

# Baryon-to-meson production in a wide range of baryo-chemical potential at RHIC

Paweł Staszek,  
Marian Smoluchowski Institute of Physics  
Jagiellonian University



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# Outline

1. Introduction

2. BRAHMS experimental setup

3. Data analysis on  $p/\pi$  ratios

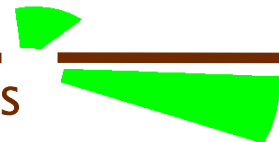
4. Results:

a) Au+Au and p+p at 200 GeV

b) Au+Au: 200 GeV versus 62 GeV

c) Au+Au and p+p at 62 GeV and forward rapidity

5. Summary



# Introduction

High baryon to meson ratio ( $\sim 1$ ) at intermediate  $p_T$  discovered at RHIC in Au+Au reactions was inconsistent with pQCD predictions.

(K. Adcox, et al., [PHENIX] PRL 88 (2002) 242301)

It was pointed out that baryon to meson ratio  $p_T$  dependence should be sensitive to:

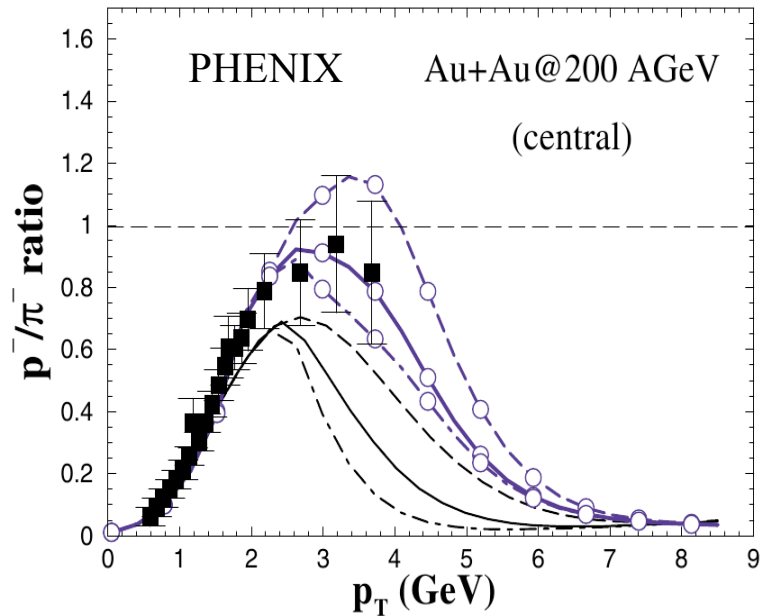
## **hadronization scenario**

baryon: 3 valence quarks,

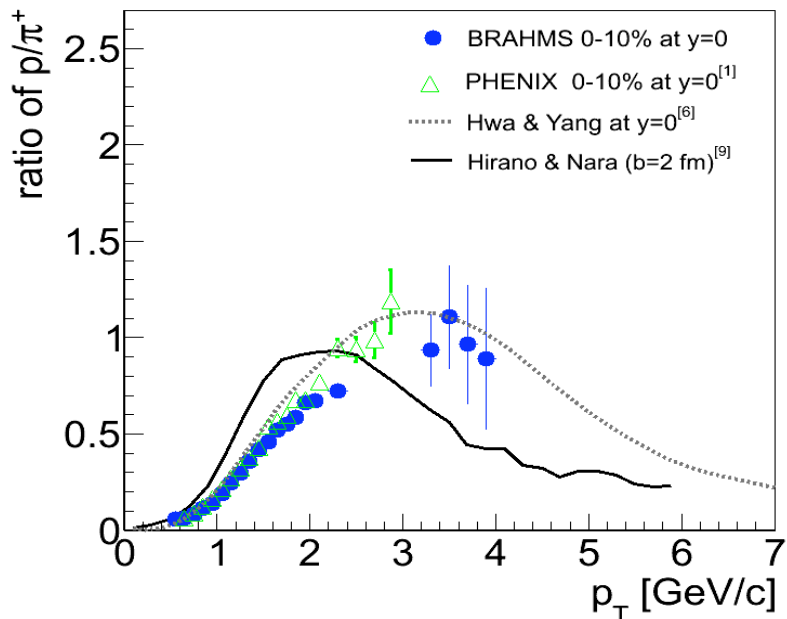
meson: quark – anti quark

**radial flow of bulk medium** proton mass  $\gg$  pion mass

# A bit of history



Quark coalescence can explain large mid-rapidity  $\bar{p}/\pi^-$  ratio at intermediate  $p_T$  range when allow mini-jet partons to coalesce with QGP (thermal) partons  
**(V. Greco, C.M. Ko, and P. Levai, PRL90 (2003) 022302)**



Reasonable description by quark coalescence model (Hwa and Yang)

Hydro model over predicts mid-rapidity  $p/\pi$  ratio at low  $p_T$  ( $<2$  GeV/c) and underpredicts at  $p_T > 2.5$ .  
**(E.J. Kim, et al., Nucl. Phys. A 774 (2006) 493)**

# Introduction cnt.

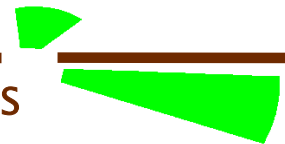
In this talk we will present results on centrality dependence of  $p/\pi^+$  and  $pbar/\pi^-$  ratios with special focus on their evolution with rapidity - and compare the data with:

**THERMINATOR** model that incorporates rapidity dependence of statistical particle production imposed on the hydro-dynamical flow.

W. Broniowski and W. Florkowski, PRL 87, 272302 (2001),  
B. Biedroń and W. Broniowski, PRC 75, 054905 (2007)

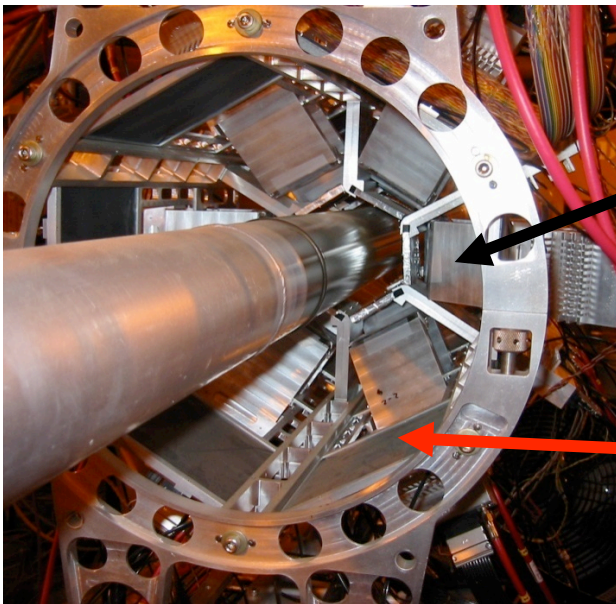
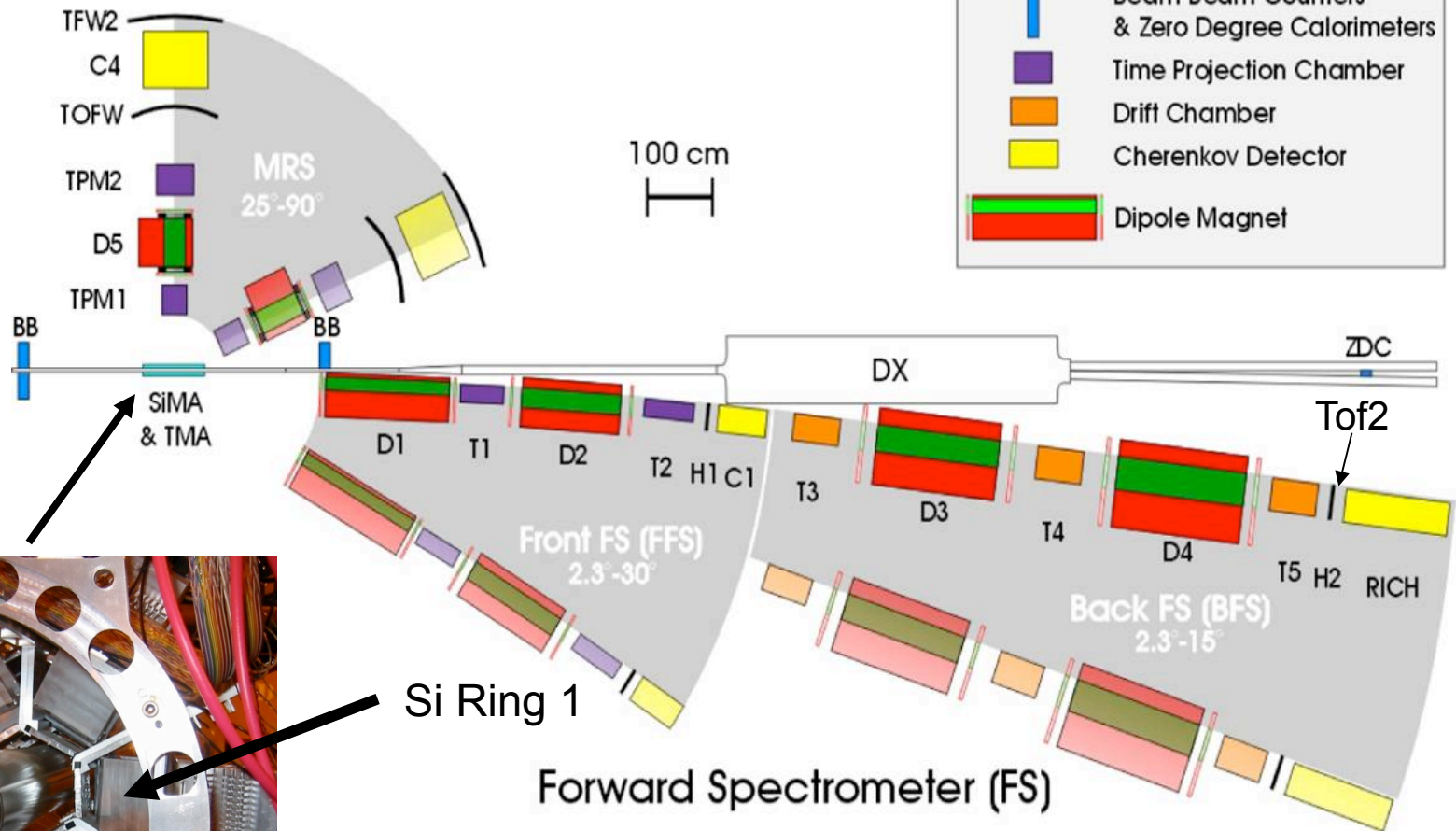
**AMPT** (**A** Multi-Phase **P**arton **T**ransport model) a rather complex model that includes mini-jet parton, parton dynamics, hadronization and final state hadron interactions.

Z. Lin, PRC 72 (2005) 064901



# Broad Range Hadron Magnetic Spectrometers

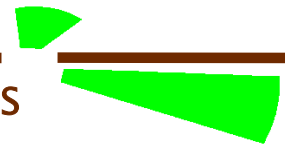
## Mid Rapidity Spectrometer



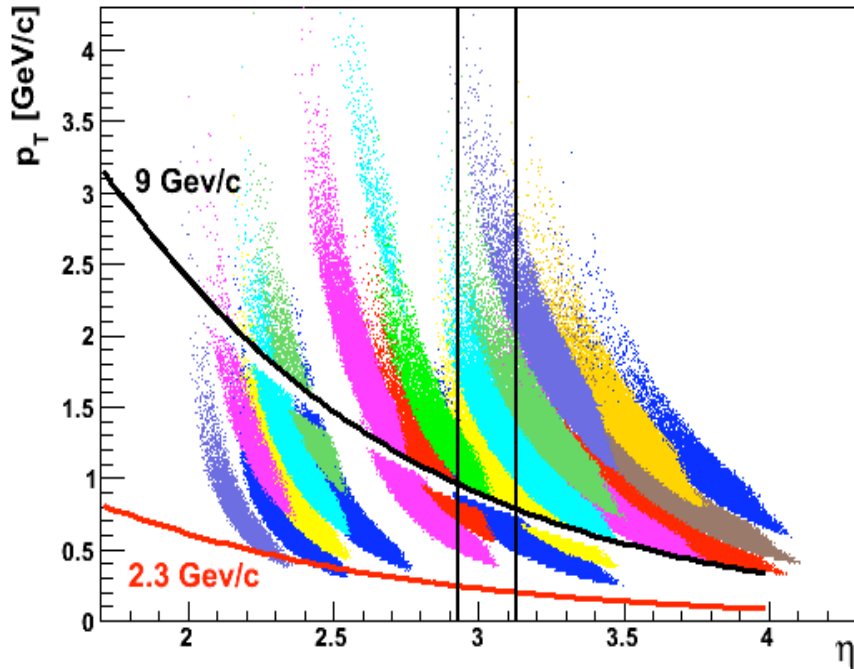
Si Ring 1

Tile Ring 1

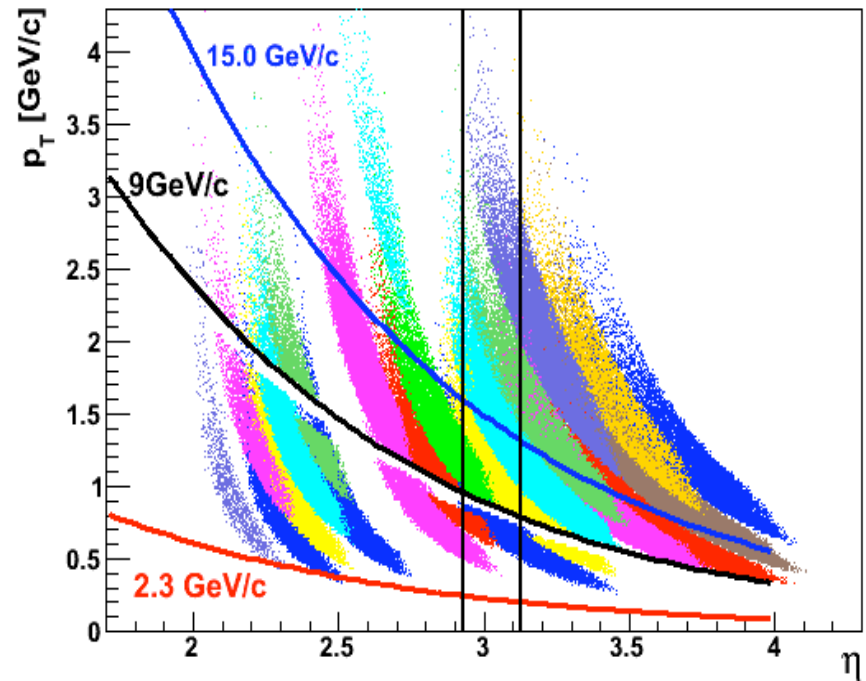
# Data Analysis



pions



protons



Same acceptance for pions and protons in the real time measurements.

