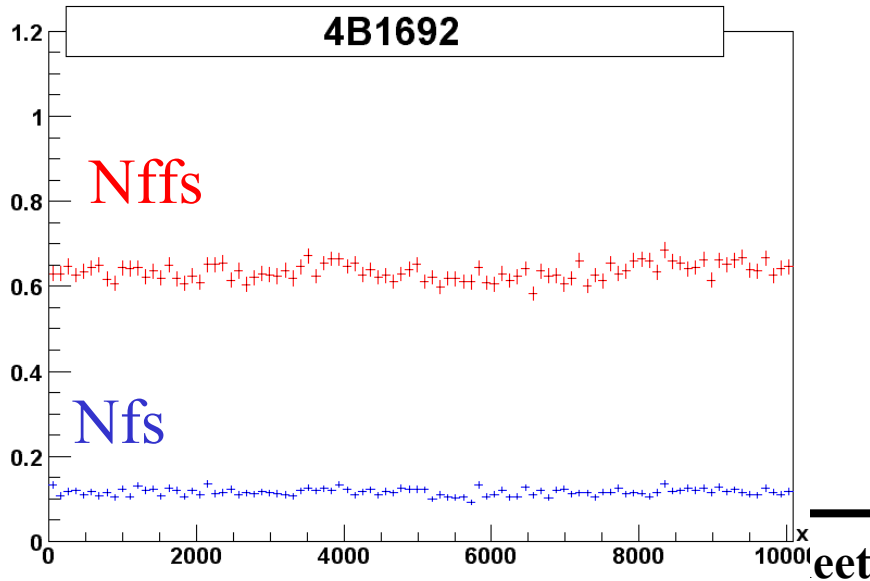
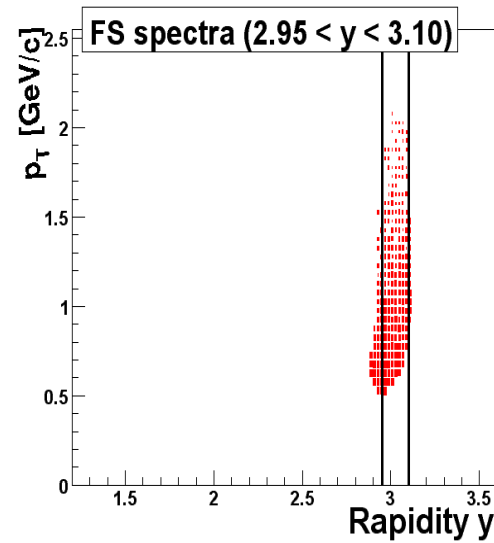