For given  $\eta$ - $p_T$  bin  $p/\pi$  ratio is calculated on setting by setting basis using same pid technique:

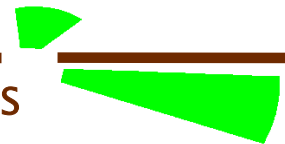
**Tof2: 2.3  $\rightarrow$   $\sim 8$  GeV/c, RICH: above 9 GeV/c, thus acceptance corrections, tracking efficiency and trigger normalization factors cancel out in the ratio.**

**Remaining corrections:**

- i) decay in flight, interaction in the beam pipe and detector material (GEANT calculation)
- ii) correction for PID: pion contamination in Tof2 and RICH (limited mass resolution)  
veto-proton contamination by pions and kaons (RICH efficiency  $\sim 97\%$ )



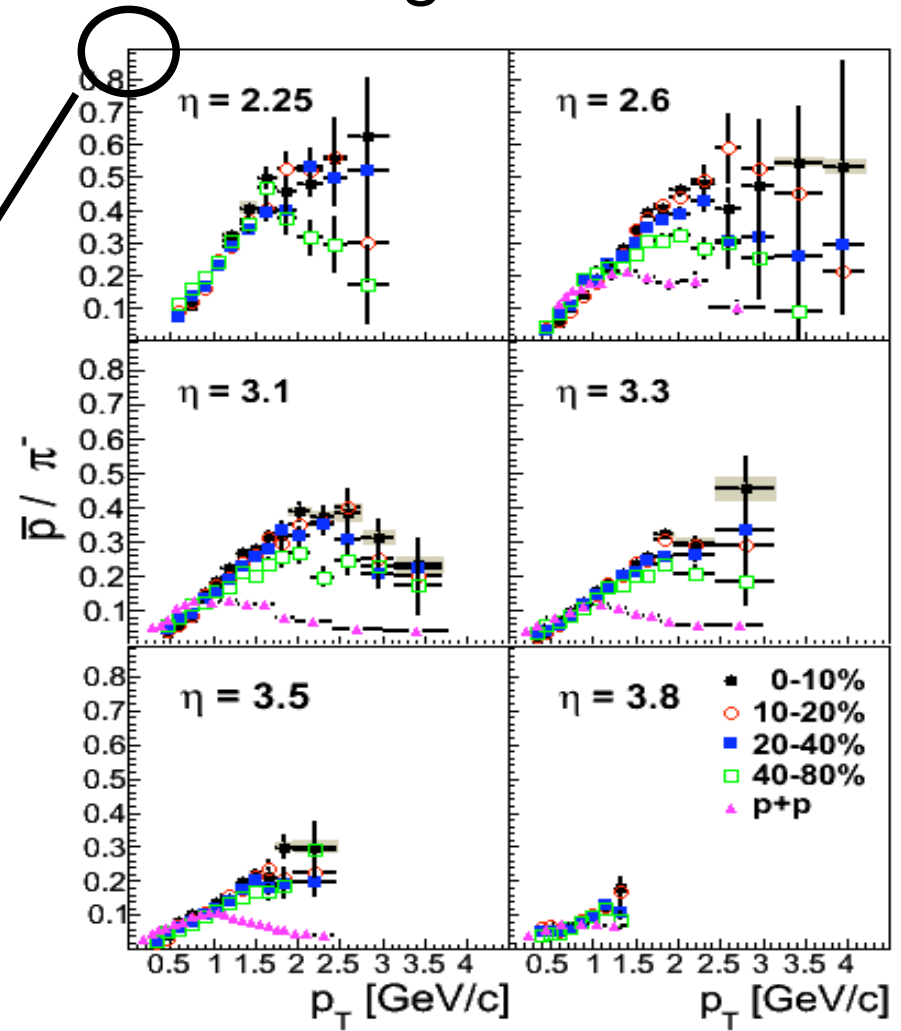
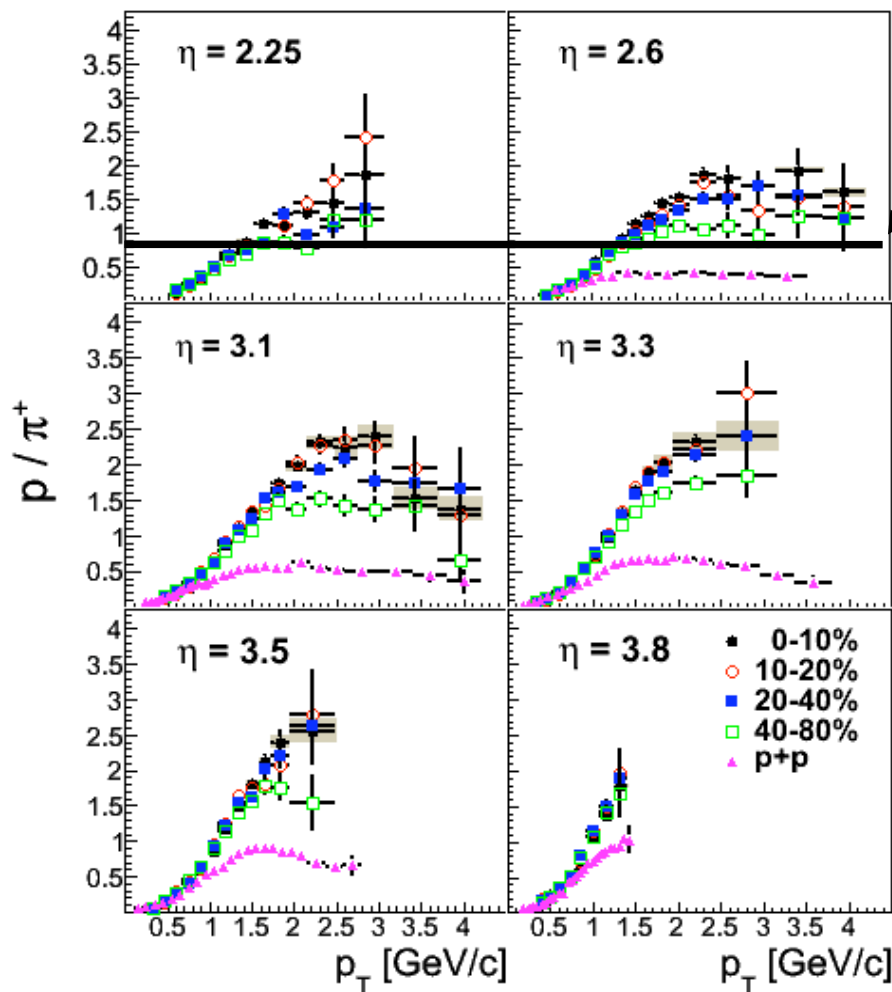
# Results



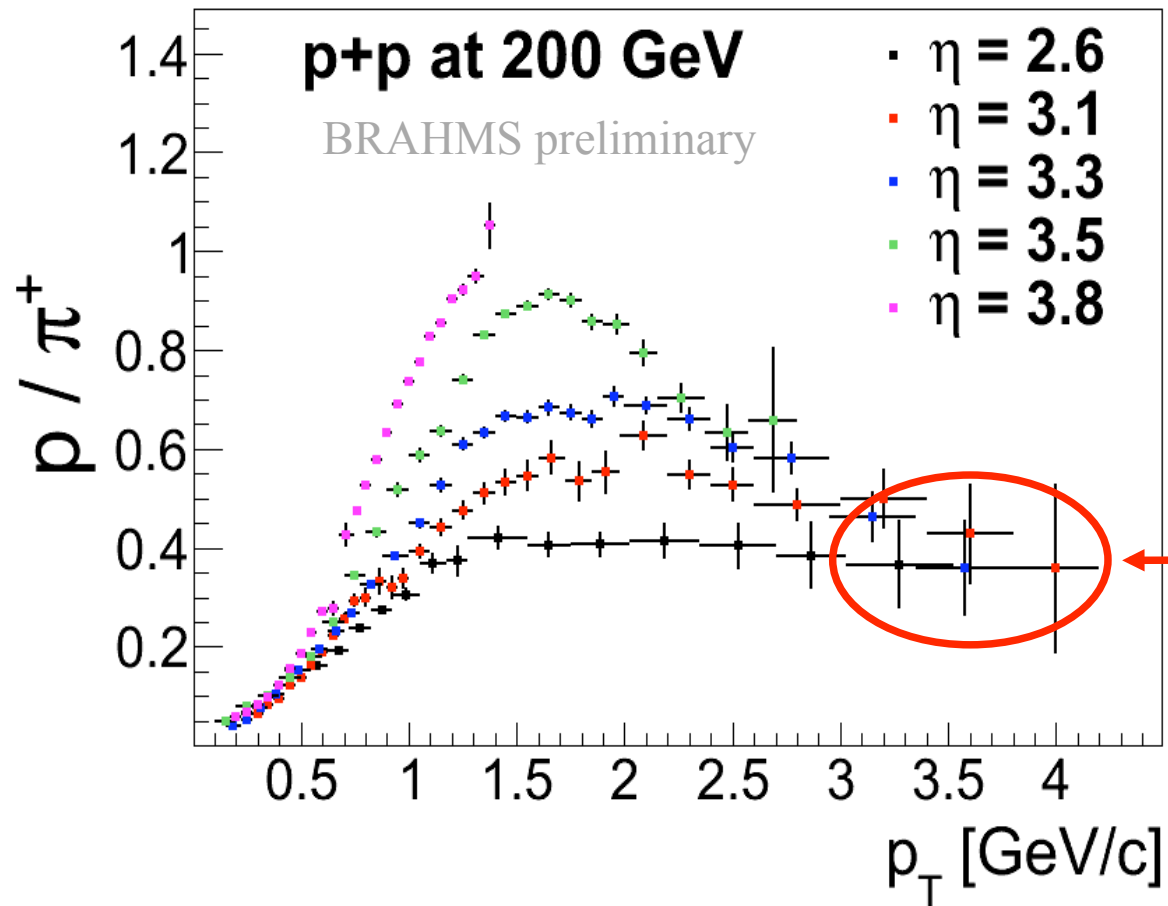
# Au+Au and p+p at 200 GeV, BRAHMS preliminary

positive

negative



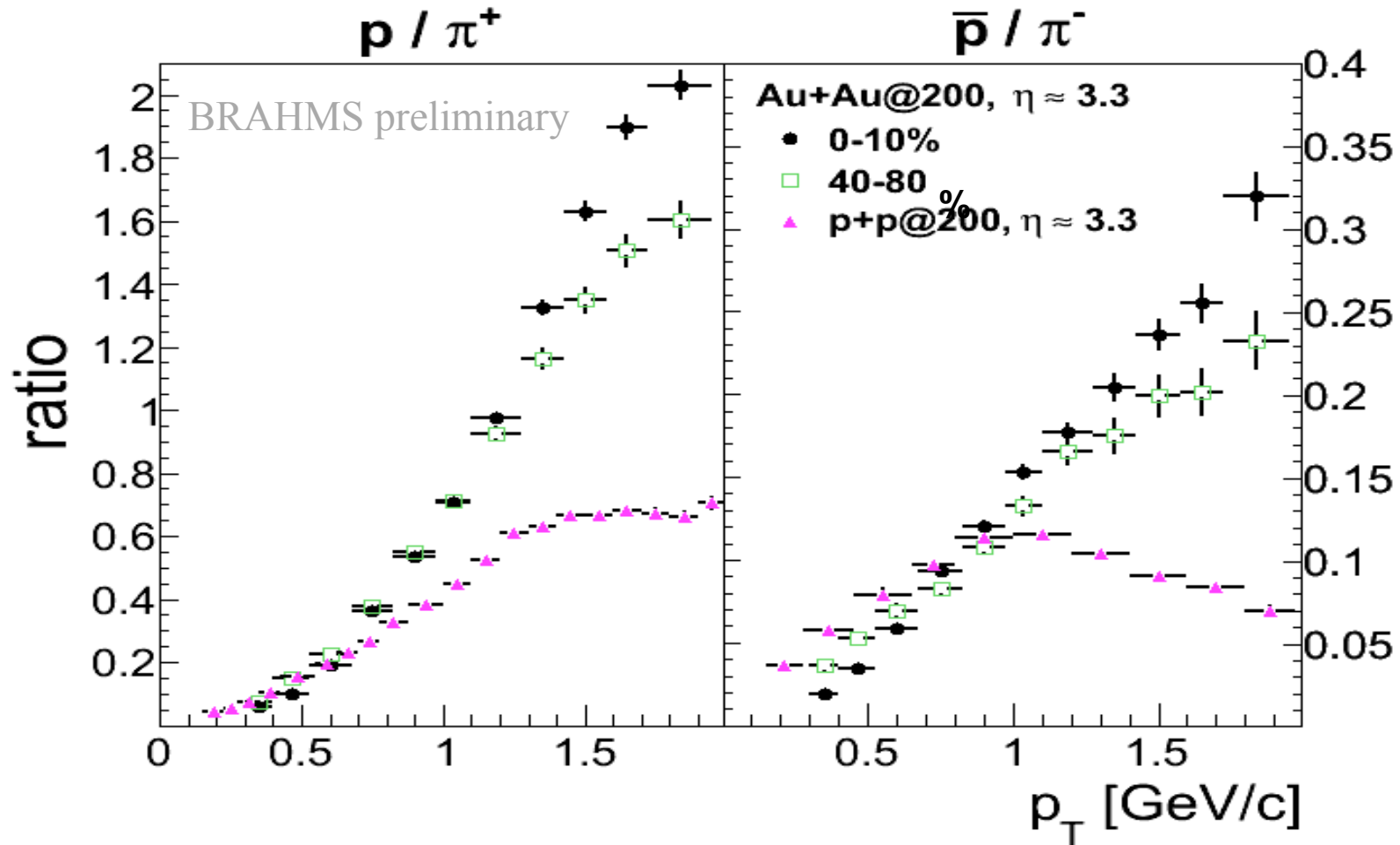
# Results: p+p at 200 GeV versus rapidity



Strong rapidity dependence  
at intermediate  $p_T$

At high  $p_T$  ratios seem to  
converge to common value  
of  $\sim 0.4 \rightarrow$  consistent with  
pQCD predictions

# Au+Au and p+p at 200 GeV at low $p_T$



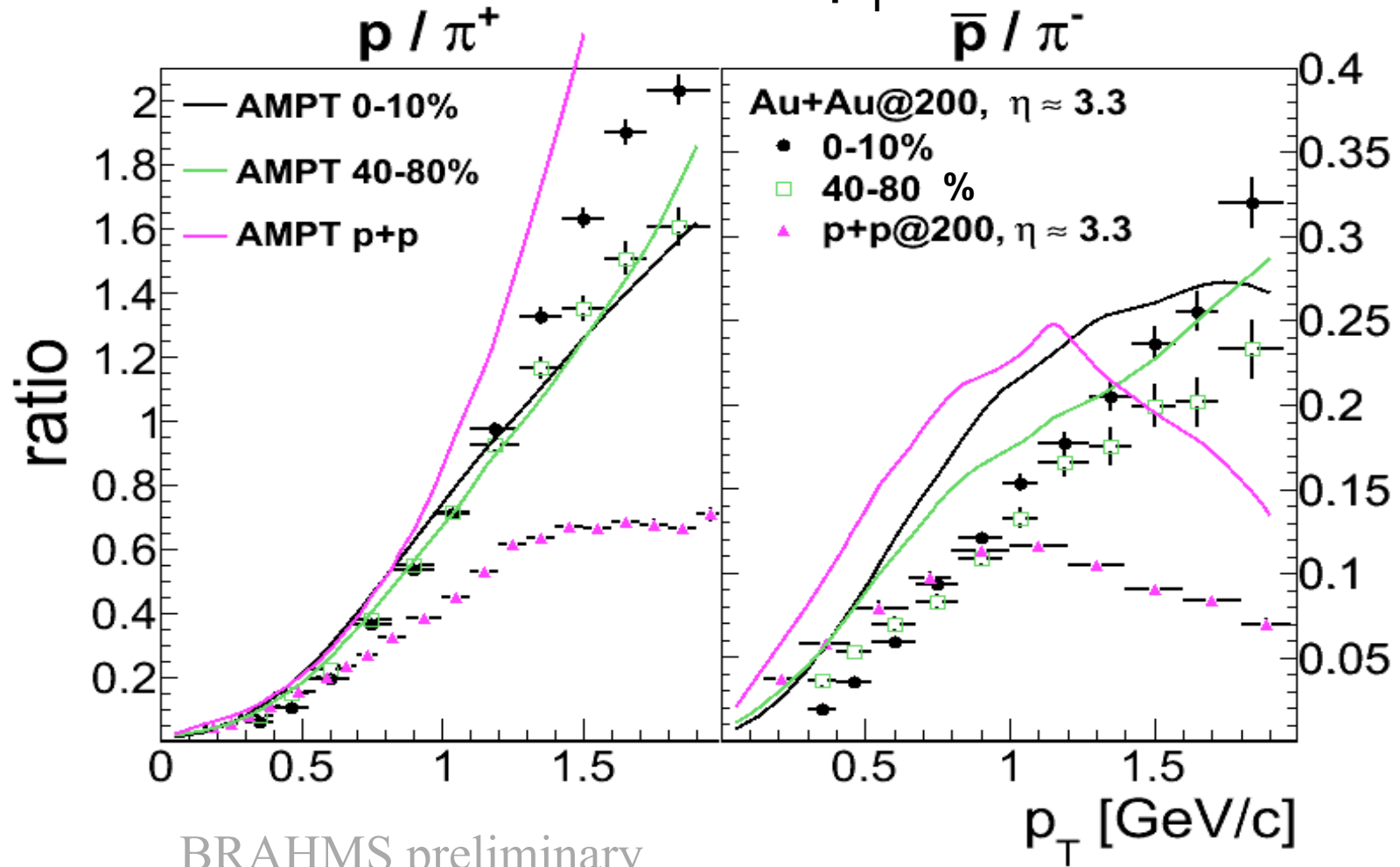
$\bar{p}/\pi^-$  ratio: at low  $p_T$  ( $<0.5\text{GeV}/c$ )

p+p > 40-80% > 0-10% , crossing point at  $\sim 0.9\text{ GeV}/c$ .

How sensitive are models in this  $p_T$  range

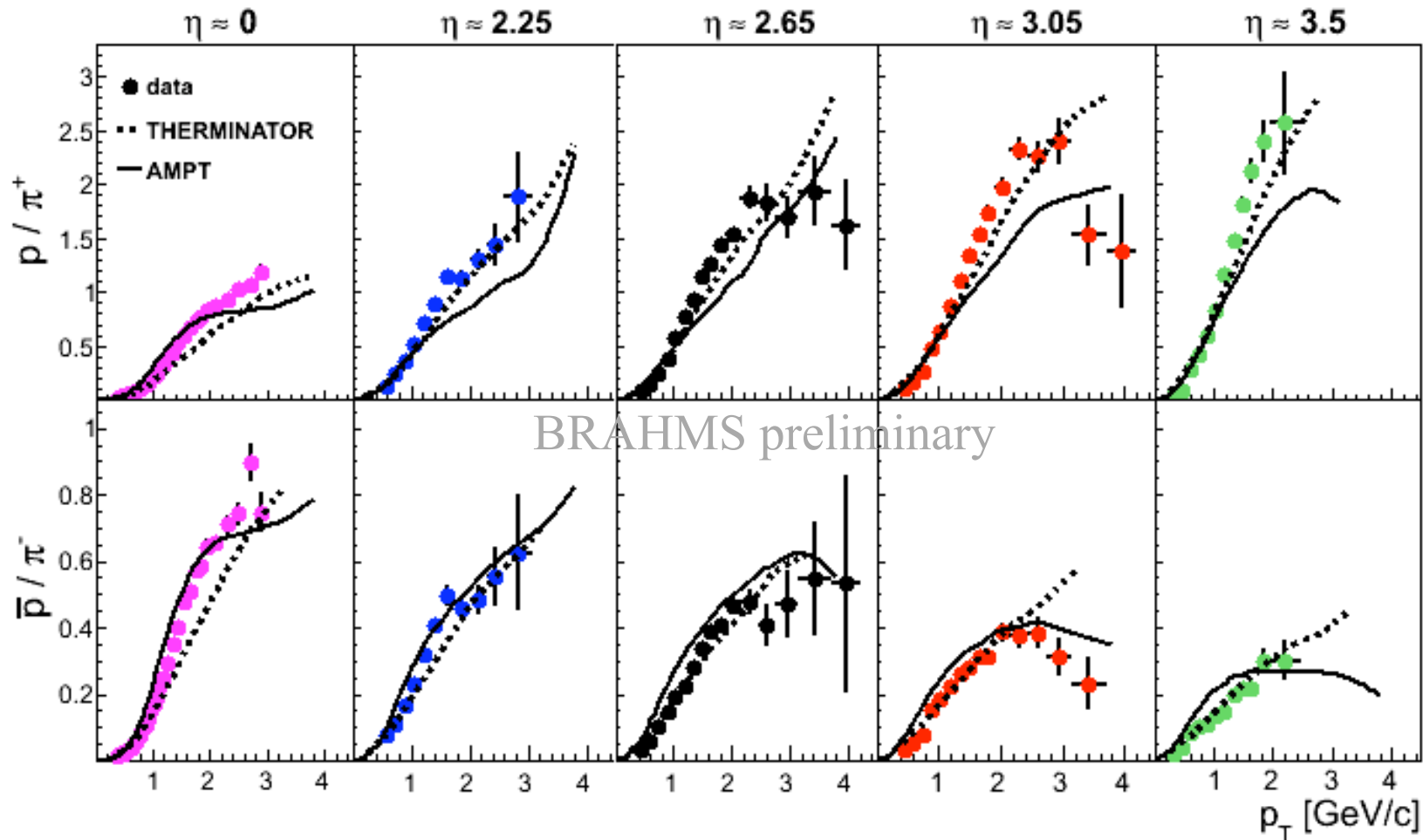
(hydro versus quark coalescence scenario ?)

# Au+Au and p+p at 200 GeV at low $p_T$



BRAHMS preliminary

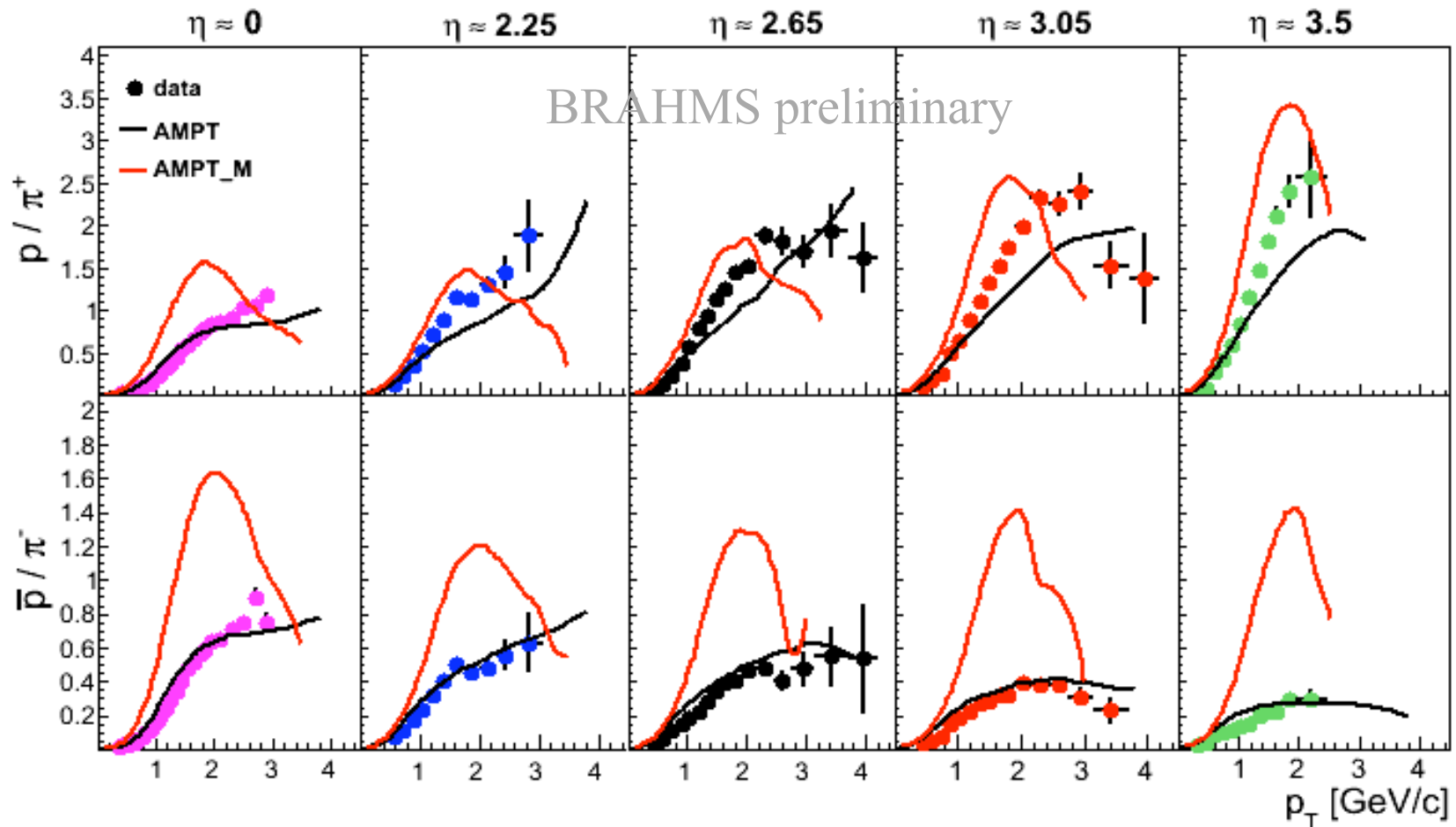
# Central Au+Au at 200GeV: $p/\pi^+$ rapidity evolution – comparison with models