Y=3 discrepancy 1

4 deg
HIGH value



3 deg
LOW value

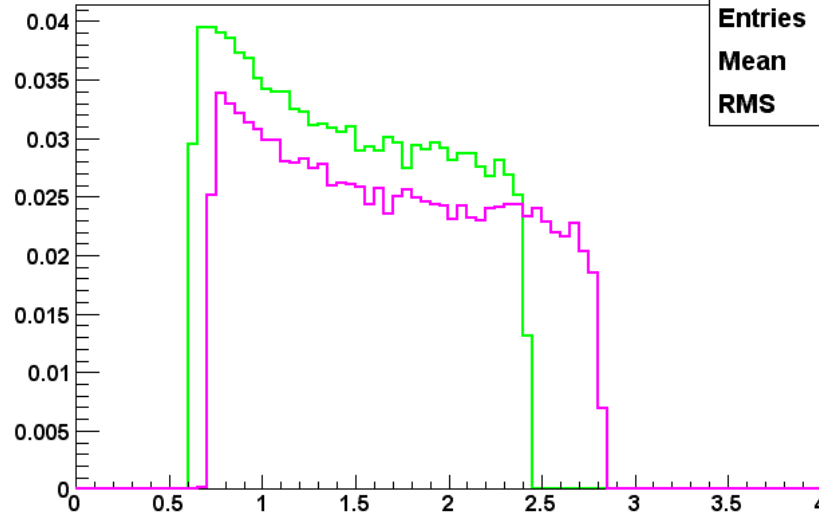


Y=3 discrepancy 2

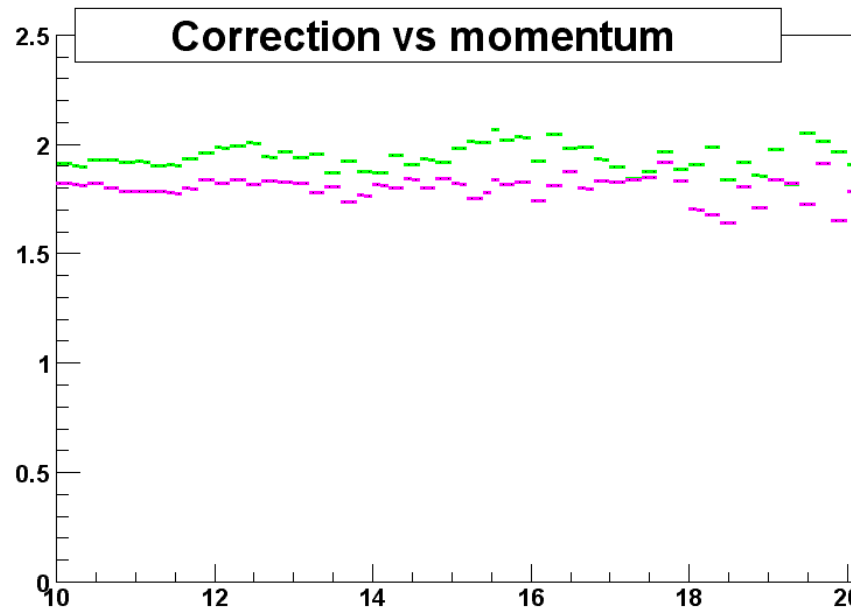
Acceptance Antiproton to Antiproton Vtx:[-5.000000;0.000000]

accHist1d	
Entries	38
Mean	1.456
RMS	0.528

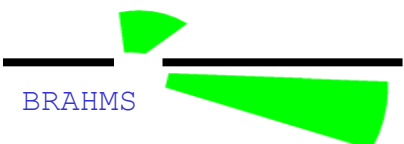
4 deg
HIGH value



3 deg
LOW value



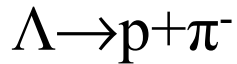
Stopping, BRA



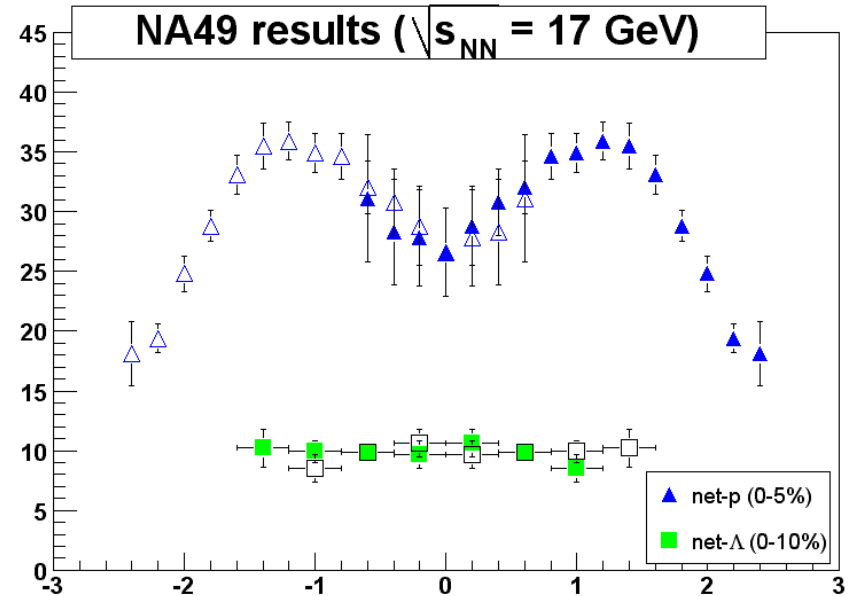
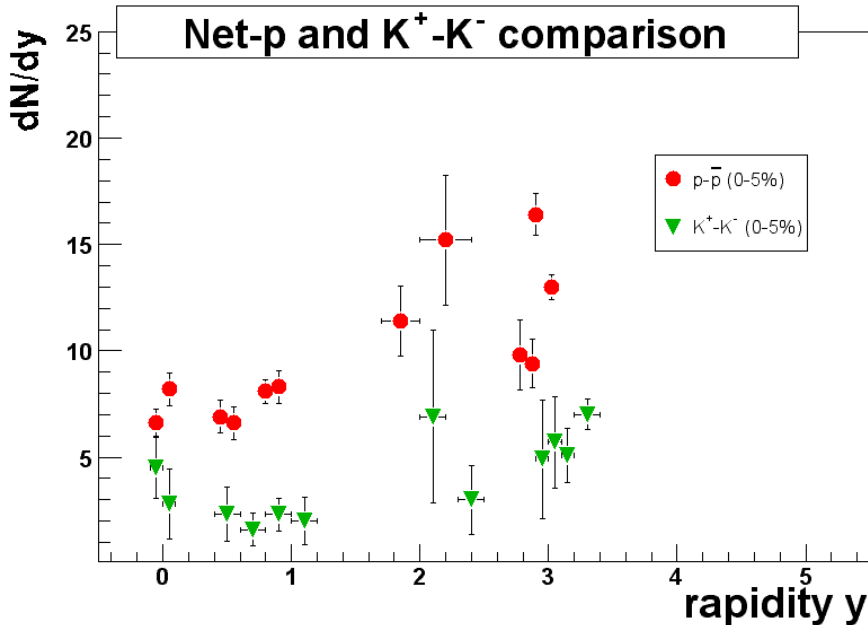
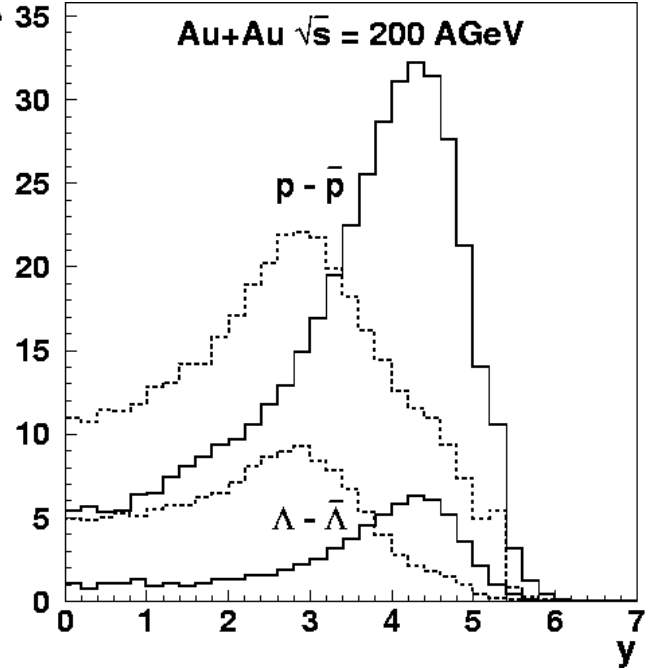
Net-protons vs Net