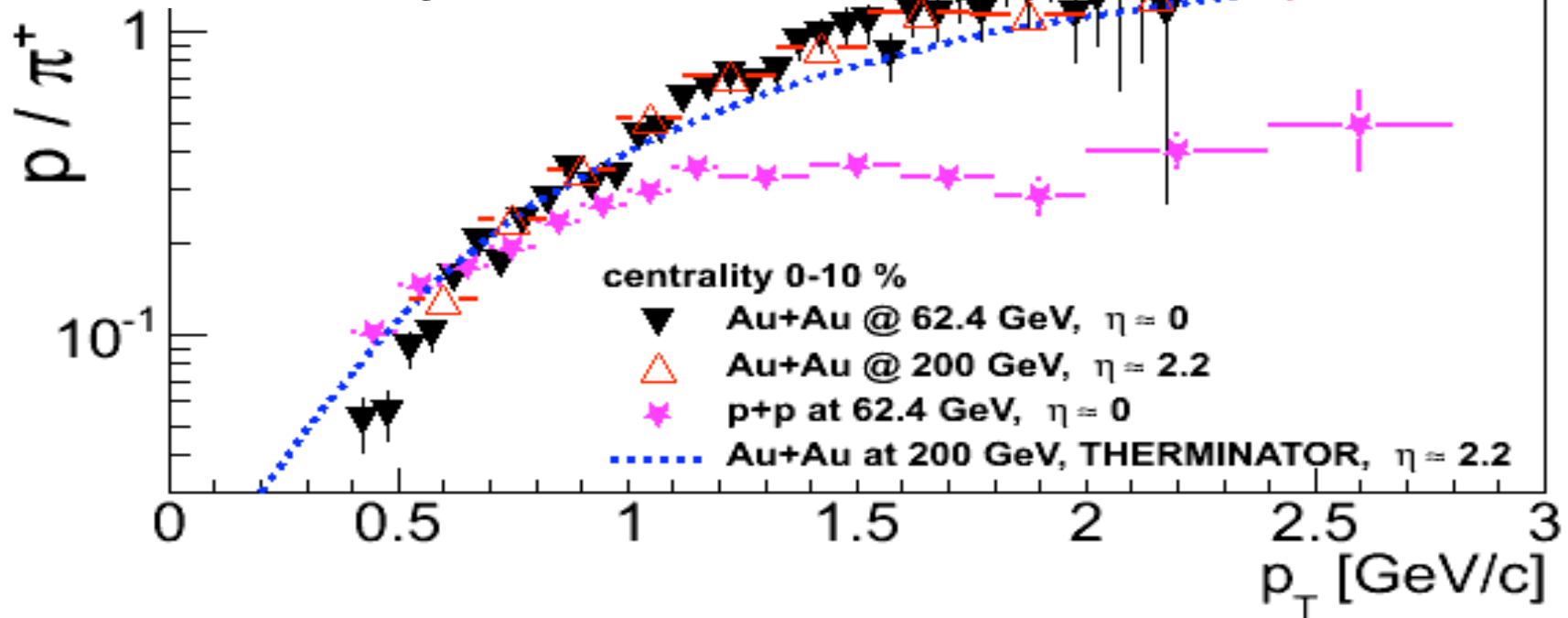
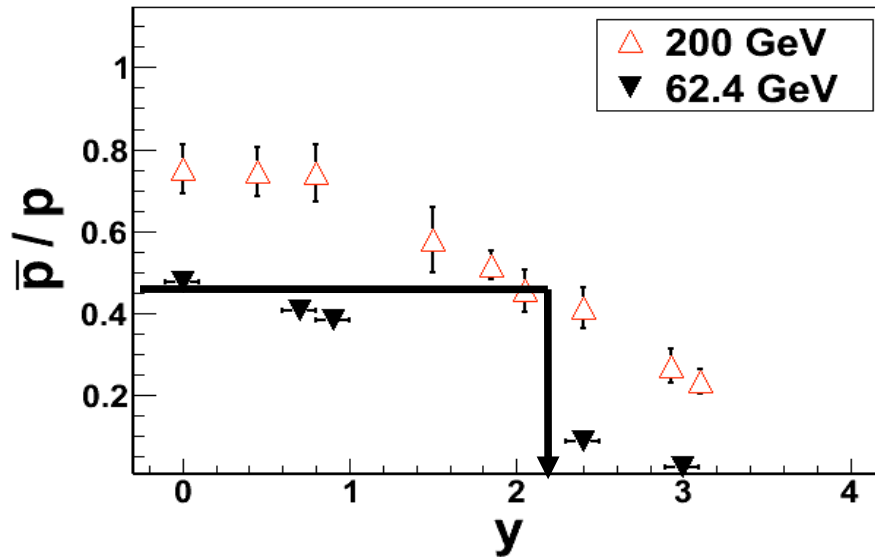
**THERMINATOR:** provides good description at forward rapidities (particularly for  $p/\pi^+$ ), but under predicts data at mid-rapidity.

**AMPT:** qualitatively describes trends in rapidity evolution but fails in quantitative description (in general AMPT under predicts  $p/\pi^+$  and over predicts  $\bar{p}/\pi^-$ )

# $p/\pi^+$ rapidity evolution – AMPT: string fragmentation versus string melting



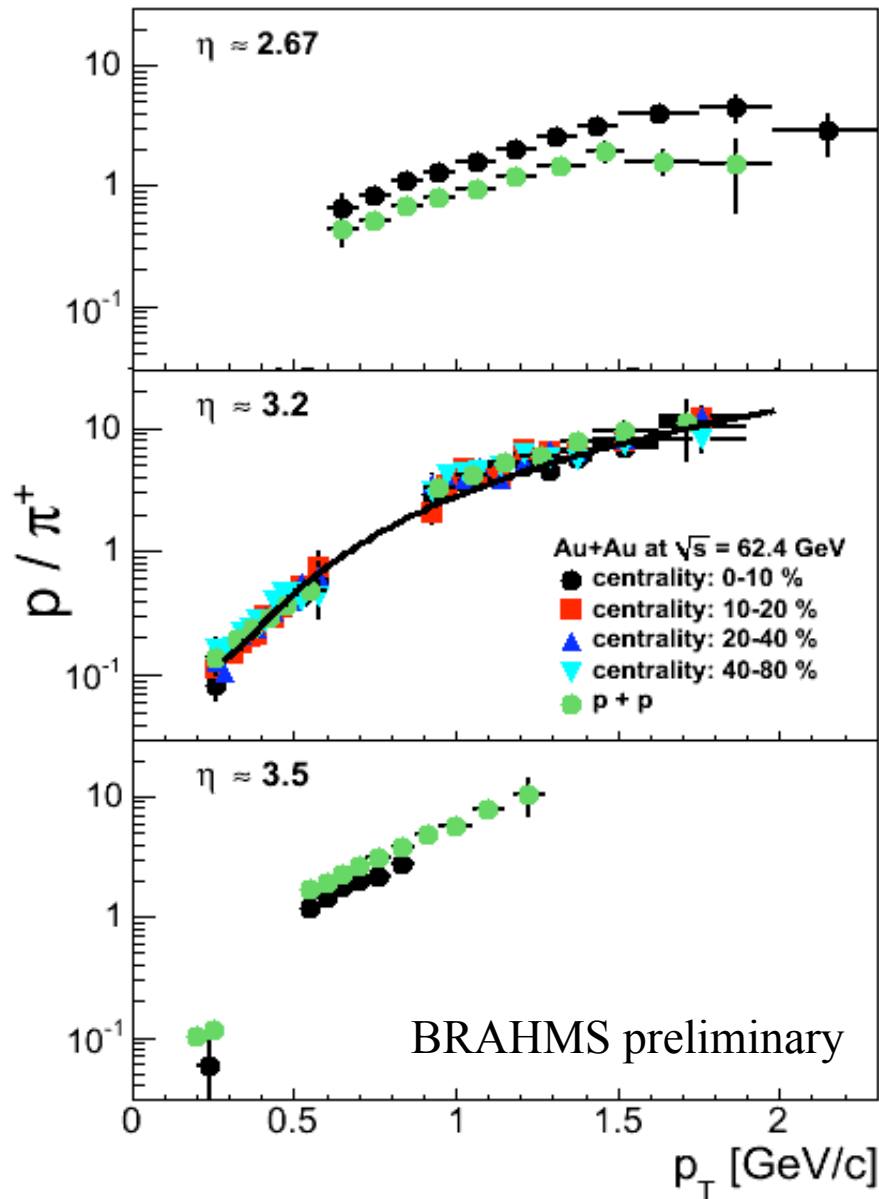
# Au+Au: 62 GeV, $\eta=0$ versus 200 GeV, $\eta=2.2$



Same  $p\bar{p}/p$  for bulk medium  $\Rightarrow$  same  $p/\pi^+$  up to 2 GeV/c



# Au+Au and p+p at 62 GeV at forward rapidity



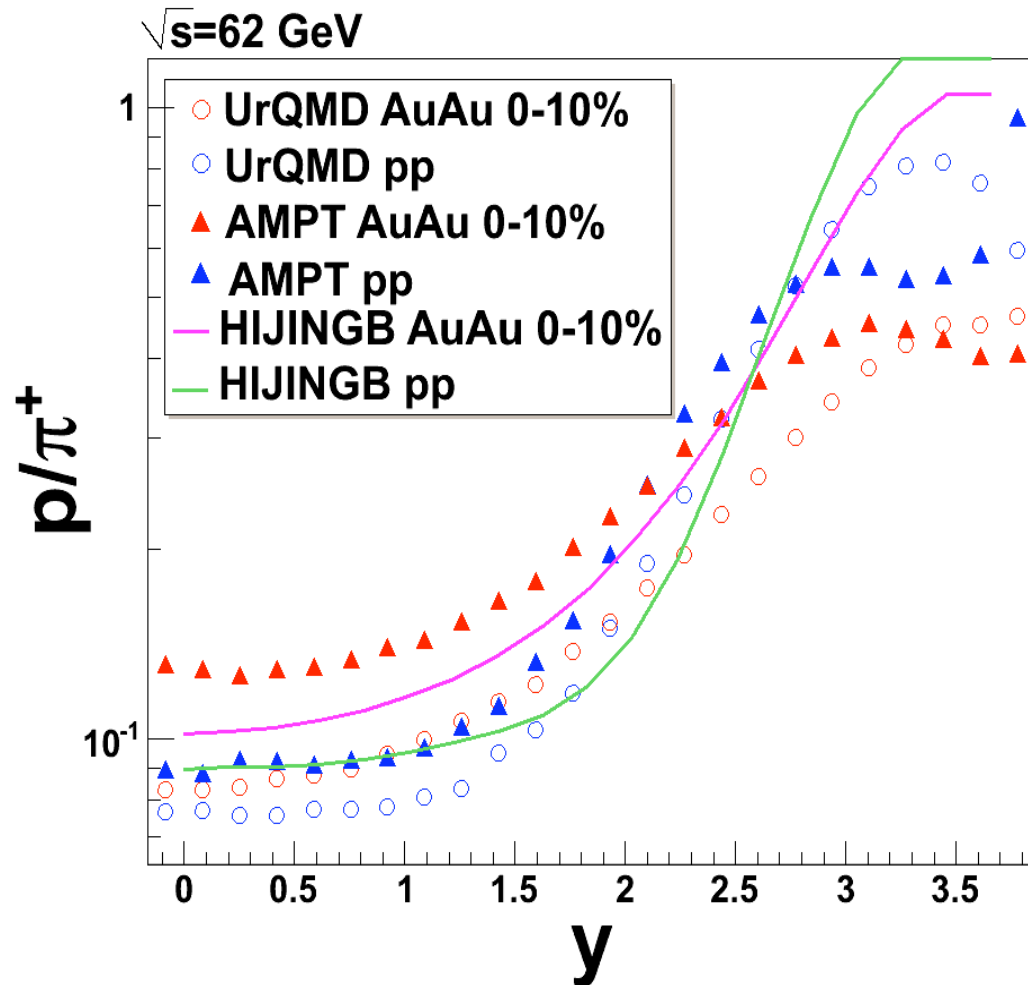
High value ( $\sim 10$ ) of proton-to-pion ratio is observed.