HIJING SIMULATION

The effect of lambdas.



Associated production

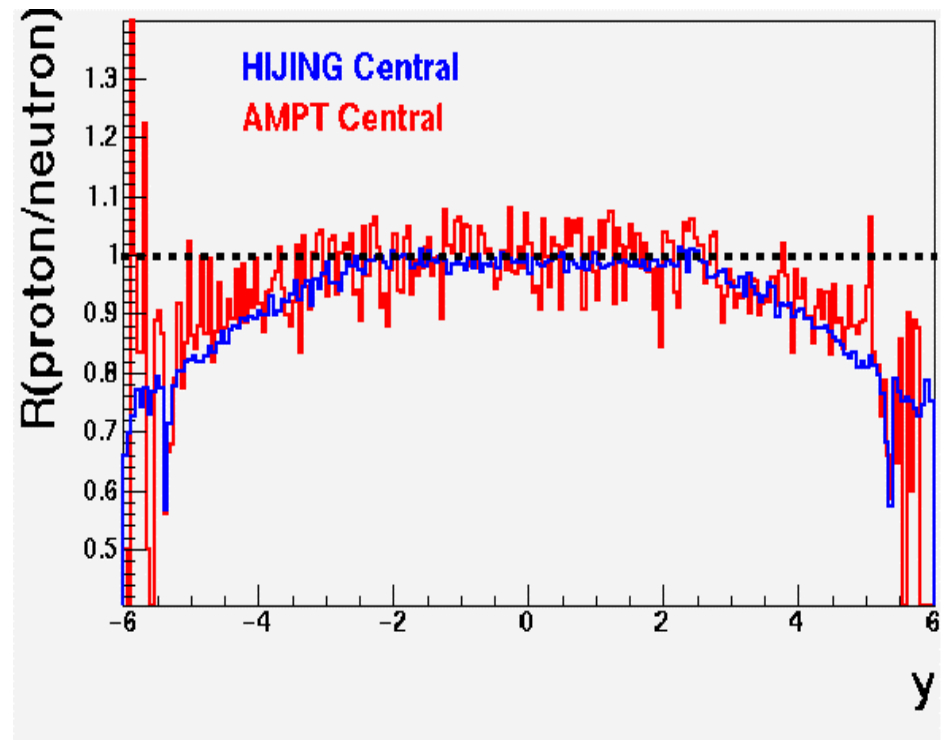
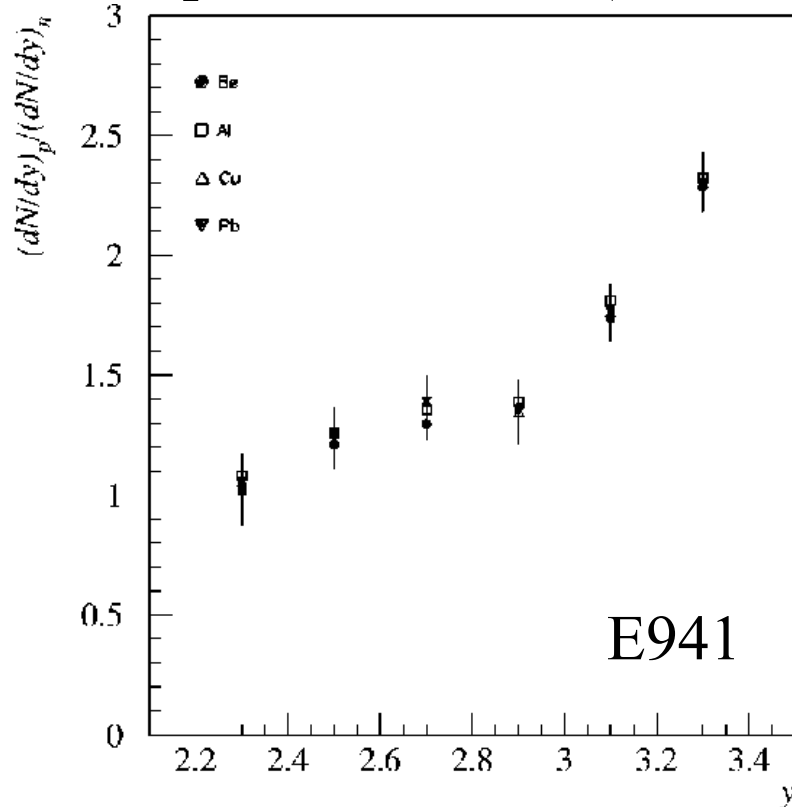