	Au+Au/p+p
at $\eta \sim 2.7$ Au+Au > p+p	1.6
at $\eta \sim 3.2$ Au+Au = p+p	1.0
at $\eta \sim 3.5$ Au+Au < p+p	0.7

The crossing point at which  $p/\pi^+$  ratios for Au+Au and p+p are consistent with each other is located at  $\eta \sim 3.2$

The crossing occurs simultaneously for all Au+Au centralities and p+p in the covered  $p_T$  range (0.3 – 1.8 GeV/c)

# Au+Au and p+p at 62 GeV – model predictions



Models predict  $p/\pi^+$  crossing but in the interval  $2.0 < y < 2.5$

They can not predict simultaneous crossing in the whole (covered)  $p_T$  range

→ strong experimental constrain on the theoretical description of baryon number transport and associated energy dissipation

# Summary

**We presented results on  $p/\pi$  ( $p_T$ ) ratio versus rapidity and collision centrality for Au+Au at 200 and 62.4 GeV and for p+p at 200 GeV**

- 1) weak dependency on collision centrality for Au+Au at 200 GeV at low  $p_T$  up to  $\sim 1.5$  GeV/c. Below  $p_T \sim 0.9$  GeV/c the  $p/\pi$  ratios for p+p are larger than these measured in Au+Au.
- 2) the dependency on centrality (as documented by  $N_{part}$  scaling) reveals above  $p_T > 1.5$  GeV/c
- 3) For central Au+Au at 200 GeV  $p/\pi^+$  shows increasing trend with increasing rapidity from 1.0 ( $\eta \sim 0$ ,  $p_T = 3$  GeV/c) to about 2.5 ( $\eta \sim 3$ ,  $p_T = 3$  GeV/c). In opposite,  $p/\pi^-$  decreases with increasing rapidity (from  $\sim 1$  at  $\eta \sim 0$  to 0.4 at  $\eta \sim 3$ ).
- 4) The  $p/\pi$  ratios are remarkably similar for  $\sqrt{s_{NN}} = 200$  GeV at  $\eta = 2.2$ , and for  $\sqrt{s_{NN}} = 62.4$  GeV at  $\eta = 0$ , where the bulk medium is characterized by the same value  $p/\pi$
- 5) At  $\sqrt{s_{NN}} = 62.4$  GeV the  $p/\pi^+$  ratios for p+p and for all analyzed Au+Au centralities cross simultaneously at the same  $\eta \sim 3.2$ .

## **Data comparison with models:**

The THERMINATOR model provides reasonable quantitative description of the data except for  $p_T > 3$  GeV/c and mid-rapidity where it under predicts the ratios  $\rightarrow$  transition from parton coalescence scheme at low  $\mu_B$  to a hydrodynamical description at large  $\mu_B$  due to final state hadron interaction.

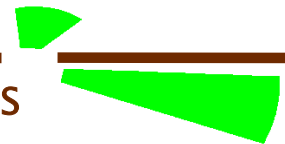
The AMPT(default) model provides qualitative description of the trends in rapidity evolution but can not describe dependency on centrality including p+p results.

# The BRAHMS Collaboration

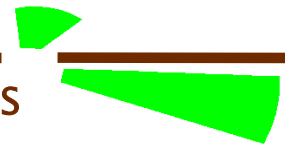
I.Arsene , I.G. Bearden , D. Beavis , S. Bekele , C. Besliu , B. Budick ,  
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J. J. Gaardhøje , K. Hagel , H. Ito , A. Jipa , J. I. Jordre , F. Jundt , E.B. Johnson ,  
C.E.Jørgensen , R. Karabowicz , N. Katryńska , E. J. Kim , T.M.Larsen , J. H. Lee ,  
Y. K. Lee , S.Lindal , G. Løvhøjden , Z. Majka , M. Murray , J. Natowitz , B.S.Nielsen ,  
D. Ouerdane , D. Pal , R. Planeta , F. Rami , C. Ristea , O. Ristea , D. Röhrich ,  
B. H. Samset , D. Sandberg , S. J. Sanders , R.A.Sheetz , P. Staszal ,  
T.S. Tveter , F.Videbæk , R. Wada , H. Yang , Z. Yin , I. S. Zgura , and V. Zhukova

Brookhaven National Laboratory, USA, IReS and Université Louis Pasteur, Strasbourg, France  
Jagiellonian University, Kraków, Poland,  
Johns Hopkins University, Baltimore, USA, New York University, USA  
Niels Bohr Institute, University of Copenhagen, Denmark  
Texas A&M University, College Station, USA, University of Bergen, Norway  
University of Bucharest, Romania, University of Kansas, Lawrence, USA  
University of Oslo Norway

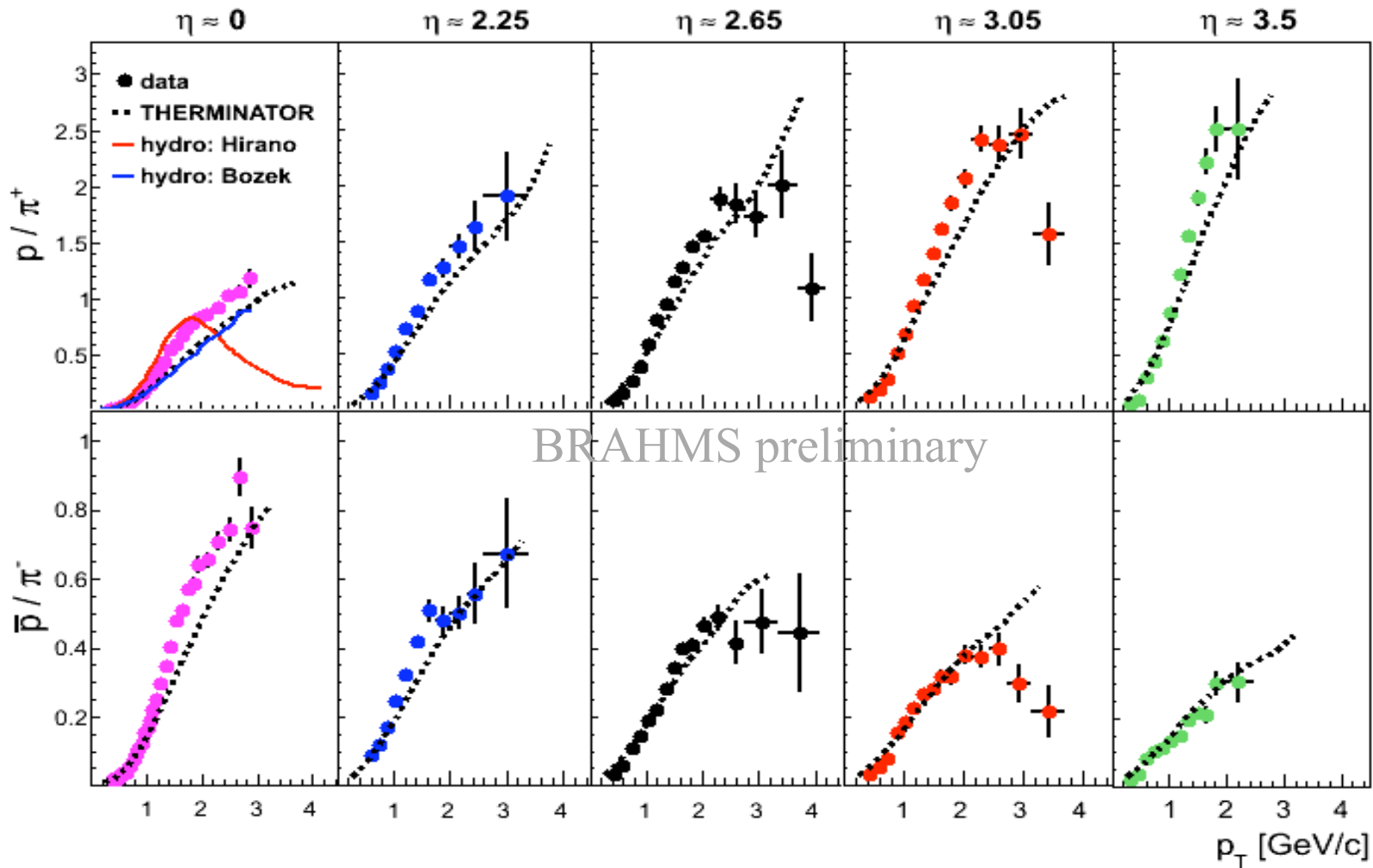
**~50 physicists from 11 institutions**



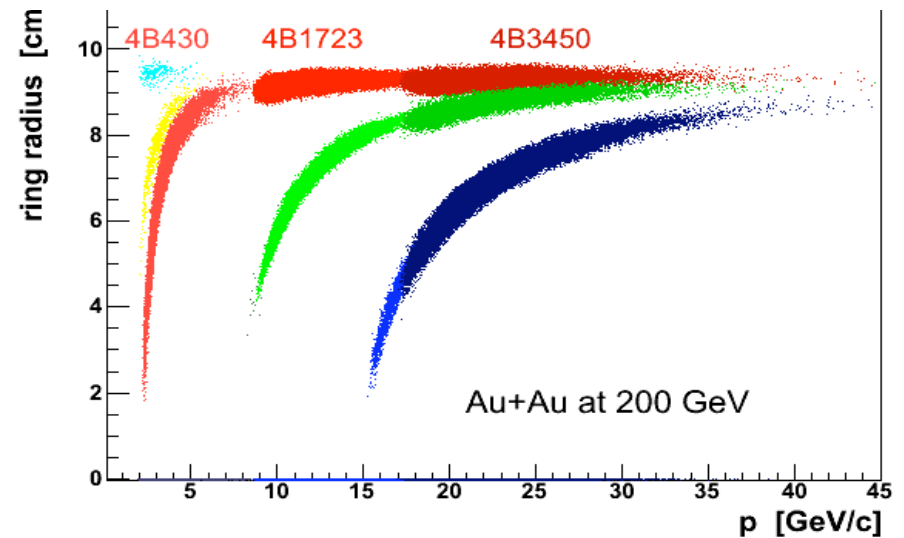
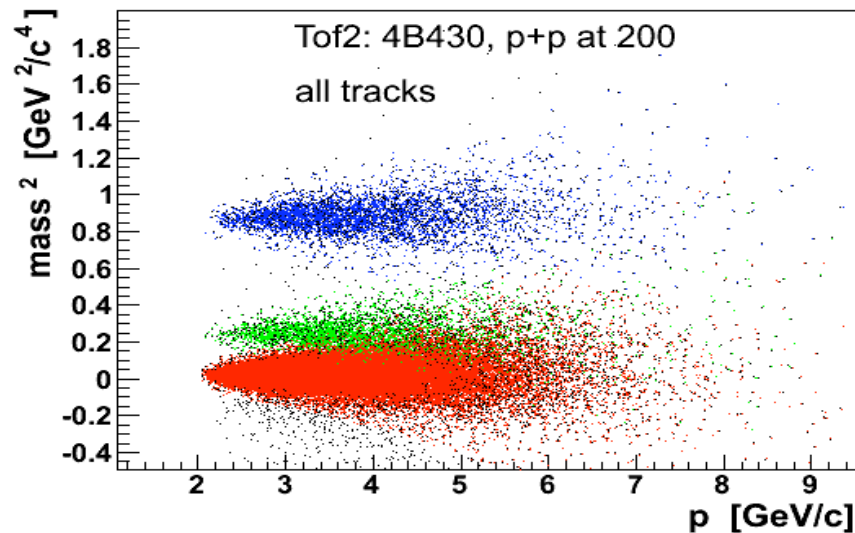
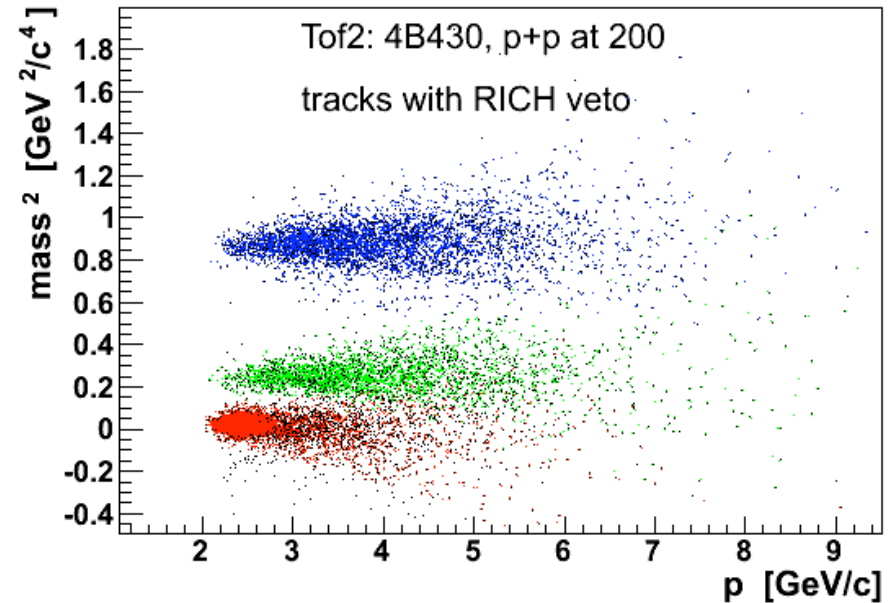
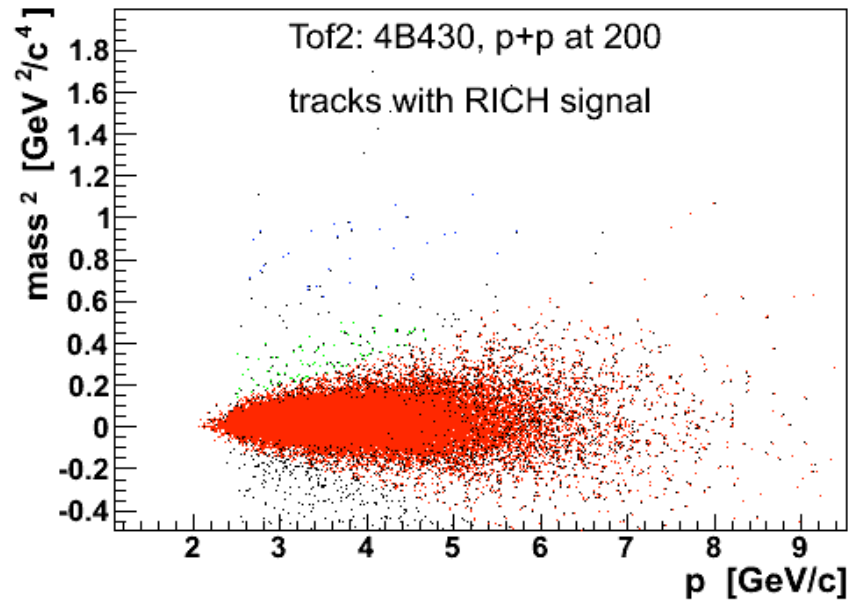
# BACKUP SLIDES



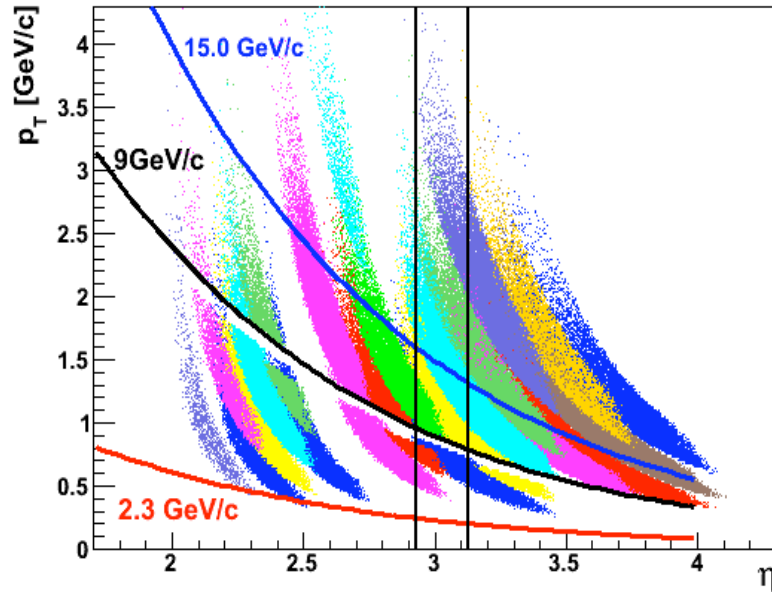
# $p/\pi^+$ at mid-rapidity, Hirano versus Bożek



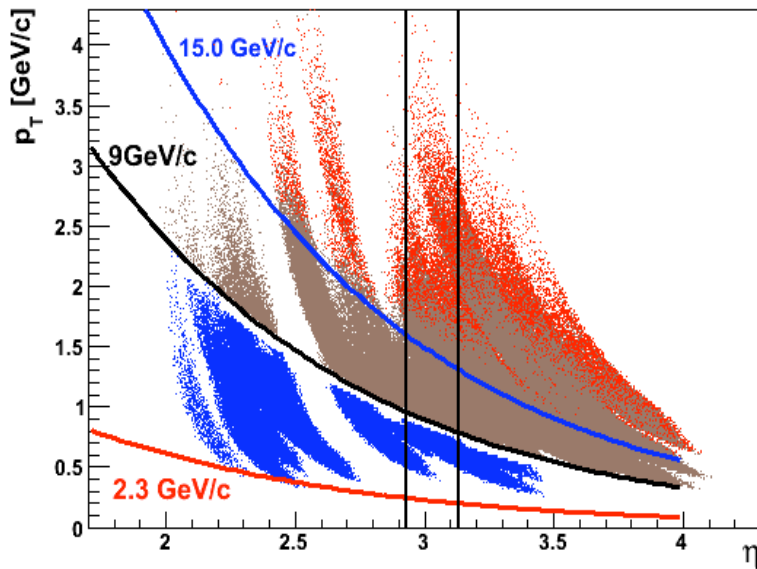
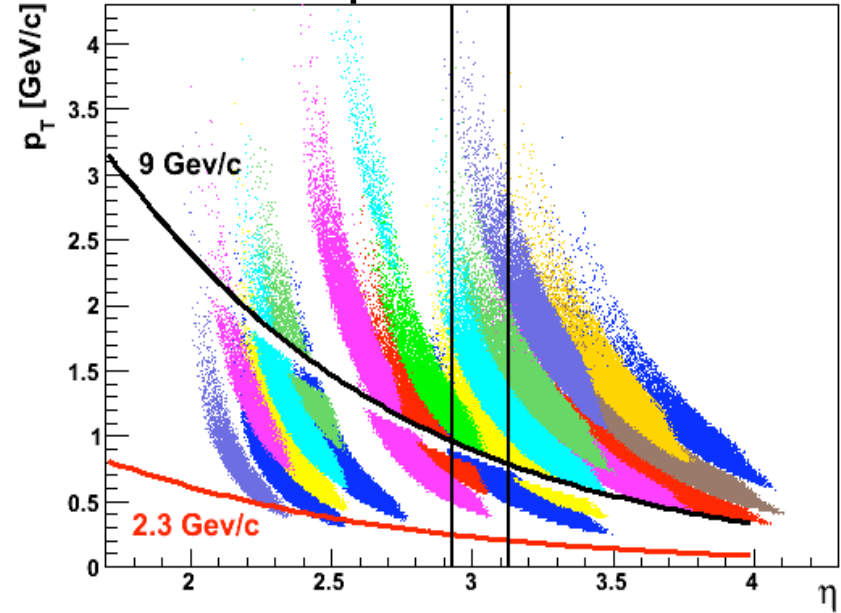
# Data Analysis: Tof2 and RICH Pid



protons



pions



Same acceptance for pions and protons in the real time measurements. For given  $\eta$ - $p_T$  bin  $p/\pi$  ratio is calculated on setting by setting basis using same pid technique:

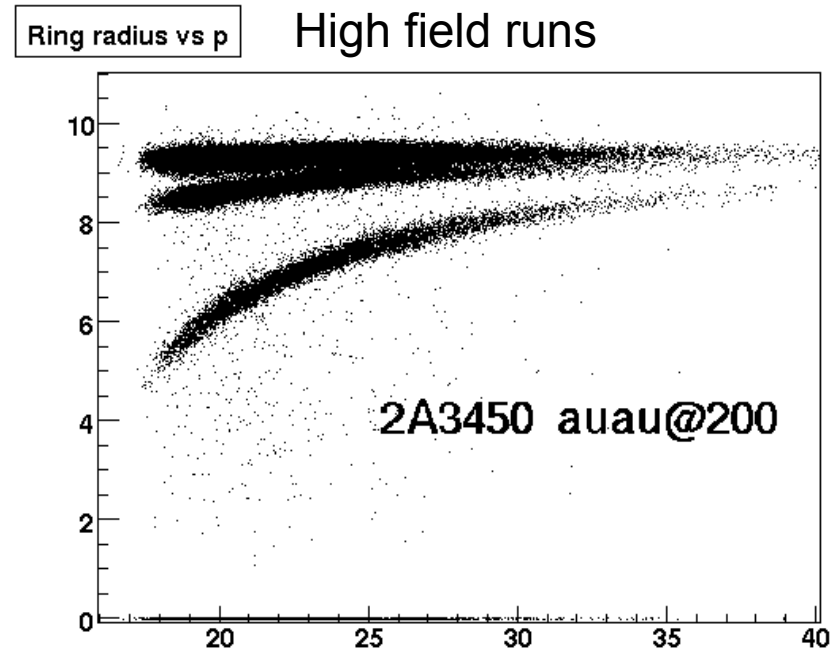
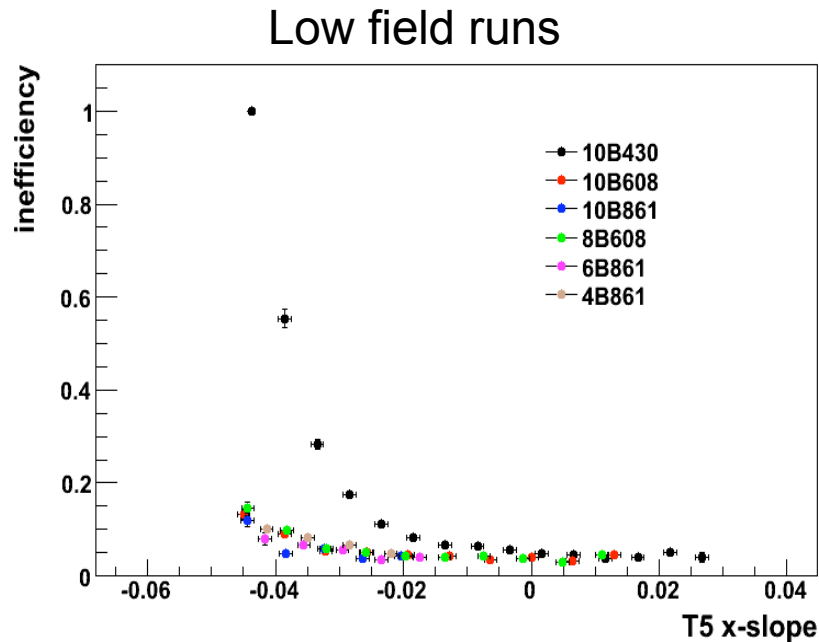
**Tof2: 2.3- $\rightarrow$ ~8 GeV/c, RICH: above 9 GeV/c**, thus acceptance corrections, tracking efficiency trigger normalization canceled out in the ratio.

**Remaining corrections:**

- i) decay in flight, interaction in beam pipe and material budgeted (GEANT calculation)
- ii) correction for PID efficiency and contamination (limited specie resolution)



# Data Analysis: RICH inefficiency



1. Identify pions with no RICH ring (RICH veto pions) in tof2.

$$\text{ineff} = \text{veto pions} / \text{all pions}$$

2. two relevant dependencies are found:

- a) dependency on  $p/p$  (Cherenkov threshold effect)
- b) dependency on track x-slope (geometrical effect)

3. For fields like 608 and 861  $p/p \gg 1$  and geometrical effect can be studied alone. Then it can be used to disentangle Cherenkov threshold effect for lower field run (430) where both effects play a role.