Net-protons vs Net-baryons 2

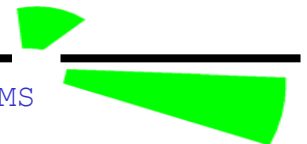
The effect of neutrons :

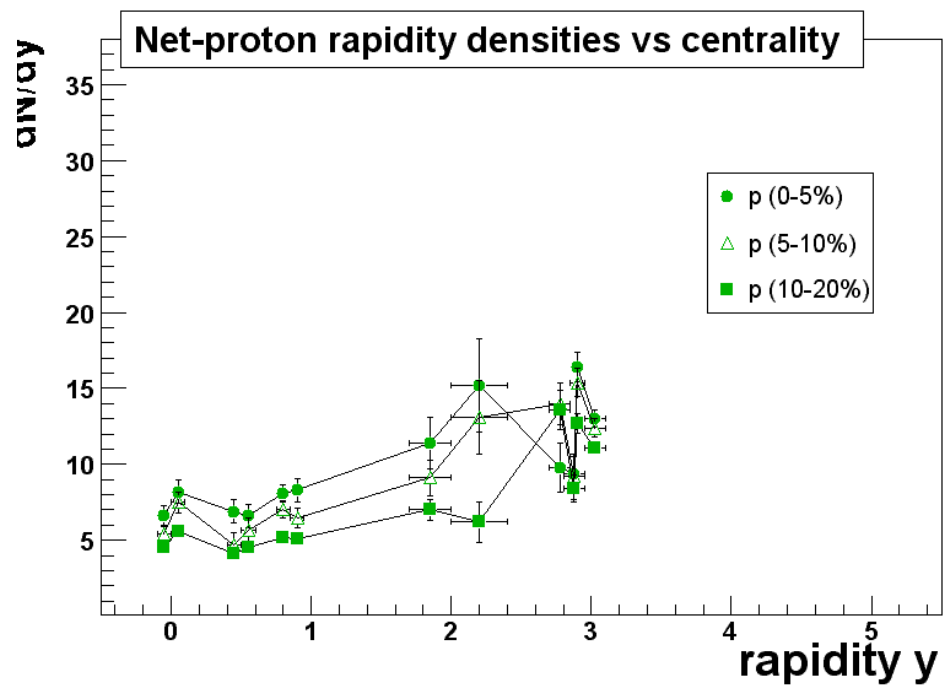
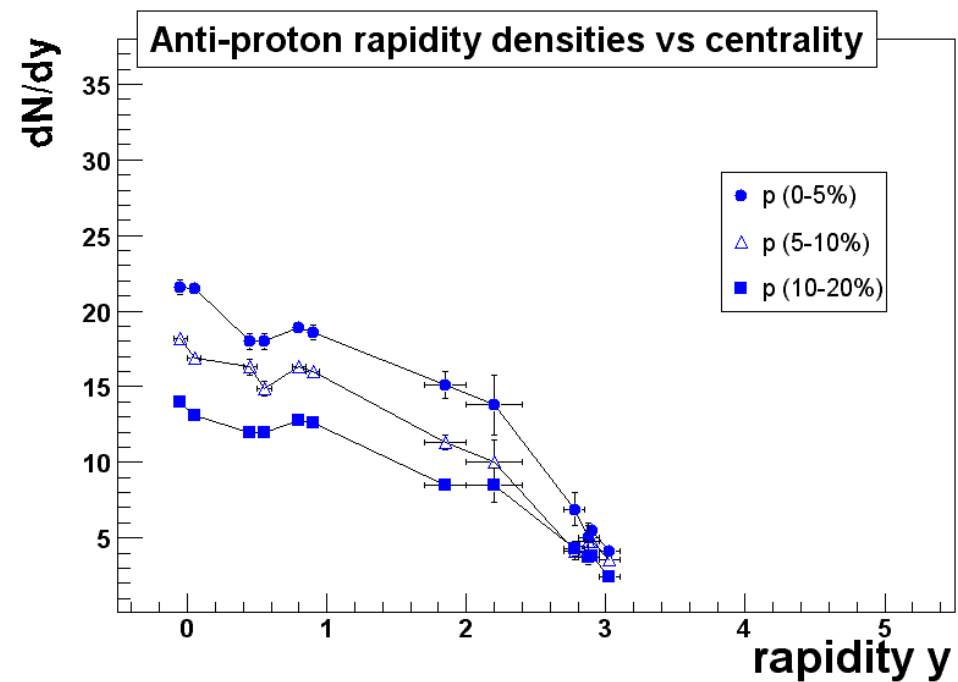
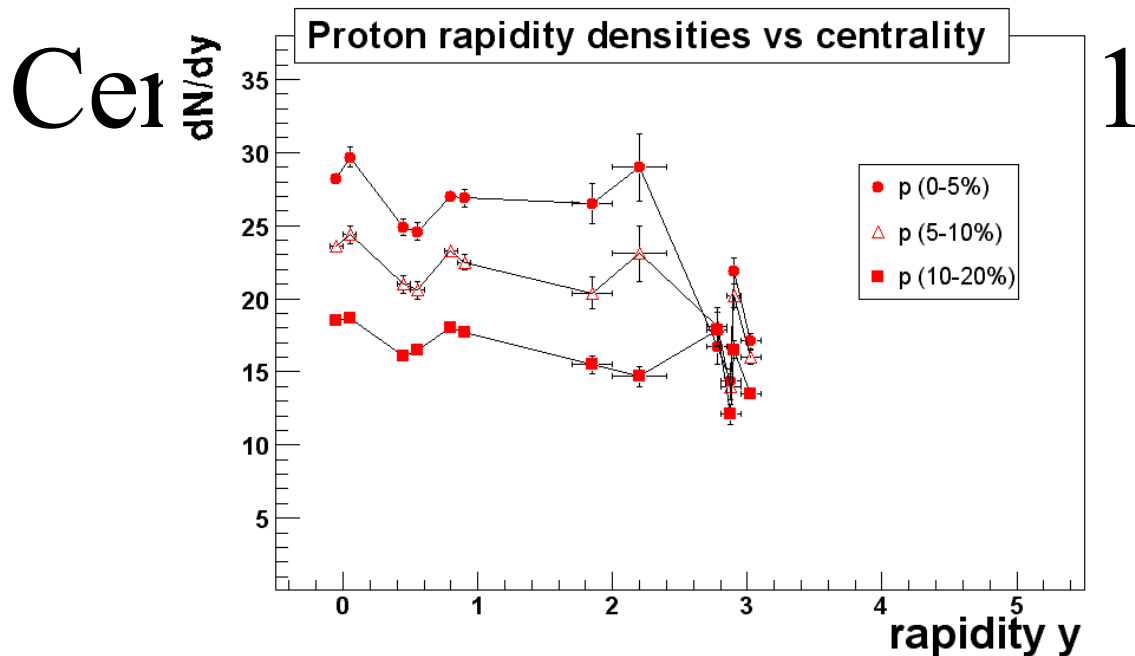
19GeVp+Be,Al,Cu,Pb (min. bias)

RHIC simulations



$y_{\text{beam}} = 3.7$





Centrality dependence 2