1.  $\text{ineff} = \text{veto}/\text{all}$

2. Additional control of specie dependence by comparing A (less protons) and B (more protons) polarities:

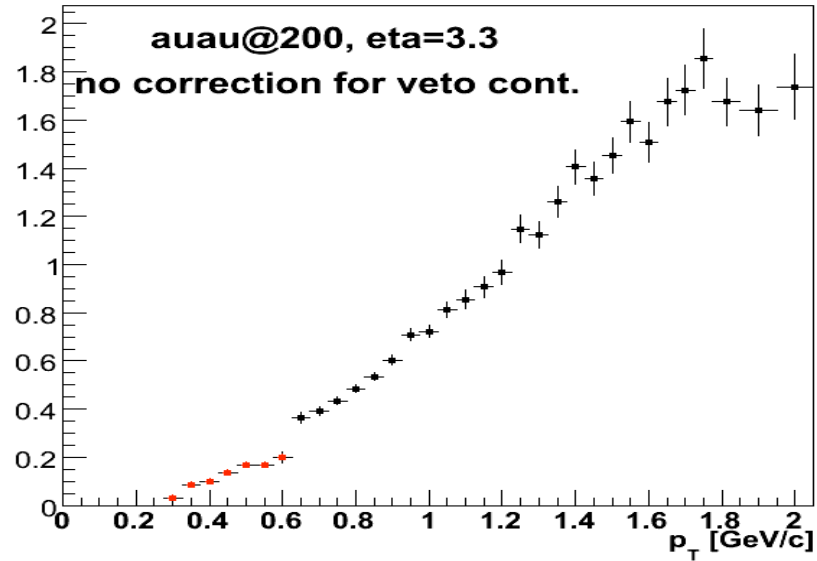
$$y_{\pi+K}^A f_{\pi} + y_p^A f_p = y_{veto}^A$$

$$y_{\pi+K}^B f_{\pi} + y_p^B f_p = y_{veto}^B$$

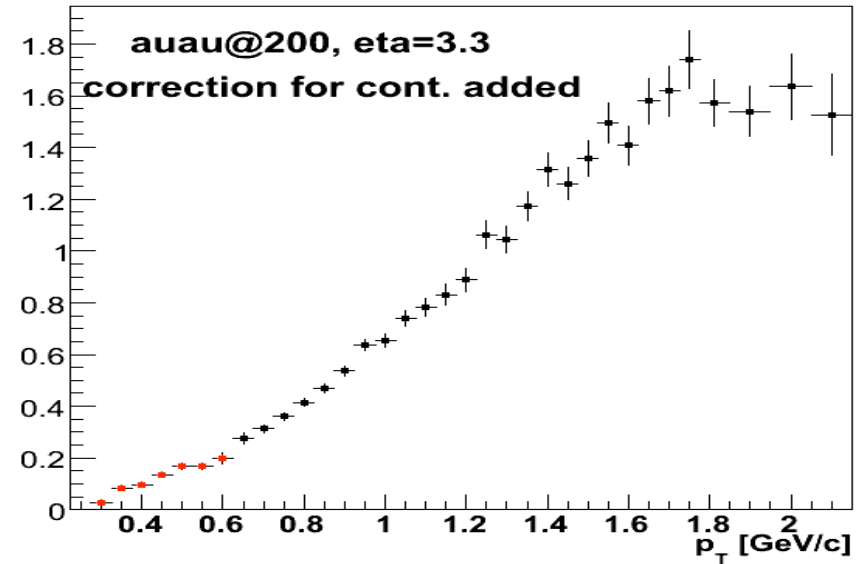
3. observed dependency on T5 x-slope, similar to that encountered at low field runs

# Test of corrections for veto-protons

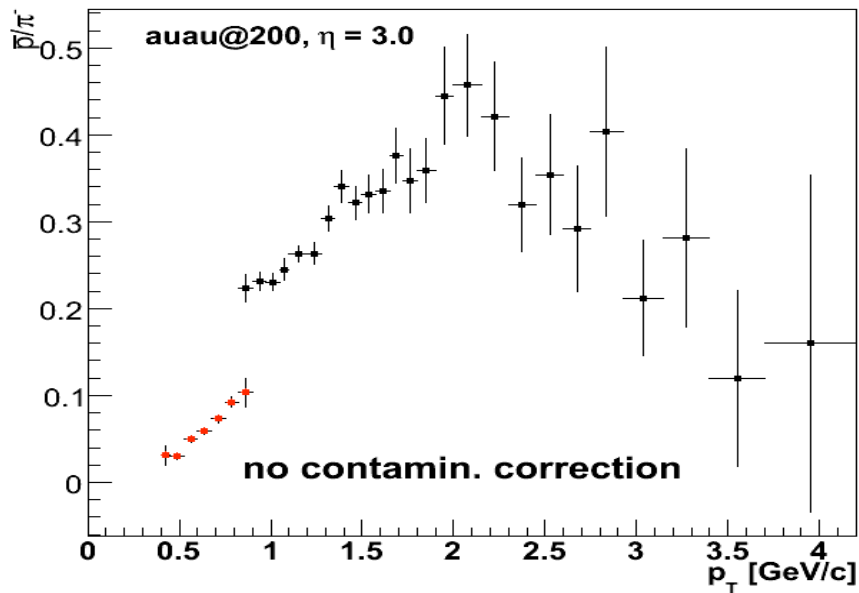
pions



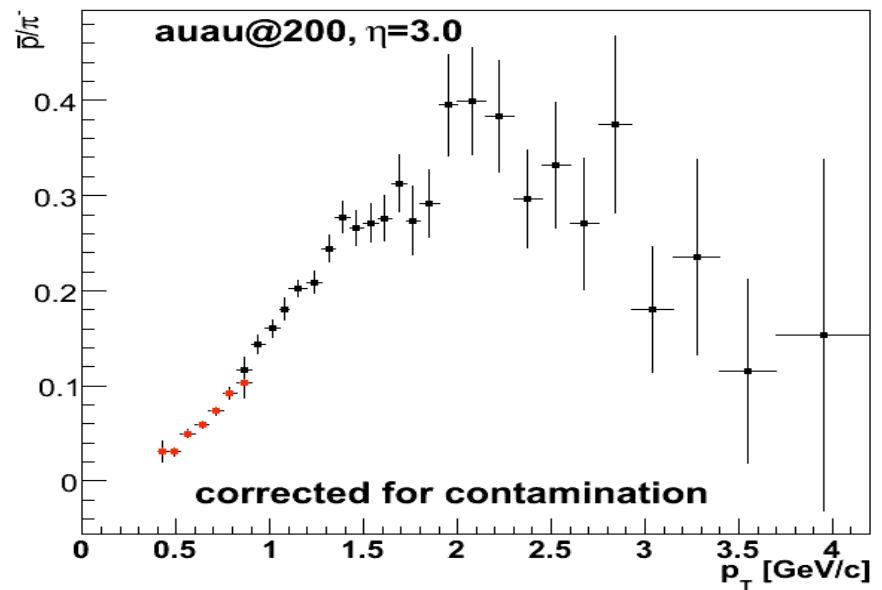
pions



pions



pions



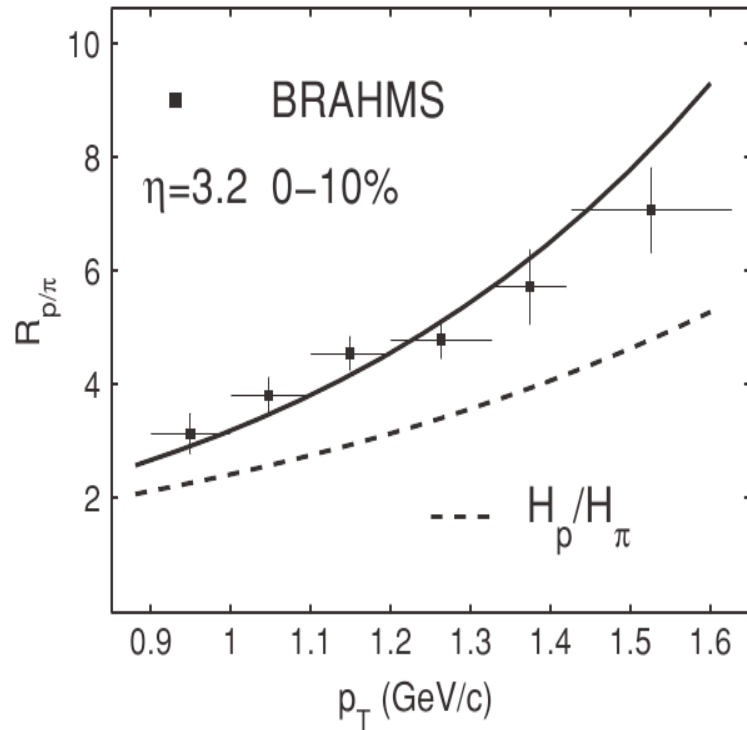
# Data Analysis – related systematic uncertainties

$\eta \approx 2.27$		$\eta \approx 2.65$		$\eta \approx 3.04$		$\eta \approx 3.3$		$\eta \approx 3.5$		$\eta \approx 3.7$	
$p_T$	$p/\pi^+$	$p_T$	$p/\pi^+$	$p_T$	$p/\pi^+$	$p_T$	$p/\pi^+$	$p_T$	$p/\pi^+$	$p_T$	$p/\pi^+$
0.5-0.8	< 1	0.5-0.7	< 2	0.4-0.6	< 3	0.3	3	0.3	3	0.4	<b>5</b>
1.0	2	0.9	2	0.8	<b>4.5</b>	0.45	4	0.4	6	0.5	<b>3.5</b>
1.2	3	1.15	3	0.9	<b>2</b>	0.6	6	0.55	<b>4</b>	0.6	<b>2</b>
1.6	<b>5</b>	1.2	<b>4</b>	1.1-2.0	< <b>1</b>	0.7-2.0	< <b>2</b>	0.7-1.7	< <b>3</b>	> 0.75	< <b>2</b>
> 1.7	< <b>1</b>	> 1.3	< <b>1</b>	> 2.2	<b>4</b>	3.0	6	2	<b>4</b>		
$p_T$	$\bar{p}/\pi^-$	$p_T$	$\bar{p}/\pi^-$	$p_T$	$\bar{p}/\pi^-$	$p_T$	$\bar{p}/\pi^-$	$p_T$	$\bar{p}/\pi^-$	$p_T$	$\bar{p}/\pi^-$
0.5-0.8	< 1	0.5-0.7	< 2	0.4-0.6	< 3	0.3	3	0.3	3	0.4	<b>14</b>
1.0	2	0.9	2	0.7	5	0.45	4	0.4	6	0.5	<b>11</b>
1.2	3	1.15	5	0.8	<b>6</b>	0.6	7	0.55	<b>12</b>	0.6	<b>8</b>
1.6	<b>5</b>	1.2	<b>3</b>	0.9	<b>4</b>	0.7	<b>7</b>	0.7	<b>7</b>	0.85	<b>5</b>
1.7	<b>2</b>	1.3	<b>2</b>	1.15-2.2	<b>3</b>	0.9-2.0	< <b>3</b>	1.0-1.7	< <b>4</b>	1.0	<b>3</b>
> 2.0	< <b>1</b>	> 1.7	< <b>1</b>	> 2.2	<b>4</b>	3.0	<b>6</b>	2.0	<b>4</b>	> 1.2	< <b>2</b>

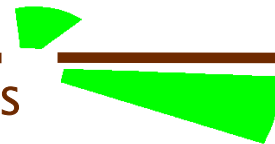
Table 1: Estimated PID systematic errors shown as a per-cent of the measured  $p/\pi^+$  and  $\bar{p}/\pi^-$  ratios presented in this letter. Regular and bold fonts refer to PID based on time-of-flight and Cherenkov measurement technique, respectively.

At mid-rapidity an overall systematic error is 5%

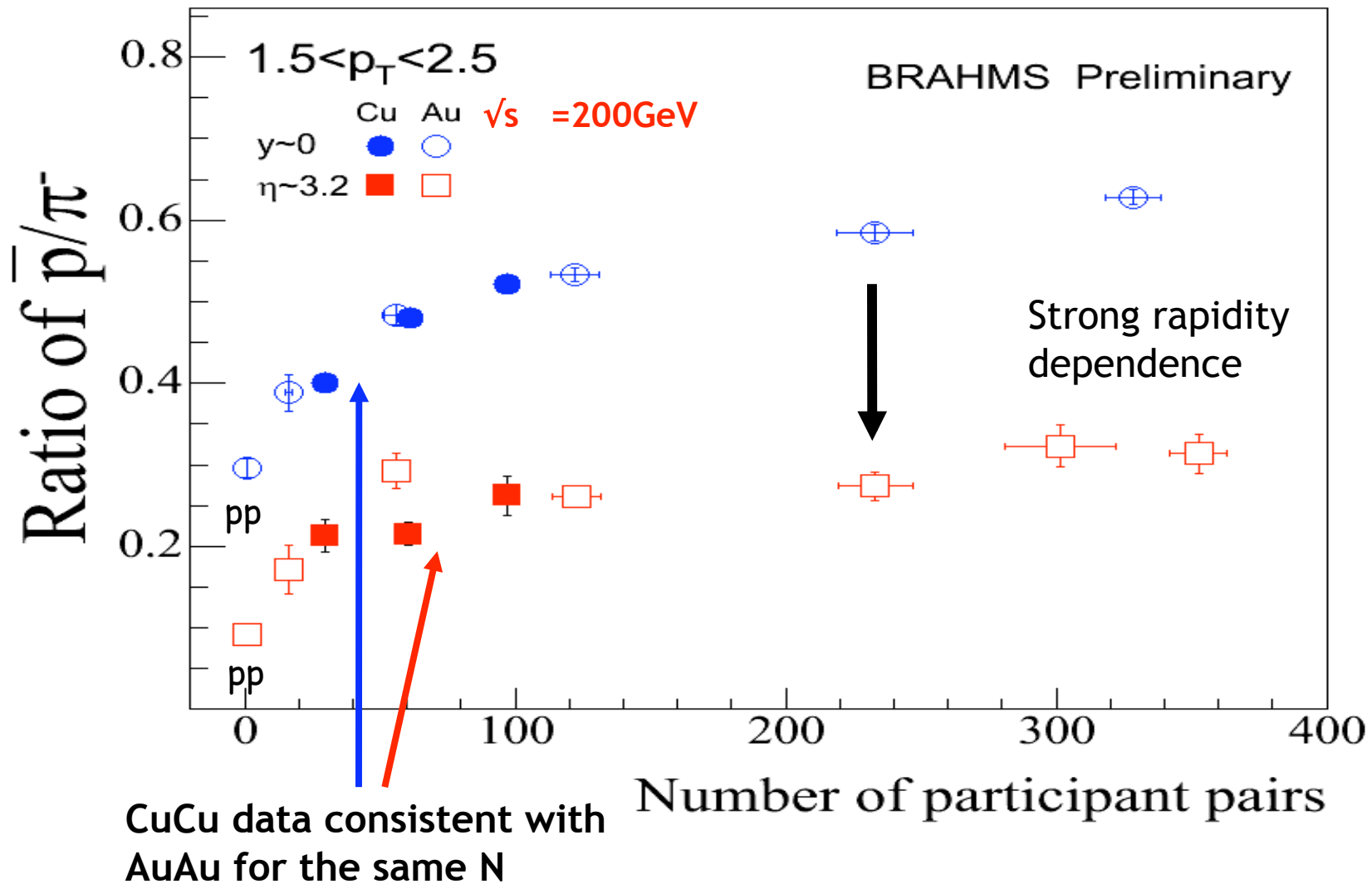
R. Hwa and L. Zhu, PRC 78, (2008) 024907



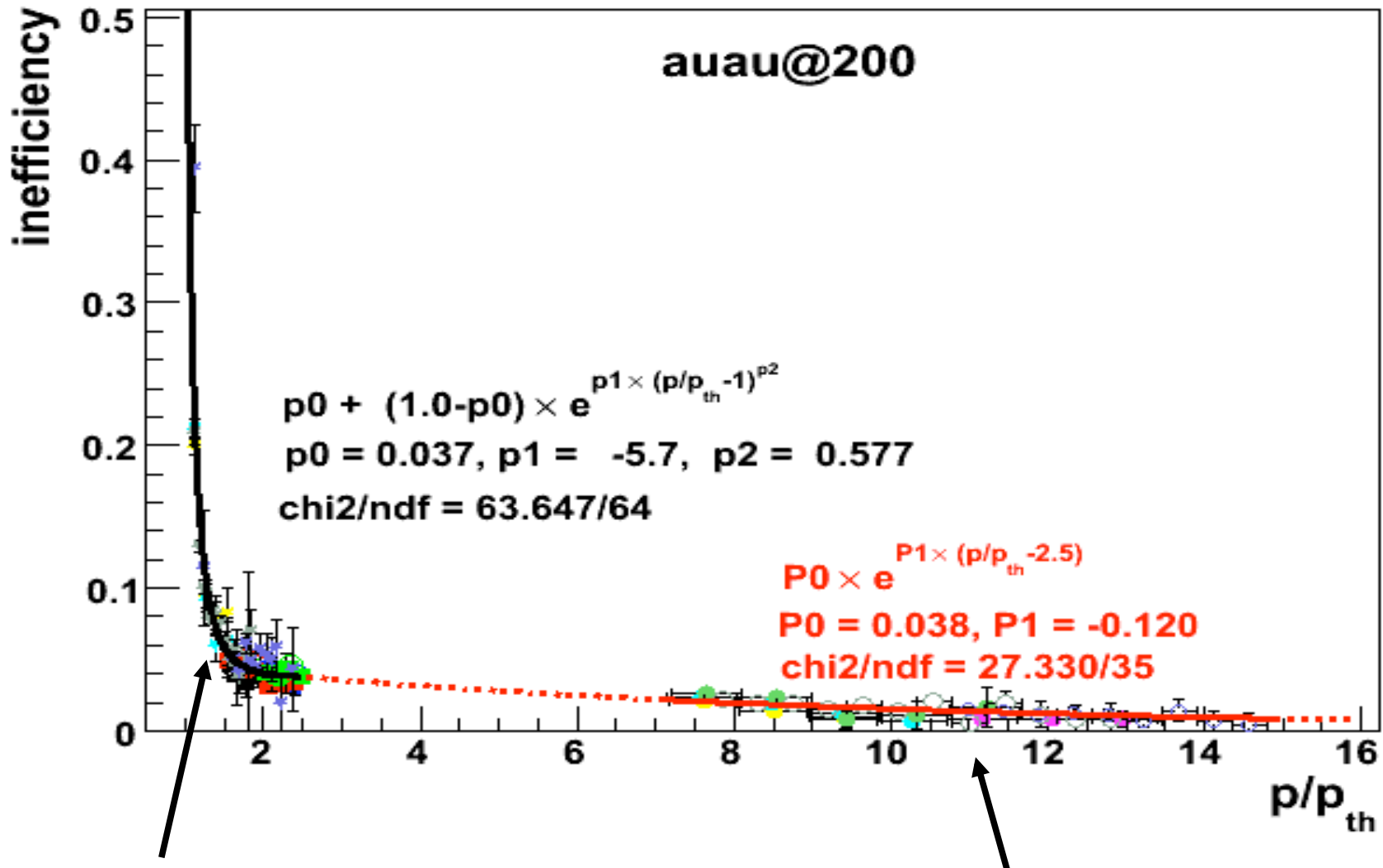
Quark recombination incorporating parton momentum **degradation** and sea quark **regeneration**.  
Degradation parameter  
 $K \cong 0.68$  from fit to data



# $\bar{p}/\pi$ scaling with N



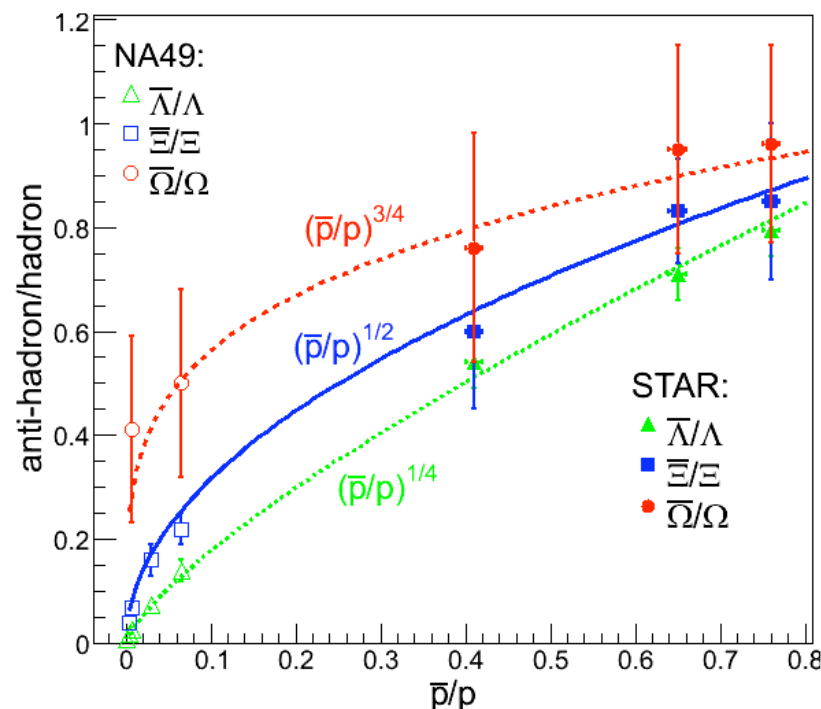
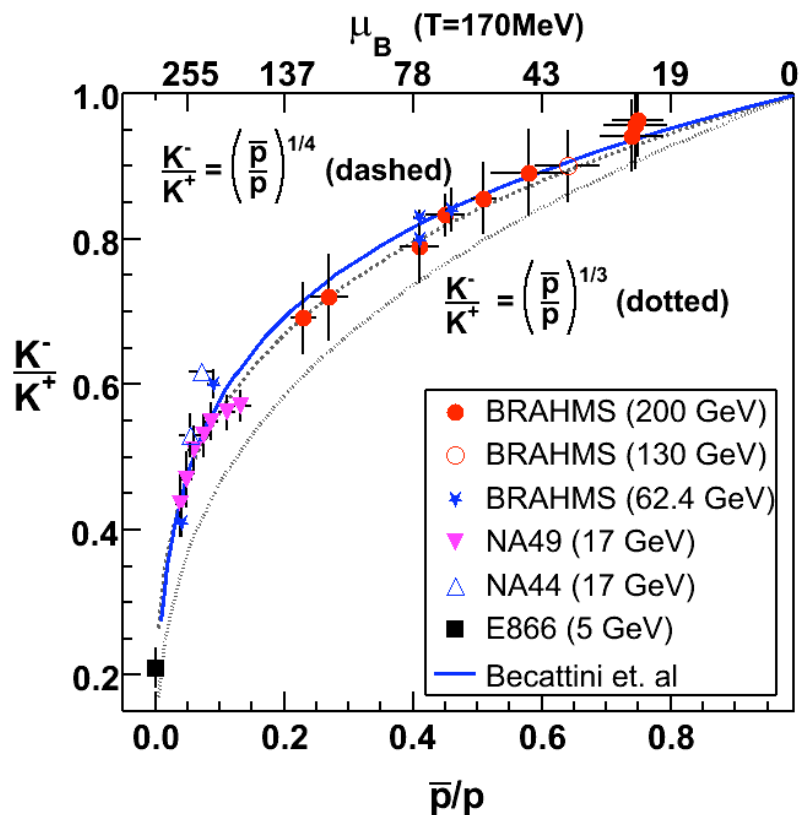
# RICH inefficiency scaling with p/p



Usual inefficiency formula

Ordinary exponent with build-in matching to low p/p

# K<sup>-</sup>/K<sup>+</sup> and antihyperon/hyperon



$$\frac{K^-}{K^+} = \exp((2\mu_{\bar{p}} - 2\mu_p)/T)$$

$$\frac{\bar{p}}{p} = \exp(-6\mu_p/T)$$

$$\mu_p = 0 \Rightarrow \frac{K^-}{K^+} = \left(\frac{\bar{p}}{p}\right)$$

Fit shows that  $\frac{K^-}{K^+} = \left(\frac{\bar{p}}{p}\right)$   
 $\Rightarrow \mu = \frac{1}{4} \mu$

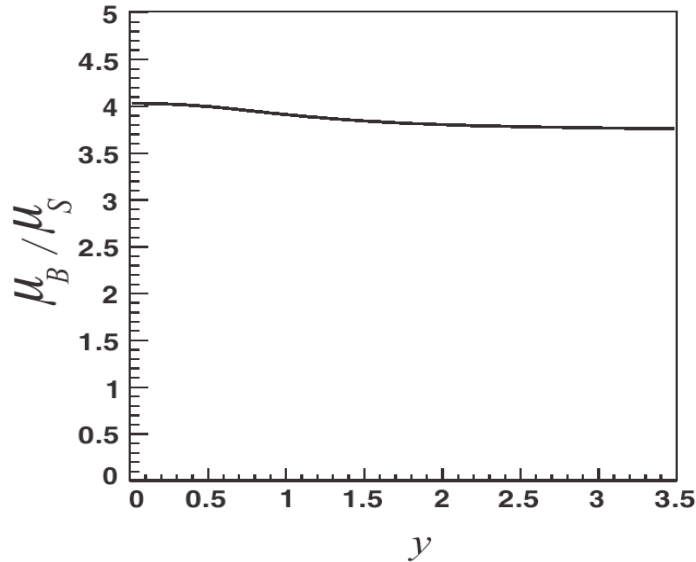
How  $\mu = \frac{1}{4} \mu$  will work for hyperons?

$$\frac{H^-}{H^+} = \left(\frac{\bar{p}}{p}\right) \text{ for } \Lambda$$

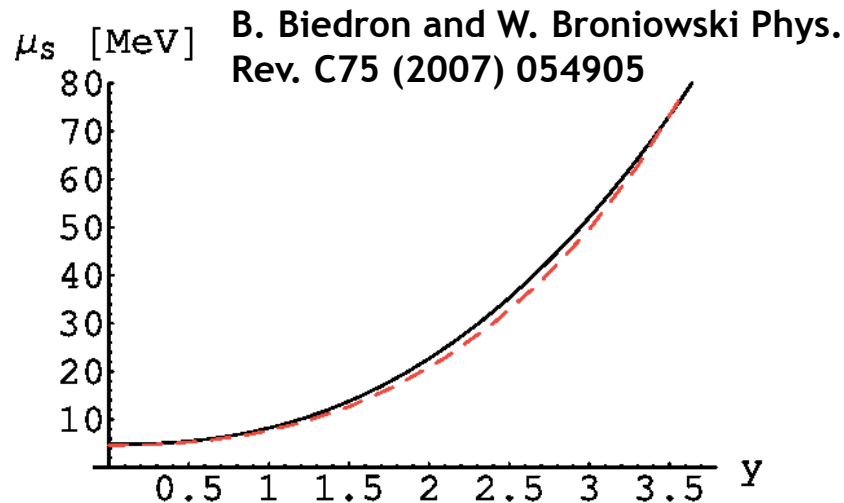
$$= \left(\frac{\bar{p}}{p}\right) \text{ for } \Xi$$

$$= \left(\frac{\bar{p}}{p}\right) \text{ for } \Omega$$

# Statistical model and $\mu_B$ versus $\mu_S$



**Fits with statistical model provide similar  $\mu_B / \mu_S$  ratio with weak dependency on  $y$ .**



**This result is consistent with local net-strangeness conservation**  
**red line -  $\rho = 0$**   
**black line - fit to BRAHMS data**

